

Constraints on the latitudinal profile of Jupiter's deep jets

E. Galanti¹, Y. Kaspi¹, K. Duer¹, L. Fletcher², A. P. Ingersoll³, C. Li⁴, G. S. Orton⁵, T. Guillot⁶, S. M. Levin⁵, and S. J. Bolton⁷

¹Department of Earth and Planetary Sciences, Weizmann Institute of Science, Rehovot, Israel

²School of Physics and Astronomy, University of Leicester, Leicester, UK

³California Institute of Technology, Pasadena, CA, USA

⁴Department of Climate and Space Sciences and Engineering, University of Michigan, Ann Arbor, MI, USA

⁵Jet Propulsion Laboratory, California Institute of Technology, Pasadena, USA

⁶Observatoire de la Cote d'Azur, Nice, France

⁷Southwest Research Institute, San Antonio, Texas, TX, USA

Key Points:

- Jupiter's cloud-level wind profile extended to depth, matches in sign and amplitude both the measured odd and residual-even gravity harmonics.
- The majority of the signal comes from the wind profile between 25°S and 25°N, which must extend unaltered thousands of kilometers deep.
- The gravity signal also implies that from the cloud-tops downward the flow must be organized in a columnar structure and also decay radially.

Corresponding author: Eli Galanti, eli.galanti@weizmann.ac.il

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Abstract

The observed zonal winds at Jupiter’s cloud tops have been shown to be closely linked to the asymmetric part of the planet’s measured gravity field. Here we examine to what extent, and at which latitudes, must the flows at depth resemble those at the cloud level in order to match the gravity signal. We show, using both the symmetric and asymmetric parts of the measured gravity field, that the observed cloud-level wind profile between 25°S and 25°N must extend unaltered to depths of thousands of kilometers. Poleward, the midlatitude deep jets also contribute to the gravity signal, but might differ somewhat from the cloud-level winds. We analyze the likelihood of this difference and give bounds to its strength. We also find that to match the gravity measurements, the winds must project inward in the direction parallel to Jupiter’s spin axis, and decay inward in the radial direction.

Plain language summary

Observations of Jupiter’s cloud-tops reveal very strong atmospheric winds reaching 500 km/hr. Using very accurate measurements of the planet’s gravity field, provided by NASA’s Juno spacecraft, the cloud-level winds were found to extend thousands of kilometers into the interior of Jupiter, with a wind profile similar to that observed at the clouds-level. However, analysis of various measurements suggested that at some latitudinal regions the flow below the clouds might be different to some extent. Here we explore the constraints posed by the Juno gravity measurements on the latitudinal profile of the zonal flow in Jupiter below the cloud level. We find that in order to explain the detailed latitudinal structure of the wind-attributed gravity field, the cloud-level winds in the 60°S to 60°N range have to extend deep into the planet, approximately keeping their observed latitudinal profile. With that, we find that most of the wind-induced gravity signal comes from the 25°S to 25°N region, where the strongest jets reside, suggesting that in the midlatitudes the observed jets at the cloud level might be somewhat different at depth.

1 Introduction

The zonal (east-west) winds at Jupiter’s cloud level dominate the atmospheric circulation, and strongly relate to the observed cloud bands (Fletcher et al., 2020). The structure of the flow beneath the cloud level has been investigated by several of the instruments on board the Juno spacecraft by means of gravity, infrared and microwave measurements (Bolton et al., 2017). Particularly, the gravity measurements were used to infer that the zonal winds extend down to roughly 3000 km, and that the main north-south asymmetry in the cloud-level wind extends to these great depths (Kaspi et al., 2018), resulting in the substantial values of the odd gravity harmonics J_3 , J_5 , J_7 , and J_9 . The excellent match between the sign and value of the predicted odd harmonics using the cloud-level wind (Kaspi, 2013) and the Juno gravity measurements (Iess et al., 2018; Durante et al., 2020), led to the inference that the wind profile at depth is similar to that at the cloud level (Kaspi et al., 2018, 2020). Here, we revisit in more detail the relation between the exact meridional profile of the zonal flow and the gravity measurements, and study how much of the cloud-level wind must be retained in order to match the gravity measurements.

Since the gravity measurements are sensitive to mass distribution, they are not very sensitive to the shallow levels (0.5-240 bar) probed by Juno’s microwave radiometer (MWR Janssen et al., 2017), as the density in this region is low compared to the deeper levels. Yet, the gravity measurements have substantial implications on the MWR region, since if the flow profile at depth (below the MWR region) resembles that at the cloud level it is likely that the flow profile within the MWR region is not very different. In such a case, where the flow is barotropic, this implies via thermal wind balance that latitudi-

70 nal temperature gradients in the MWR region are small, which has important implica-
71 tion to the MWR analysis of water and ammonia distribution (Li et al., 2017; Ingersoll
72 et al., 2017; C. Li et al., 2020). Thus, it is important to determine how strong the gravi-
73 ty constraint on the temperature distribution is, and what is its latitudinal dependence.

74 The determination of the zonal flow field at depth is based on the measurements
75 of the odd gravity harmonics, J_3 , J_5 , J_7 , and J_9 , which are uniquely related to the flow
76 field (Kaspi, 2013). Using only four numbers to determine a 2D (latitude and depth) field
77 poses a uniqueness challenge, and solutions that are unrelated to the observed cloud-level
78 wind can be found (Kong et al., 2018), although the origin of such internal flow struc-
79 ture, completely unrelated to the cloud-level winds, is not clear. In addition, these so-
80 lutions require a flow of about 1 m s^{-1} at depth of 0.8 the radius of Jupiter ($\sim 15,000 \text{ km}$),
81 where the significant conductivity (Liu et al., 2008; Wicht et al., 2019) is expected to dampen
82 such strong flows (Cao & Stevenson, 2017; Duer et al., 2019; Moore et al., 2019). Re-
83 cently, Galanti and Kaspi (2021) showed that the interaction of the flow with the mag-
84 netic field in the semiconducting region can be used as an additional constraint on the
85 structure of the flow below the cloud level. With some modification of the observed cloud-
86 level wind (up to 10 m s^{-1}), well within its uncertainty range (Tollefson et al., 2017),
87 a solution can be found that explains the odd gravity harmonics and abides the mag-
88 netic field constraints.

89 All of the above mentioned studies assumed that if the internal flow is related to
90 the observed surface winds, it will manifest its entire latitudinal profile. However, some
91 evidence suggests that at some latitudinal regions the flow below the clouds might be
92 different from the winds at the cloud level. The Galileo probe, entering the Jovian at-
93 mosphere around planetocentric latitude 6.5°N (Orton et al., 1998), measured winds that
94 strengthened from 80 ms^{-1} at the cloud level to $\sim 160 \text{ ms}^{-1}$ at a depth of 4 bars, from
95 where it remains approximately constant until a depth of 20 bars where the probe stopped
96 transmitting data (Atkinson et al., 1998). Such a baroclinic shear got further support
97 in studies of equatorial hot spots (L. Li et al., 2006; Choi et al., 2013). Recently, Duer
98 et al. (2020) showed that the MWR measurements of brightness temperature correlate
99 to the zonal wind's latitudinal profile. They found that profiles differing to a limited ex-
100 tent from the cloud-level can still be consistent with both MWR and gravity. Emanat-
101 ing from the correlations between MWR and the zonal winds, Fletcher et al. (2021) sug-
102 gested that the winds at some latitudes might strengthen from the cloud level to a depth
103 of 4-8 bars, i.e. not far from where water is expected to be condensing, and only then
104 begin to decay downward. Alternatively, based on stability considerations, it was sug-
105 gested that while westward jets are not altered much with depth, the eastward jets might
106 increase by 50-100% (Dowling, 1995; Dowling, 2020).

107 Furthermore, in the Kaspi et al. (2018) and Galanti and Kaspi (2021) studies, the
108 observed cloud-level wind has been assumed to be projected into the planet interior along
109 the direction parallel to the spin axis of Jupiter, based on theoretical arguments (Busse,
110 1970, 1976) and 3D simulations of the flow in a Jovian-like planet (e.g. Busse, 1994; Kaspi
111 et al., 2009; Christensen, 2001; Heimpel et al., 2016). Theoretically, this requires the flow
112 to be nearly barotropic, which is not necessarily the case, particularly when consider-
113 ing the 3D nature of the planetary interior. Another assumption made is that the flow
114 decays in the radial direction. This was based on the reasoning that any mechanism act-
115 ing to decay the flow, such as the increasing conductivity (Cao & Stevenson, 2017), com-
116 pressibility (Kaspi et al., 2009), or the existence of a stable layer (Debras & Chabrier,
117 2019; Christensen et al., 2020), will depend on pressure and temperature, which to first
118 order are a function of depth. However, if the internal flow is organized in cylinders it
119 might be the case that the mechanism acting to decay it strengthens also in the direc-
120 tion parallel to the spin axis.

121 Here we investigate what can be learned about the questions discussed above, based
122 on the measured gravity field, considering both the symmetric and asymmetric compo-

123 nents of the gravity field measurements. We study the ability to fit the gravity measure-
 124 ments with a cloud-level wind that is limited to a specific latitudinal range, thus iden-
 125 tifying the regions where the observed cloud-level wind is likely to extend deep, and the
 126 regions where the interior flow might differ (section 3). We also examine whether a stronger
 127 wind at the 4-8 bar level is compatible with the gravity measurements, and if the assump-
 128 tions regarding the relation of the internal flow to the cloud level can be relaxed (sec-
 129 tion 4). Finally, we examine the latitudinal dependence of the wind-induced gravity har-
 130 monics when magnetohydrodynamics considerations are used as additional constraints
 131 (section 5).

132 2 Defining the cloud-level wind and possible internal flow structures

133 We examine several aspects of the flow structure that might influence the ability
 134 to explain the gravity measurements. First, stemming from the notion that at some lat-
 135 itudinal regions the flow below the cloud level might differ from the observed, we set cases
 136 in which the cloud-level wind is truncated at a specific latitude (Fig. 1a). The trunca-
 137 tion is done by applying a shifted hemispherically symmetric hyperbolic tangent func-
 138 tion with a transition width of 5° , to allow a smooth truncation of the wind from the
 139 observed flow. The result is a wind profile that 5° equatorward of the truncation lati-
 140 tude is kept as in the cloud-top observations, and poleward to that latitude is practically
 141 zero (see supporting information - SI for detailed derivation). We examine 18 cases with
 142 truncation latitudes $5^\circ, 10^\circ, 15^\circ, \dots, 90^\circ$. Note that all of the cloud-level wind setups used
 143 in this study are based on the analysis of the HST Jupiter images during Juno’s PJ3 (Tollefson
 144 et al., 2017)[, Figure 1a, gray line], and that in all figures and calculations we use the
 145 planetocentric latitude.

146 Next, we examine cases in which a different wind structure exists poleward of the
 147 truncation latitude. As such, unknown wind structures could possibly replace the ob-
 148 served cloud-level wind at shallow depths of around 5-10 bars (e.g., as can be inferred
 149 from MWR, depending on how microwave brightness temperatures are interpreted, see
 150 Fletcher et al., 2021). For the purpose of the gravity calculation we treat these wind pro-
 151 files as if they replace the wind at the cloud level (the variation of the wind between 1
 152 and 10 bars has a negligible effect on the induced gravity field). The observed wind is
 153 truncated poleward of 25°S – 25°N , and replaced with 1000 random wind structures that
 154 mimic the latitudinal scale and strength of the observed winds (Fig. 1b, see SI for de-
 155 tailed methodology).

156 The cloud-level wind profile is first projected inward in the direction parallel to the
 157 spin axis (Kaspi et al., 2010), and then made to decay radially assuming a combination
 158 of functions (Fig. 1c), that allow a search for the optimal decay profile (Kaspi et al., 2018;
 159 Galanti & Kaspi, 2021, see also supporting information - SI). In addition, we examine
 160 two additional cases: a case in which the cloud-level wind is both projected and decays
 161 in the radial direction (Fig. 1d), and a case in which the wind is both projected and de-
 162 cays in the direction of the spin axis (Fig. 1e).

163 Given a zonal flow structure, thermal wind balance is used to calculate an anomalous
 164 density structure associated with large-scale flow in fast rotating gas giants. The
 165 density field is then integrated to give the 1-bar gravity field in terms of the zonal grav-
 166 ity harmonics (Kaspi et al., 2010, 2016). Using an adjoint based optimization, a solu-
 167 tion for the flow structure is searched for, such that the model solution for the gravity
 168 field is best fitted to the part of the measured gravity field that can be attributed to the
 169 wind (Galanti & Kaspi, 2016). The odd gravity harmonics are attributed solely to the
 170 wind, therefore we use the Juno latest measured values $J_3 = (-4.50 \pm 0.33) \times 10^{-8}$,
 171 $J_5 = (-7.23 \pm 0.42) \times 10^{-8}$, $J_7 = (12.02 \pm 1.20) \times 10^{-8}$, and $J_9 = (-11.30 \pm 3.63) \times 10^{-8}$
 172 (Durante et al., 2020). The lowest even harmonics J_2 and J_4 are dominated by the planet’s
 173 density structure and shape and cannot be used in our analysis, but interior models can

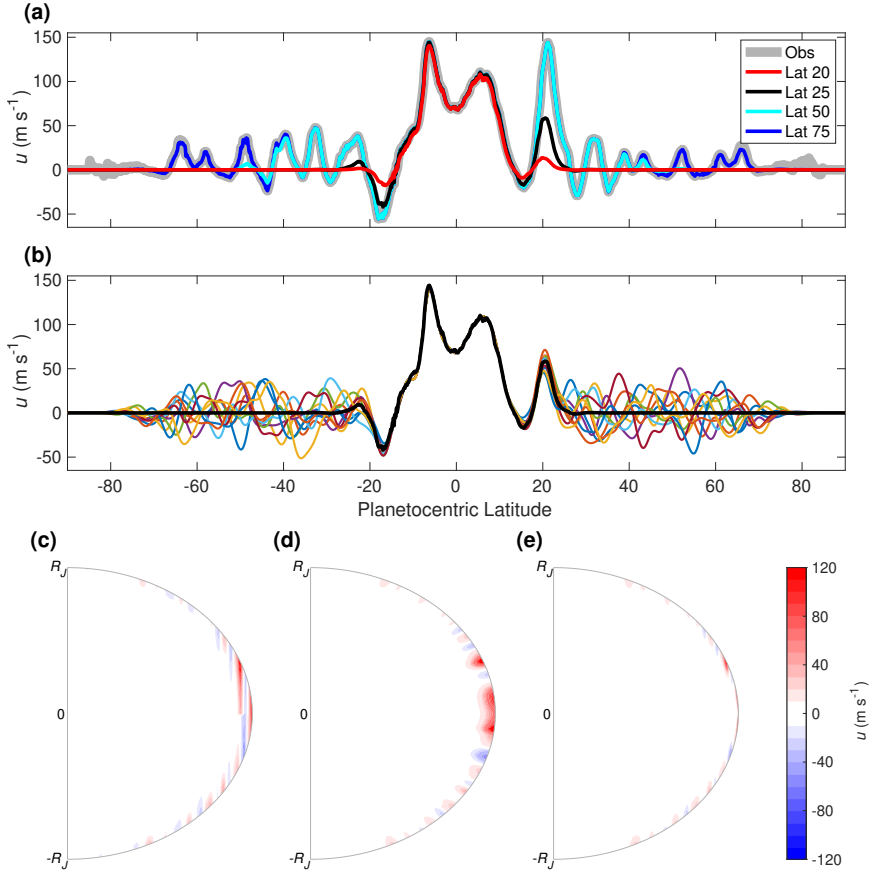


Figure 1. (a) The observed wind (Tollefson et al., 2017, gray), and variant examples with the wind truncated poleward of the latitudes 20°, 25°, 50°, and 75°. (b) The case of wind truncated poleward of the 25° latitude (black), along with examples of random winds added in the truncated regions. (c-e) Options of cloud-level wind projection and decay profiles (latitude-depth cross section), shown for an example of a sharp decay at a 3000 km distance from the surface. (c) Projection in the direction parallel to the spin axis and decay in the radial direction. (d) Projection and decay in the radial direction. (e) Projection and decay in the direction parallel to the spin axis.

174 give a reasonable estimate for the expected wind contribution for the higher even har-
 175 monics J_6 , J_8 , and J_{10} (Guillot et al., 2018). Based on the Juno measurements and the
 176 range of interior model solutions, the expected wind-induced even harmonics are esti-
 177 mated as $\Delta J_6 = 1 \times 10^{-8} \pm \sqrt{0.67^2 + 2^2} \times 10^{-8}$, $\Delta J_8 = 3.5 \times 10^{-8} \pm \sqrt{2.1^2 + 0.5^2} \times 10^{-8}$,
 178 and $\Delta J_{10} = -3 \times 10^{-8} \pm \sqrt{6.5^2 + 0.25^2} \times 10^{-8}$. The two uncertainties associated with
 179 each even harmonic are from two independent sources, the measurement uncertainty and
 180 the uncertainty due to internal models (respectively), so that the overall uncertainty is
 181 calculated as their root sum of squares.

182 Finally, in order to isolate the latitudinal dependence of the wind-induced gravity
 183 signal from the general ability to fit the gravity harmonics, we first optimize the cloud-
 184 level wind so that the odd gravity harmonics are fitted perfectly (Galanti & Kaspi, 2021).
 185 The modified wind is very similar to the observed (Fig. S1), well within the uncertainty
 186 of the cloud-level wind observation (Tollefson et al., 2017), therefore retaining all the ob-

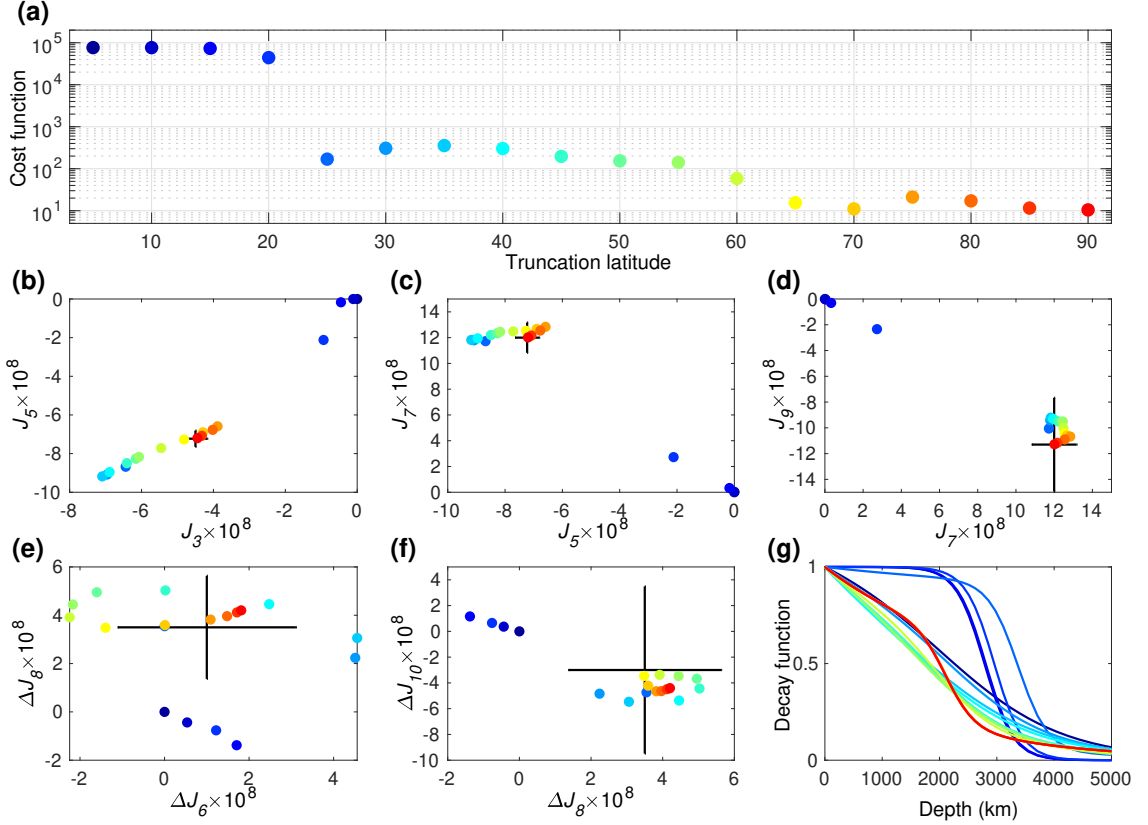


Figure 2. Latitude-dependent solutions as function of the truncation latitude. (a) The overall fit of the model solution to the measurements (cost function). Each case is assigned with a different color that is used in the following panels, ranging from latitude 5° (blue) to 90° (no truncation, red). (b-f) the solutions for the different gravity harmonics (colors), and the measurement (black). (g) the decay function associated with each solution.

187 served latitudinal structure responsible for the wind-induced gravity harmonics (see SI,
188 Fig. S1).

189 3 The latitudinal sensitivity of the wind-induced gravity field

190 We begin by analyzing the effect of the cloud-level wind latitudinal truncation on
191 the ability to explain the gravity harmonics. For each wind setup, the internal flow struc-
192 ture is modified until the best fit to the 4 odd harmonics and the 3 even harmonics is
193 reached (Fig. 2). The cost-function (Fig. 2a), a measure for the overall difference between
194 the measurements and the model solution (see SI), reveals the contribution of each lat-
195 titudinal region to the solution. First, as expected, when the cloud-level wind is retained
196 at all latitudes, the solution for the odd harmonics is very close to the measurements (Fig. 2b-
197 d, red dots). Importantly, the same optimal flow structure explains very well the even
198 harmonics (Fig. 2e-f, red dots). This is additional evidence that the observed cloud-level
199 wind is dynamically related to the gravity field.

200 Examining the latitudinal dependence of the truncation, it is evident that truncat-
201 ing the observed cloud-level wind closer to the equator than 25°S–25°N prevents any
202 flow structure that could explain the gravity harmonics. It is most apparent in the odd
203 harmonics (Fig. 2b-d) where the optimal solutions (dark blue circles) are close to zero

204 and far from the measured values. It is also the case for ΔJ_8 , but for ΔJ_6 and ΔJ_{10} the
 205 solutions are inside the uncertainty: in ΔJ_6 because the measured value is very small,
 206 and in ΔJ_{10} because the uncertainty is very large. Considering the cloud-level wind pro-
 207 file (Fig. 1a, black), it is not surprising that truncating the winds poleward of $25^\circ\text{S} -$
 208 25°N makes the difference in the solution, as this is where the asymmetric positive (neg-
 209 ative) jet in the northern (southern) hemisphere is found, and projects strongly on the
 210 low order odd harmonics. Note that even a 5° difference (Fig. 1a, red, truncation at $20^\circ\text{S} -$
 211 20°N) prevents a physical solution from being reached. Once these opposing jets are in-
 212 cluded, the flow structure contains enough asymmetry to explain very well J_7 and J_9 ,
 213 which have the largest values of the odd harmonics.

214 However, with the $25^\circ\text{S} - 25^\circ\text{N}$ truncation, the model solutions for J_3 and J_5 are
 215 still outside the measured uncertainty. Only when the influence of the zonal winds through-
 216 out the $60^\circ\text{S} - 60^\circ\text{N}$ range (Fig. 1a, yellow) is included, then the lower odd harmonics
 217 can be explained with the cloud-level wind profile. The optimal decay function for each
 218 case (Fig. 2g), emphasizes the robustness of the solutions. When only the equatorial re-
 219 gion is retained, the optimization is trying (with no success) to include as much mass
 220 in the region where the cloud-level wind is projected inward. Even when the wind is trun-
 221 cated at 20° , the deepest wind (located at the equatorial plane) is at $H = R_J [1 - \cos(20\pi/180)] \sim$
 222 $4,000$ km, so that solutions deeper than 4000 km do not add mass to the gravity solu-
 223 tion. But once the winds at $25^\circ\text{S} - 25^\circ\text{N}$ are included, then the decay function of the
 224 wind settles on a similar profile, with some small variations between the cases (Fig. 2g).
 225 Note that repeating these experiments with the exact Tollefson et al. (2017) cloud-level
 226 wind profile, does not change substantially the main results (Fig. S2), thus ensuring the
 227 robustness of the results.

228 The same methodology can be applied to a cloud-level wind that is truncated equa-
 229 torward of a latitudinal region (Fig. S3). The analysis shows that a wind truncated equa-
 230 torward of a latitude larger than $25^\circ\text{S} - 25^\circ\text{N}$ does not allow a plausible solution to be
 231 reached. Consistently with the above experiment, the deep jets at $25^\circ\text{S} - 25^\circ\text{N}$ are nec-
 232 essary to fit gravity harmonics. Specifically, there is a gradual deterioration of the so-
 233 lution in the truncation region of 0° to 20° , which is related solely to the even harmo-
 234 nics ΔJ_6 , ΔJ_8 , and ΔJ_{10} . Once the wind is truncated inside $10^\circ\text{S} - 10^\circ\text{N}$ the solution for
 235 ΔJ_6 and ΔJ_8 is outside the uncertainty range, and ΔJ_{10} moves further away from the
 236 measurement. This is due to the strong eastward jets at 6°S and 6°N .

237 4 Variants of the flow structure

238 Next, we examine several variants to the wind setups. In section 3 we showed that
 239 the jets between 25°S and 25°N are crucial for explaining the gravity harmonics, and there-
 240 fore should not differ much below the cloud level. However, in the regions where the wind
 241 is truncated it should be examined whether a flow below the cloud level, which is com-
 242 pletely different might still allow matching the gravity harmonics. We therefore exam-
 243 ine a case where the cloud-level wind is truncated poleward of $25^\circ\text{S} - 25^\circ\text{N}$, and in the
 244 truncated regions random jets are added to simulate different possible scenarios (Fig. 1b,
 245 see SI for definition). The gravity harmonic solutions for 1000 different cases are shown
 246 in Fig. 3 (a-c). The largest effect the random jets have is on J_3 and J_5 , with consid-
 247 erable effect also on the other odds and even harmonics. About 1% of the cases provide
 248 a good match to all the measurements (green), therefore it is still statistically possible
 249 (although not likely) that some combination of jets unseen at the cloud level at the mid-
 250 latitudes, with amplitude of up to ± 40 m s^{-1} , are responsible for part of the gravity sig-
 251 nal. These results are consistent with Duer et al. (2020) who did a similar analysis, but
 252 taking the full cloud level winds and showed that solutions differing from the cloud level
 253 are possible but statistically unlikely ($\sim 1\%$). Doubling (halving) the random jets strength
 254 results in only 0.2% (0%) of the solutions to fit the gravity measurement (SI, Fig. S7),

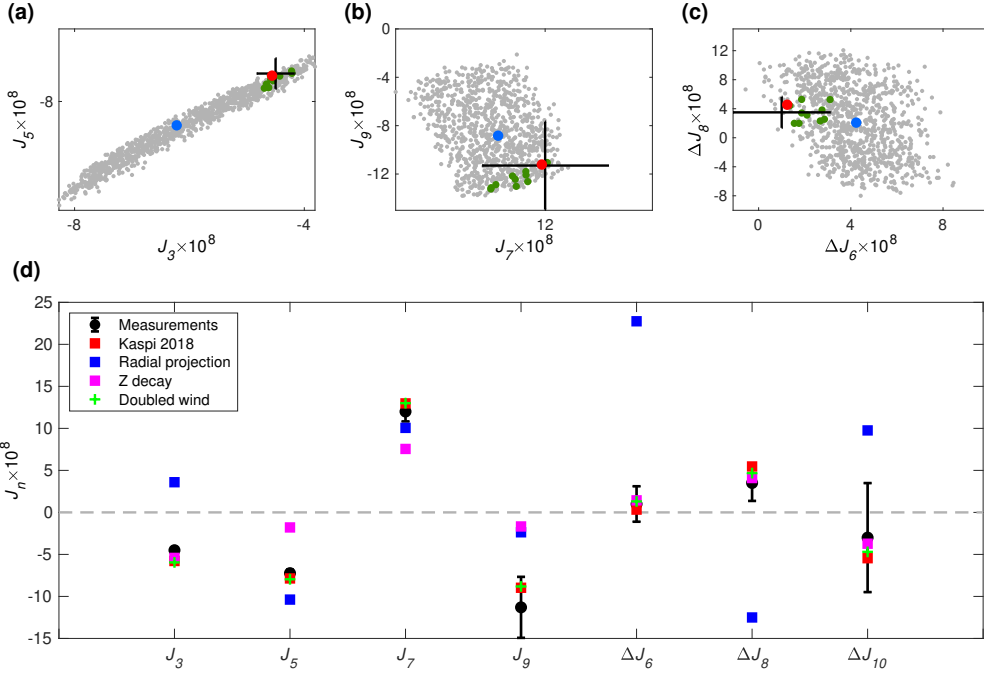


Figure 3. (a-c) Solutions with the cloud-level wind truncated poleward of $25^\circ\text{S} - 25^\circ\text{N}$ and replaced with random jets there (Fig. 1b). Shown are the solutions for 1000 random cases (gray), and within those the solution which matches all the gravity harmonics (green). Also shown are the solution with no random winds (blue, corresponding to the 25° case in Fig. 2), the solution with no truncation of the winds (red, corresponding to the 90° case in Fig. 2) and the Juno measurements (black). (d) Solutions for cases with cloud-level wind projected in the radial direction (blue; Fig. 1d), wind decayed in the direction parallel to the spin axis (magenta; Fig. 1e), and a doubled cloud-level wind (green). Also shown are the measurements (black), and the solution with the unaltered cloud-level wind (red; Kaspi et al., 2018).

255 suggesting that if alternative jets exists in the mid-latitudes, their amplitude should be
 256 around $\pm 40 \text{ m s}^{-1}$.

257 Aside from modifications to the cloud-level wind, we also examine cases in which
 258 the projection of the flow beneath the cloud level is modified. For simplicity, we exam-
 259 ine these cases with the observed cloud-level wind spanning the full latitudinal range.
 260 Projecting the wind radially and keeping the decay radial (Fig. 1d), we find that there
 261 is no plausible solution for flow structure under these assumptions that would give a good
 262 fit to the gravity measurements (Fig. 3d, blue). The best-fit model solution for all J_n
 263 is far from the measurements, well outside their uncertainty range, and does not even
 264 match J_3 and J_8 in sign. Next, we consider a case in which the decay of the winds is in
 265 the direction parallel to the spin axis (Fig. 1e). Here the optimal solution for the odd
 266 harmonics J_5 , J_7 , and J_9 is far from the measured values (Fig. 3d, magenta), while for
 267 J_3 and the even harmonics the solution is within the uncertainty range. However, in this
 268 case the winds needs to be very deep, extending to $\sim 5000 \text{ km}$, where the interaction
 269 with the magnetic field is extremely strong (Cao & Stevenson, 2017; Galanti et al., 2017;
 270 Galanti & Kaspi, 2021). Finally, following the suggestion that the cloud-level wind might
 271 get stronger with depth before they decay (e.g., Fletcher et al., 2021), we conduct an ex-
 272 periment in which we double the cloud-level wind. Interestingly, a plausible solution can
 273 be achieved (Fig. 3d, green crosses), with a decay profile similar to the Kaspi et al. (2018)

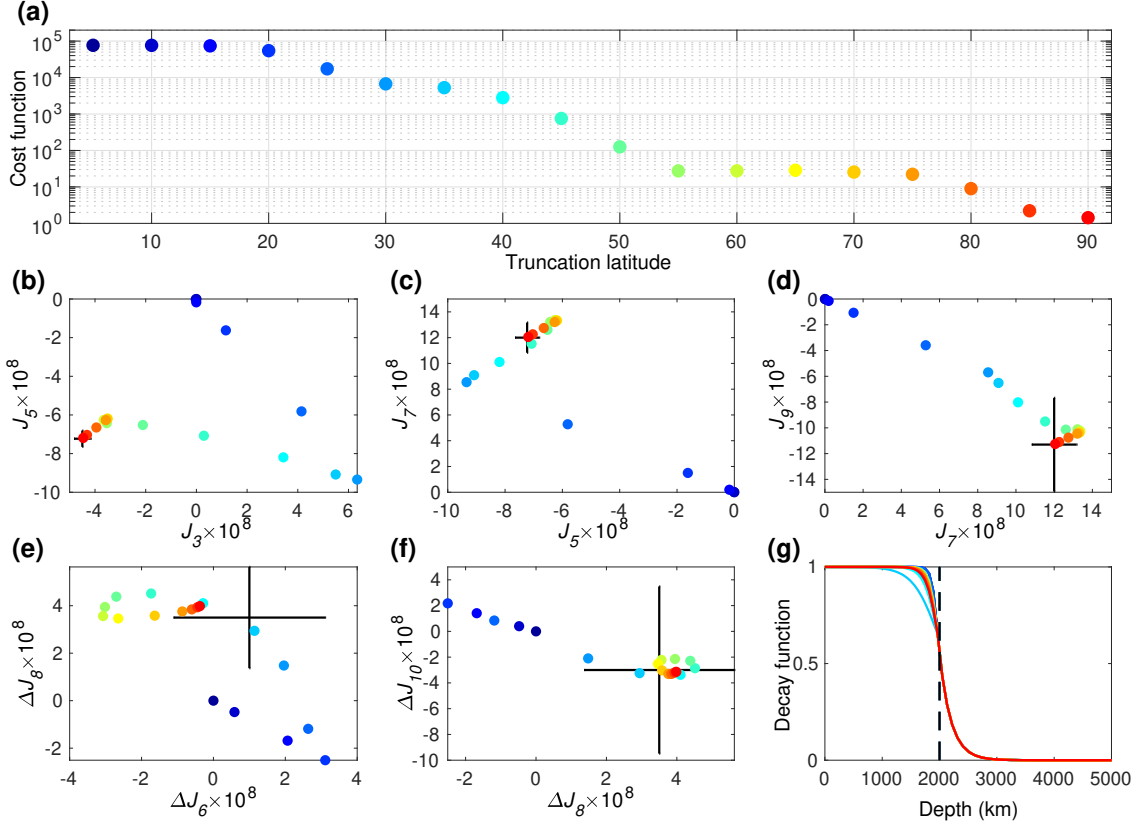


Figure 4. Same as Fig. 2, but for a case where the flow profile in the semiconducting region is restricted to comply with secular variations consideration (Moore et al., 2019; Duer et al., 2019). The black dashed line in panel (g) denotes the separation between the outer-neutral and inner-semiconducting regions.

274 solution, but with the winds decaying more baroclinically in the upper 2000 km, and then
 275 decaying slower (Fig. S6).

276 5 Adding magnetohydrodynamic constraints

277 In Jupiter, the increased conductivity with depth (e.g., French et al., 2012; Wicht
 278 et al., 2019) suggests that the flow might be reduced to very small values in the semi-
 279 conducting region (deeper than 2000 km, Cao & Stevenson, 2017). Using flow estimates
 280 in the semiconducting region based on past magnetic secular variations (Moore et al.,
 281 2019), Galanti and Kaspi (2021) gave a revised wind decay profile that can explain both
 282 the gravity harmonics and the constraints posed by the secular variations. We follow this
 283 approach, setting the flow strength in the semiconducting region (deeper than 2000 km,
 284 see Galanti & Kaspi, 2021) to be a sharp exponential function (Fig. 4g, right part). Given
 285 this inner profile of the decay function, the outer part of the decay function can be searched
 286 for, together with the optimal latitudinal wind profile, that will result in the best fit to
 287 the odd measured gravity harmonics. The optimal wind profile (Fig. S1b) is very similar
 288 to the observed wind, with deviations that are within the uncertainties.

289 Using the modified cloud-level wind, the shape of the decay function in the outer
 290 neutral region is optimized to allow the best-fit to the odd and even gravity harmonics
 291 (Fig. 4b-g). In addition to the odd harmonics, which are expected to fit the measure-

292 ments, the model also fits very well the even harmonics, despite the limited range of possible
 293 decay profiles in the outer region (Fig. 4g). The latitudinal dependence reveals that
 294 the range of 60°S – 60°N is needed in order to allow a good fit, especially for J_3 and
 295 J_7 . Similar to the case with gravity-only constraints, fitting the even harmonics, as well
 296 as J_5 and J_9 , requires mostly the cloud-level wind inside the 25°S–25°N region. Thus,
 297 even when including the strong magnetic constraint, the dominance of the 25°S–25°N
 298 region remains robust.

299 6 Conclusion

300 Given the Juno gravity measurements, which latitudinal range of Jupiter’s observed
 301 cloud-level wind is extending down deep into the planet? This is the question we set to
 302 answer in this study, defining the wind-related gravity field not only with the odd har-
 303 monics, as was done in previous studies (Kaspi et al., 2018), but also with the higher even
 304 harmonics residuals ΔJ_6 , ΔJ_8 , and ΔJ_{10} (Guillot et al., 2018; Kaspi et al., 2020). We
 305 show that the latitudinal range of 25°S to 25°N holds most of the wind signal needed
 306 to explain the measured gravity field. The winds at the midlatitudes contribute as well
 307 to the gravity field, mostly to the odd harmonics, and in order to match fully the mea-
 308 sured gravity signal the winds 60°S to 60°N must extend deep. Specifically, the odd har-
 309 monics have a large contribution from the opposing jets at 20°S and 20°N, while the even
 310 harmonics are dominated by the eastward jets at 6°S and 6°N. Adding random jets pole-
 311 ward of the truncated region enlarges the range of solutions, and for specific setups of
 312 the random jets, a good match to the gravity harmonics can be found, implying that mid-
 313 latitude jet structures might somewhat differ from those observed at the cloud-tops.

314 We also find that projecting the winds inward in the radial direction does not al-
 315 low any plausible solutions to be found, and so is the case for flows that are decayed in
 316 the direction parallel to the spin axis of Jupiter. These experiments strengthen the va-
 317 lidity of the two physical assumptions taken in relating the internal flow structure to the
 318 cloud-level winds. First, that the interior flow is organized in cylinders reflecting the cloud-
 319 level winds, and second, that the flow decays in the radial direction due to processes de-
 320 pending on pressure and temperature.

321 In addition to the measurements of the seven, odd and even, gravity harmonics,
 322 we also consider a case where constraints on the flow in the semiconducting region, aris-
 323 ing from consideration of magnetic secular variations (Moore et al., 2019), are imposed.
 324 We find that, with small alterations of the cloud-level winds, a flow structure can be found
 325 such that all gravity harmonics are explained, and that in general the latitudinal depen-
 326 dence of the solutions is similar to that found with gravity-only constraints.

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