

ENERGETIC ADVANTAGES OF SLIGHT DROPS IN BODY TEMPERATURE IN LITTLE BROWN BATS, *MYOTIS LUCIFUGUS*

EUGENE H. STUDIER

Department of Biology, University of Michigan-Flint, Flint, MI 48503, U.S.A.

(Received 12 May 1981)

Abstract—1. At constant ambient temperatures (T_a) below their thermal neutral zone (TNZ), little brown bats, *Myotis lucifugus*, maintain a wide range of steady-state body temperatures (T_b).

2. The relationship between oxygen consumption and $T_b - T_a$ differential at constant T_a s below the TNZ is curvilinear.

3. Small drops in T_b from high T_b levels result in significantly greater energy savings than subsequent T_b reductions of equal increments.

INTRODUCTION

Deep body temperature (T_b) and oxygen consumption (OC) as functions of ambient temperature (T_a) have been determined for a wide variety of mammals. Assuming that the organisms under consideration do not significantly utilize anaerobic energy producing metabolic pathways and T_b is constant during the period of measurement, the rate of OC is directly related, with little error, to metabolic heat production. Possible interrelationships between T_b , OC, and T_a have often been discussed and debated (Scholander *et al.*, 1950; Kleiber, 1961; King, 1964; Tucker, 1965; Porter & Gates, 1969; McNab, 1970; Strunk, 1971; Kleiber, 1972; Calder, 1972; Calder & King, 1972; Strunk *et al.*, 1973; McNab, 1980). Of particular interest is the relationship of OC and the $T_b - T_a$ differential ($T_b - T_a$) in endotherms at T_a s below the thermal neutral zone (TNZ). In mammals in which steady-state T_b is constant and independent of T_a , i.e. in homeothermic endotherms, $T_b - T_a$ differential can be obtained only by varying T_a . It is, therefore, impossible to analyze the relation of OC to $T_b - T_a$ at constant T_a in such species. Among heterothermic endotherms, however, some data are available (Studier & O'Farrell, 1972, 1976) for OC at a wide range of steady-state T_b s at constant T_a . This paper reports the relationships between OC and $T_b - T_a$ at constant T_a s below the TNZ in a heterothermic endotherm, the little brown bat, *Myotis lucifugus*, and comments on the energetic advantages of this thermoregulatory strategy.

MATERIALS AND METHODS

Data analyzed for the present study are taken from Studier & O'Farrell (1972). Details of materials and methods used appear in that paper and will be summarized here. Adult, female little brown bats of varying reproductive conditions (pregnant, lactating, post-lactating) collected throughout the summer from a maternity colony were studied. All laboratory studies were performed on the day of capture. Steady-state OC and T_b were recorded at T_a s of 16–40°C at 4°C intervals. Laboratory controlled T_a s were programmed to coincide with T_a s in the natural roost.

RESULTS AND DISCUSSIONS

Steady-state T_b s of little brown bats at various controlled T_a s (shown in Fig. 1) indicate the heterothermic pattern of thermoregulation exhibited by these bats when tested on the day of capture. Much of the variability in level of regulated T_b is a function of stage of pregnancy, stage of reproductive cycle, etc. (Studier & O'Farrell, 1972).

Data on OC and $T_b - T_a$ at various controlled T_a s from 16–32°C were analyzed by both stepwise polynomial regression and by least squares regression analysis of eleven possible power, root, and reciprocal transformations of both OC and $T_b - T_a$ together and independently to determine the best statistical descriptions of the relationships between these variables. Regression coefficients for the independent variable ($T_b - T_a$) as a squared term or squared transformation were invariably significant, except at a T_a of 32°C. Based on comparing coefficients of determination (r^2) for maximal values, the best uniform regression analysis, except at 32°C, were curvilinear equations of the form $y = bx^2 + a$, where y is OC in cc/g per hr and x is $T_b - T_a$ in °C. Equations are given in Table 1 and illustrated in Fig. 2. The relationship of OC to $T_b - T_a$ becomes progressively less curved as T_a rises until at a T_a of 32°C, which is the thermal neutral temperature for this species (Stones & Wiebers, 1965), the relationship is linear. Since thermal conductance (McNab, 1980) is represented by the slopes of the lines in Fig. 2, at T_a s below the TNZ, thermal conductance is not a constant. Linear regression analysis of these variables (OC and $T_b - T_a$) will, therefore, underestimate actual thermal conductance when $T_b - T_a$ is large and overestimate thermal conductance when $T_b - T_a$ is small. As stated earlier, in homeothermic endotherms, the only method of obtaining $T_b - T_a$ is by modifying T_a . For such species, thermal conductance is characteristically estimated by analyzing the slope of the relationship of OC to T_a at T_a s below the TNZ. Since T_b is constant in such species, the abscissa is related to $T_b - T_a$ and resultant figures show a negative slope since $T_b - T_a$ decreases as T_a rises. Such graphic representations are,

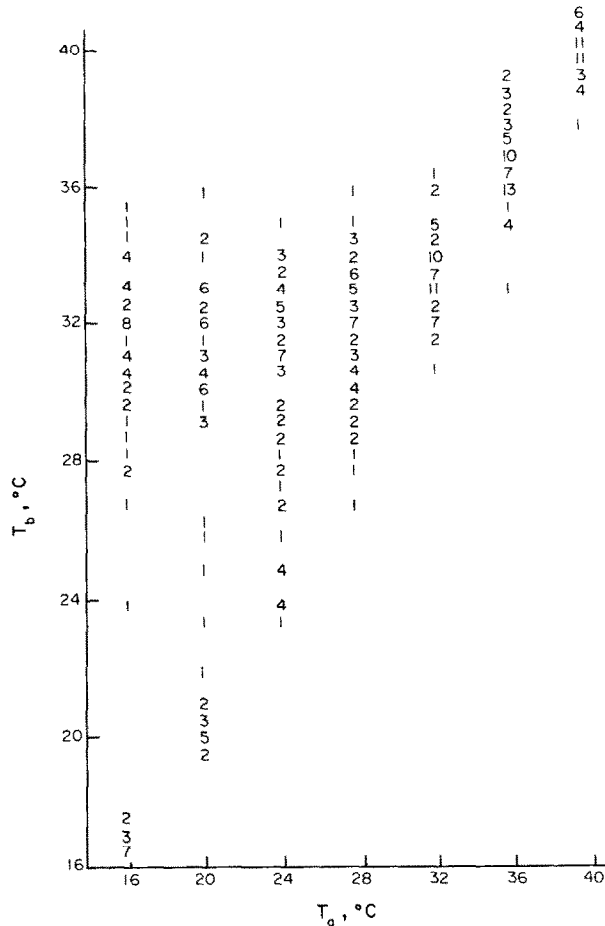


Fig. 1. Steady-state body temperatures (T_b) of adult female *Myotis lucifugus* of varying reproductive condition at constant ambient temperatures (T_a). Numbers indicate the number of data points at that position.

therefore, inverted left to right in comparison to Fig. 2. Inspection of some published figures depicting OC as a function of T_a in homeothermic endotherms

Table 1. Reduced statistical data for the relationship of oxygen consumption (y , in cc/g per hr) to body temperature to ambient temperature differential (x , in °C) at various ambient temperatures (T_a) in *Myotis lucifugus*. Regression coefficients are for equations of the form $y = bx^2 + a$. $P < 0.0005$ in all cases. Values in parentheses are standard errors.

T_a (°C)	Regression coefficients		F	d.f.	r^2
	b	a			
16	0.0192 (0.0013)	0.268 (0.154)	203.4	1,29	0.875
20	0.0194 (0.0014)	0.149 (0.120)	182.8	1,23	0.888
24	0.0263 (0.0020)	0.558 (0.077)	166.8	1,33	0.835
28	0.0430 (0.0062)	0.480 (0.096)	48.6	1,29	0.627
32*	0.441 (0.081)	0.271 (0.158)	29.4	1,32	0.487

* Regression coefficients are for the linear equation: $y = bx + a$.

shows relationships which appear to be curvilinear although they are often analyzed in rectilinear fashion (e.g. Banholzer, 1976; Grant & Dawson, 1978; Kamau *et al.*, 1979; Degabriele & Dawson, 1979; Rübtsamen & Kettembeil, 1980). The rectilinearity of this relationship has been questioned previously (Tracy, 1972). Furthermore, when thermal conductance is calculated on individual measurements of T_b and OC, it is apparent for many species that thermal conductance is not constant (McNab, 1980). Since methods are available for curvilinear (polynomial) regression analysis, such analysis should be performed to determine the best descriptive statistics of data such as OC as a function of T_a in homeothermic endotherms. Such analysis would yield more accurate estimates of minimal standard metabolism and thermal neutral temperature (Studier *et al.*, 1975).

The curvilinearity of the relationship of OC to $T_b - T_a$ at constant T_b in *M. lucifugus* (Fig. 2) would not appear to be related to changes in the bats' physical environment but probably reflects some animal-regulated property. Possibilities include animal regulated differences in metabolic heat production and/or in heat flow through changes in conductivities of the shell (King & Farner, 1961) or in peripheral blood flow, etc. The relatively linear, upper portions of the OC to $T_b - T_a$ relations (Fig. 2) may well be parallel

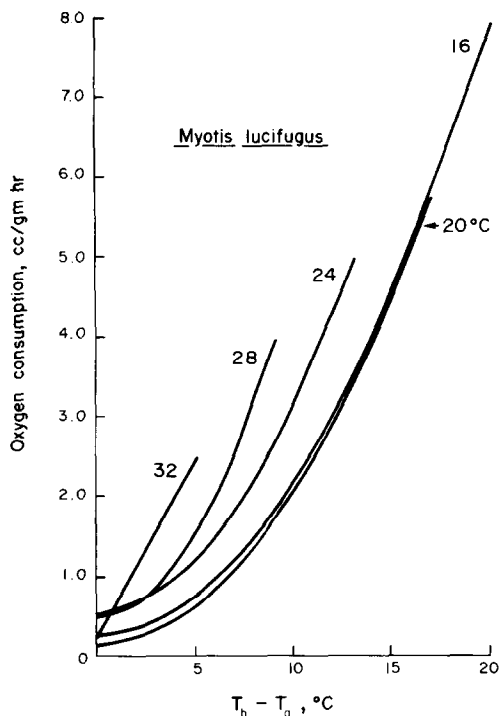


Fig. 2. Regression equations at various ambient temperatures for the relationship of oxygen consumption to body temperature to ambient temperature differential ($T_b - T_a$) in *Myotis lucifugus*.

and indicate uniform energetic responses at various T_a s when $T_b - T_a$ differential exceed a critical level. The lowering of r^2 values as T_a increases indicates that $T_b - T_a$ differential explains progressively less of the variability in OC.

While a statistically significant rectilinear relationship exists between OC and $T_b - T_a$ at all T_a s analyzed, the relationship is best described by a curvilinear equation except at a T_a of 32°C. Use of a rectilinear equation predicts equal reductions in OC for any incremental reduction in T_b whereas the curvilinear equations show larger reductions in OC when T_b is reduced in equal increments from a high set point. As an example, at a T_a of 20°C a drop in T_b from 37°C (5.76 cc/g per hr) to 33°C (3.43 cc/g per hr) results in a reduction of OC of 2.33 cc/g per hr. Using 4.8 cal/cc of oxygen as an energy equivalent, this is a savings of 11.2 cal/g per hr. A further drop in T_b from 33°C to 29°C (1.72 cc/g per hr) results in a considerably reduced energy savings of only 8.2 cal/g per hr.

It is also useful to consider energy requirements for raising T_b . At a T_a of 16°C, minimum OC in *M. lucifugus*, when $T_b - T_a = 0$, is 0.268 cc/g per hr. A doubling of OC, to 0.536 cc/g per hr, yields a $T_b - T_a$ of 3.7°C; a tripling of OC yields a $T_b - T_a$ of 5.3°C; and, a quadrupling of minimal OC gives a $T_b - T_a$ of 6.5°C. From this perspective, the curvilinearity of the relation of OC to $T_b - T_a$ supports the hypotheses that homeothermy evolved gradually (Dawson *et al.*, 1979) or in stepwise intervals (Crompton *et al.*, 1978) rather than as a single major jump (Dawson & Hulbert, 1970), since the intermediate set points for controlled T_b require

disproportionately less energy than a very high T_b set point.

Acknowledgements—I thank Drs Bruce Wunder and William A. Calder for many useful comments on an earlier version of this manuscript and Dr Richard W. Dapson for his criticisms throughout the development of this manuscript.

REFERENCES

- BANHOLZER U. (1976) Water balance, metabolism, and heart rate in the fennec. *Die Naturwissenschaften* **63**, 1–2.
- CALDER W. A. (1972) Heat loss from small birds: analogy with Ohm's Law and a re-examination of the "Newtonian model". *Comp. Biochem. Physiol.* **43A**, 13–20.
- CALDER W. A. & KING J. R. (1972) Body weight and the energetics of temperature regulation: a re-examination. *J. exp. Biol.* **56**, 775–780.
- CROMPTON A. W., TAYLOR C. R. & JAGGER J. A. (1978) Evolution of homeothermy in mammals. *Nature* **272**, 333–336.
- DAWSON T. J. & HULBERT A. J. (1970) Standard metabolism, body temperature, and surface areas of Australian marsupials. *Am. J. Physiol.* **218**, 1233–1238.
- DAWSON T. J., GRANT T. R. & FANNING D. (1979) Standard metabolism of monotremes and the evolution of homeothermy. *Aust. J. Zool.* **27**, 511–515.
- DEGABRIELE R. & DAWSON T. J. (1979) Metabolism and heat balance in an arboreal marsupial, the koala (*Phascolarctos cinereus*). *J. comp. Physiol.* **134**, 293–301.
- GRANT T. R. & DAWSON T. J. (1978) Temperature regulation in the platypus, *Ornithorhynchus anatinus*: production and loss of metabolic heat in air and water. *Physiol. Zool.* **51**, 315–332.
- KAMAU J. M. Z., JOHANSEN K. & MALOYI G. M. O. (1979) Thermoregulation and standard metabolism of the slender mongoose (*Herpestes sanguineus*). *Physiol. Zool.* **52**, 594–602.
- KING J. R. (1964) Oxygen consumption and body temperature in relation to ambient temperature in the white-crowned sparrow. *Comp. Biochem. Physiol.* **12**, 13–24.
- KING J. R. & FARNER D. S. (1961) Energy metabolism, thermoregulation, and body temperature. In *Biology and Comparative Physiology of Birds* (Edited by MARSHALL A. J.), Vol. 2, pp. 215–288. Academic Press, London.
- KLEIBER M. (1961) *The Fire of Life*. Wiley, New York.
- KLEIBER M. (1972) A new Newton's Law of Cooling? *Science* **178**, 1283–1285.
- MENAB B. K. (1970) Body weight and the energetics of temperature regulation. *J. exp. Biol.* **53**, 329–348.
- MENAB B. K. (1980) On estimating thermal conductance in endotherms. *Physiol. Zool.* **53**, 145–156.
- PORTER W. P. & GATES D. M. (1969) Thermodynamic equilibria between animals and their environment. *Ecol. Monogr.* **39**, 245–270.
- RÜBSAMEN K. & KETTEMBEIL (1980) Effect of water restriction on oxygen uptake, evaporative water loss and body temperature of the rock hyrax. *J. comp. Physiol.* **138**, 315–320.
- SCHOLANDER P. F., WALTERS V., HOCK R. & IRVING L. (1950) Heat regulation in some arctic and tropical animals and birds. *Biol. Bull.* **99**, 236–258.
- STONES R. C. & WIEBERS J. E. (1965) A review of temperature regulation in bats (Chiroptera). *Am. Midl. Nat.* **74**, 155–167.
- STRUNK T. H. (1971) Heat loss from a Newtonian animal. *J. theoret. Biol.* **33**, 35–61.
- STRUNK T. H., TRACY C. R. & KLEIBER M. (1973) Technical comments: perspectives of linear heat transfer. *Science* **181**, 184–186.

- STUDIER E. H. & O'FARRELL M. J. (1972) Biology of *Myotis thysanodes* and *M. lucifugus* (Chiroptera: Vespertilionidae)—I. Thermoregulation. *Comp. Biochem. Physiol.* **41A**, 567-596.
- STUDIER E. H. & O'FARRELL M. J. (1976) Biology of *Myotis thysanodes* and *M. lucifugus* (Chiroptera: Vespertilionidae)—III. Metabolism, heart rate, breathing rate, evaporative water loss, and general energetics. *Comp. Biochem. Physiol.* **54A**, 423-432.
- STUDIER E. H., DAPSON R. W. & BIGELOW R. E. (1975) Analysis of polynomial functions for determining maximum or minimum conditions in biological systems. *Comp. Biochem. Physiol.* **52A**, 19-20.
- TRACY C. R. (1972) Newton's Law: its applicability for expressing heat losses from homeotherms. *Bioscience* **22**, 656-659.
- TUCKER V. A. (1965) Oxygen consumption, thermal conductance, and torpor in the California pocket mouse, *Perognathus californicus*. *J. Cell. comp. Physiol.* **65**, 393-404.