Vibrational Analysis of Peptides, Polypeptides, and Proteins. XXIV. Conformation of Poly(*a*-Aminoisobutyric Acid)

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Synopsis

Raman and polarized ir spectra have been obtained on built-up monomolecular films of $poly(\alpha$ -aminoisobutyric acid), and analyzed in the context of normal mode calculations on 3_{10^-} , α -, and α '-helix conformations of this molecule. The average discrepancy between observed and calculated frequencies is significantly smaller for the 3_{10^-} helix than for the other structures. This, together with the more satisfactory explanation of several special features of the spectra, indicates that this polypeptide adopts a 3_{10^-} helix conformation in such thin films.

INTRODUCTION

Peptide units containing α -aminoisobutyric acid (AIB) residues exert significant constraints on the conformational freedom of the polypeptide backbone.¹⁻⁶ This constraint arises from the steric interactions between the two methyl groups attached to the C^{α} atom, resulting in restrictions on the dihedral angles of the backbone to values very close to those of right- or left-handed 3₁₀-or α -helices.

Burgess and Leach¹ have suggested an obligatory α -helical structure for poly(α -aminoisobutyric acid) (PAIB). Malcolm,^{7,8} on the basis of ir and electron-diffraction studies of oriented films of PAIB, has reported a 3₁₀-helical structure. Also, experimental work on small peptides containing AIB residues has demonstrated that the conformation of the backbone is always a right- or left-handed 3₁₀-helix.⁹⁻¹⁵ Using classical potential energy functions and energy minimization, Venkataram Prasad and Sasisekharan² have worked out the relative stabilities of α - and 3₁₀-helical structures for PAIB. Their analysis indicates the necessity for nonplanar distortion of the peptide units as observed in the crystal structures of peptides with AIB residues,⁹⁻¹⁵ and they propose a helical structure with n = 4 and h = 1.5 Å (named α') as energetically more favorable than the standard 3₁₀-helix. Recently,

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Biopolymers, Vol. 23, 2025–2065 (1984) © 1984 John Wiley & Sons, Inc. Patterson et al.,³ in their conformational analysis of oligomers of AIB, have shown that the conformation is very sensitive to the covalent geometry of the residue, particularly the bond angles between the substituents on the C^a atom. Symmetrical tetrahedral geometry around C^a favors the α -helical conformation, whereas the asymmetric geometry observed in most of the crystals⁹⁻¹⁵ gives the 3₁₀-conformation as the favored structure.

Such variations among the various theoretically proposed structures prompted us to undertake a vibrational spectroscopic analysis of the structure of PAIB. With our success in deriving maximally transferrable vibrational force fields for polypeptides,^{16–22} we are now in a position to exploit the full potential of vibrational spectroscopy in determining structure in polypeptides and proteins.²³ The applicability of such techniques has already been demonstrated by some of the work reported from our laboratory.^{24–30}

Except for brief reports by Elliot³¹ and Malcolm,⁷ there has been no attempt to analyze the ir and Raman spectra of PAIB. In this paper we report Raman and polarized ir spectra of multimonomolecular layers of PAIB and N-deuterated PAIB (PAIB-ND). Normal mode analysis was carried out using three structural models, the α -helix,³² the 3₁₀helix,² and the α' -helix.² Since the same force field is used for the three calculations, the results distinctly show the influence of conformation on the vibrational frequencies. A comparison between the theoretical prediction and the experimental results clearly indicates that of the three structures, the 3₁₀-helix gives the best frequency fit. Thus, the vibrational analysis suggests that in such very thin films, PAIB has a 3₁₀-helical conformation.

MATERIALS AND METHODS

The polymer employed in this study was a small specimen prepared by W. E. Hanby of Courtaulds Limited and is the same as used previously.7 Oriented samples were prepared by first dissolving about 5 mg polymer in 0.5 mL dichloroacetic acid, purified by vacuum distillation. The solution was made up to 5 mL with chloroform (reagent grade, redistilled). Approximately 0.005 mL of the solution was spread on the surface of twice-distilled water in a Langmuir trough, forming a molecular monolayer that was then collapsed between two barriers moved across the surface. The final separation of the barriers was slightly greater than the width of the specimen plate used to remove the film. The film was removed by drawing the plate, with an up and down motion, across the surface between the barriers. This produced a specimen oriented with the polymer chains aligned parallel to the up and down motion of the plate. The specimen was dried down on the plate and the procedure was repeated until sufficient polymer had been deposited to give good spectra. Plates of barium fluoride or KRS5 were used for ir spectra and pieces of microscope slide for Raman spectroscopy. N-deuterated specimens were prepared in a similar manner by using O-deuterated dichloroacetic acid, and the monolayers were spread on dilute HCl (pH 3) to minimize exchange with hydrogen.

The ir spectra were recorded on a Perkin-Elmer 577 or 598 spectrophotometer. The peak positions are accurate to $\pm 2 \text{ cm}^{-1}$. For polarized ir spectra a wire-grid polarizer with the specimen set at 45° to the slit of the spectrometer was used. Raman spectra were recorded on a Spex 1403 spectrometer at a resolution of $\sim 2 \text{ cm}^{-1}$. The power on the samples, at the 5145-Å line of an Ar ion laser, was about 130 and 100 mW for undeuterated and deuterated specimens, respectively.

NORMAL MODE CALCULATION

Structure, Symmetry, and Selection Rules

For the normal mode calculations we used an isolated helical chain structure, since interchain interactions are expected to be very weak. The structural parameters (bond lengths, bond angles, and hydrogen bonds) and the dihedral angles ($\phi = -57.37^{\circ}$ and $\psi = -47.49^{\circ}$) for the α -helical structure were the same as those derived by Arnott and Dover³² from an x-ray diffraction refinement procedure. For the 3₁₀helix $(n = 2.99, h = 2.01 \text{ Å}, \phi = -45^\circ, \text{ and } \psi = -30^\circ)$ and the α' helix $(n = 4.00, h = 1.48 \text{ Å}, \phi = -55^\circ, \text{ and } \psi = -60^\circ)$, the structural parameters reported by Venkataram Prasad and Sasisekharan² were used. (We have chosen the structure for the 3_{10} -helix that is closest to the standard one, namely, with three residues per turn and an axial repeat of 6 Å.³³ Although it appears not to be the lowest energy structure, the dihedral angles of the latter, viz., $\phi = -50^\circ$, $\psi = -30^\circ$, ² are close enough that the vibrational frequencies are not expected to be significantly different.) The hydrogen-bonding pattern is different in the three structures, the 3_{10} -helix being of the $i + 3 \rightarrow i$ type, while the α - and α '-helices are of the $i + 4 \rightarrow i$ type. The hydrogen-bond strengths are in the order $3_{10} > \alpha > \alpha'$ (hydrogen-bond parameters for all the three helices are listed in Table I).

Except for H^{α} being replaced by a CH_3 group [the $CH_3(2)$ group], the chemical residue in PAIB is the same as in poly(L-alanine), and thus,

	нуа	rogen-Bond Parameters	for \mathcal{J}_{10} , α -, and α -fielde	8
		3 ₁₀ -Helix	a-Helix	a'-Helix
$r(\mathbf{H} \cdots \mathbf{O})$	(Å)	1.828	1.882	2.084
$r(\mathbf{N} \cdot \cdot \cdot \mathbf{O})$	(Å)	2.825	2.857	3.065
< (NHO)	(deg)	175.11	164.19	166.30
< (HNO)	(deg)	3.15	10.34	9.27

TABLE I vdrogen-Bond Parameters for 3_{107} , α -, and α' -Helic

for normal mode calculation purposes, the repeat unit has 13 atoms and 49 internal coordinates compared to 10 atoms and 39 internal coordinates in α -poly(L-alanine).²¹ The optically active modes are classified into A($\delta = 0^{\circ}$), E₁($\delta = \theta$), and E₂($\delta = 2\theta$) symmetry species, where δ is the phase difference between the motions in adjacent residues and θ is the angle of rotation per chemical residue about the helical axis; the value of θ is 120°, 99.57°, and 90° for 3₁₀, α , and α' , respectively. Since $\theta = 120^{\circ}$ for the 3₁₀-helix, the E₁ and E₂ species are degenerate and therefore we report only A and E₁ modes for this structure. The number of modes in each symmetry species and their optical activity for each structure are as follows: 3₁₀: A(Raman, ir_i)-37, E₁(Raman, ir₁)-38; α : A(Raman, ir_i)-37, E₁(Raman, ir₁)-38, E₂(Raman)-39; and α' : A(Raman, ir_i)-37, E₁(Raman, ir₁)-38, E₂(Raman)-39.

Force Field

As a starting point, we transferred without change all the necessary force constants from α -poly(L-alanine),²¹ even though we recognized that the presence in PAIB of a CH₃ group in place of H^a would result in different interactions around C^a. This force field was used to compute the frequencies and their potential energy distributions (PED) for the three structural models.

In general, the fit to the experimental data was very satisfactory, with only those modes having the larger contribution from the CH₃ (2) group showing some discrepancies. Besides such discrepancies common to all the structures, a detailed comparison showed that the computed frequencies for the 3₁₀-helix were generally in better agreement with the observed values. For instance, the amide V mode observed at 694 (ir₁) and 680 (ir₁) was predicted at 699 (E_1) and 672 (A) by the 3_{10} -helix, at 656 (E₁) and 629 (A) by the α -helix, and at 625 (E₁) and 619 (A) cm⁻¹ by α' -helix. A mixed mode (CN stretch + CC₂ asymmetric stretch + CH₃ rock) observed at 1214 (R) and 1210 (ir_{\parallel}) was predicted at 1194 (A), 1177 (A), and 1186 (A) cm⁻¹ by the 3_{10} , α -, and α '-helices, respectively. Apart from these prominent differences, there were about 10 more cases in which, although the differences were not as large, the 3_{10} -helix gave better agreement. We therefore used the 3_{10} -helix in making slight adjustments in the force constants that influence the CC_2 [C^a(CH₃)₂] group (these changes are essentially independent of conformation).

A total of 25 force constants (Table II) required alteration. Of these, the changes in five force constants, namely, f(CO), f(NH), $f(H \cdots O)$, f(CO ob), and $f(NH \cdots O \text{ t})$, reflect differences in hydrogen-bond geometry and strength between the 3_{10} - and α -helices. The final values of these constants were obtained by manual adjustment. For example, the unperturbed amide A (ν_A^0) mode for PAIB is at ~3260 cm⁻¹ (see Results and Discussion), which happens to be the mean of ν_A^0 values

Force Constant	Value
<i>f</i> (CO)	9.955
f(NH)	5.752
$f(\mathbf{H} \cdot \cdot \cdot \mathbf{O})$	0.135
f(CO ob)	0.687
$f(\mathbf{NH} \cdots \mathbf{O} \mathbf{t})$	0.0003
$f(\mathbf{C}^{\boldsymbol{eta}}\mathbf{C}^{\boldsymbol{lpha}}\mathbf{C}^{\boldsymbol{eta}})$	1.181
$f(\mathbf{C}^{\alpha}\mathbf{C}^{\beta}\mathbf{t})$	0.090
f(CαC,CαC ^β)	0.301
$f(\mathbf{C}^{\alpha}\mathbf{C}^{\beta},\mathbf{C}^{\alpha}\mathbf{C}^{\beta})$	0.100
$f(\mathbf{NC}^{\alpha},\mathbf{C}^{\beta}\mathbf{C}^{\alpha}\mathbf{C}^{\beta})$	0.200
$f(C^{\alpha}C, NC^{\alpha}C^{\beta})$	0.100
$f(C^{\alpha}C^{\beta}(1), NC^{\alpha}C^{\beta}(2))$	0.030
$f(C^{\alpha}C^{\beta}(1), CC^{\alpha}C^{\beta}(2))$	0.030
$f(C^{\alpha}C^{\beta}, C^{\beta}C^{\alpha}C^{\beta})$	0.517
$f(C^{\alpha}C^{\beta}, C^{\alpha}C^{\beta}H)$	0.403
$f(C^{\alpha}CO, CC^{\alpha}C^{\beta})$	0.200
$f(CNC^{\alpha}, NC^{\alpha}C^{\beta})$	0.100
$f(C^{\alpha}NH, NC^{\alpha}C^{\beta})$	0.050
$f(NC^{\alpha}C,NC^{\alpha}C^{\beta})$	0.100
$f(\mathbf{NC}^{\alpha}\mathbf{C}^{\beta},\mathbf{C}^{\beta}\mathbf{C}^{\alpha}\mathbf{C}^{\beta})$	-0.031
$f(NC^{\alpha}C^{\beta}, NH \text{ ob})$	0.060
$f(CC^{\alpha}C^{\beta}, CC^{\alpha}C^{\beta})$	0.100
$f(CC^{\alpha}O^{\beta}, C^{\beta}C^{\alpha}C^{\beta})$	-0.031
$f(C^{\beta}C^{\alpha}C^{\beta}, C^{\alpha}C^{\beta}H)_{T}$	0.100
$f(C^{\beta}C^{\alpha}C^{\beta}, C^{\alpha}C^{\beta}H)_{G}$	0.010

 TABLE II

 Modified Force Constants Appropriate to Poly(a-Aminoisobutyric Acid)

for α - and β -poly(L-alanine).³⁴ This indicates that the hydrogen-bond strength in PAIB is intermediate between those for the α - and β structures, which is also supported by the structural data $[r(N \cdots O)]$ for the β -structure is 2.731 Å²⁰]. We therefore took for the values of f(CO), f(NH), and $f(H \cdots O)$ the mean of the corresponding values for the α - helical²¹ and β -sheet²⁰ structures. The remaining force constants in Table II are associated with the CC_2 group and were refined by a least-squares method. Dispersions in these force constants in the range of 0.1-0.6 average 5%. It is interesting that the force constants associated with the backbone of the chain did not require any alteration, confirming the fact that the conformations of α - and 3_{10} -helices are very close.⁴ Although the above force constants were refined for the 3_{10} -helix, they also improved the fit between theoretical and experimental values when used for α and α' in the final calculations. For a complete force field for PAIB, readers will require all the relevant force constants from our work,^{20,21} as well as the 25 constants listed in Table II of this paper. This force field has been used to compute the frequencies of the 3_{10} , α -, and α '-helical structural models for PAIB and the corresponding N-deuterated derivatives.

It should be noted that, as in our earlier work,^{18,21} transition dipole

coupling interactions were used to calculate the splittings in amide I and II modes. In the 3_{10} -helix, contributions to the A and E_1 species for amide I are -2.3 and -3.3 cm⁻¹, respectively, and for amide II, -6.6 and 5.9 cm⁻¹, respectively. In the α -helix, contributions to A, E_1 , and E_2 species for amide I are -5.5, -7.2, and -16.8 cm⁻¹, respectively, and for amide II, -9.6, 6.2, and 4.2 cm⁻¹, respectively. For the α' -helix such contributions are -0.8, -1.3, and -19.2 cm⁻¹, and -8.4, 4.6, and 6.0 cm⁻¹, respectively. Since the transition dipole parameters are the same, these variations result from the conformational differences between the three structures. The detailed results are discussed in the following section.

RESULTS AND DISCUSSION

Poly(*a*-Aminoisobutyric Acid)

We present in Fig. 1 the polarized ir spectra of PAIB and PAIB-ND, and in Fig. 2 the Raman spectra of these materials—in both cases,



Fig. 1. Polarized ir spectra of (A) $poly(\alpha$ -aminoisobutyric acid) and (B) $poly(\alpha$ -aminoisobutyric acid-ND): Electric vector perpendicular to orientation direction (—) and electric vector parallel to orientation direction (- -).



Fig. 2. Raman spectra of (A) $poly(\alpha$ -aminoisobutyric acid) and (B) $poly(\alpha$ -aminoisobutyric acid-ND).

thin films prepared by the Langmuir trough technique described above. The observed band frequencies are given in Tables III and IV, together with the calculated frequencies and PEDs of the 3_{10} , α -, and α' -helices.

The NH stretch (amide A) mode is observed at 3272 (ir_µ) cm⁻¹. This is lower than the values found for α -poly(L-alanine)¹⁸ (3307 cm⁻¹) and β -poly(L-alanine)³⁴ (3276 cm⁻¹), which might suggest that the hydrogen bond in PAIB is stronger than those in the other two structures. However, amide A is perturbed by Fermi resonance,^{16,34} and therefore, a meaningful conclusion can be drawn only by comparing unperturbed frequencies. The ir spectrum indicates the presence of two amide B modes (of A species, as in the case of amide A), at 3060 and 3030 cm⁻¹. (It might be noted that this is in contrast to the α -helix of poly(Lalanine), which exhibits only a single amide B mode at 3058 cm⁻¹.³⁴) The integrated area ratios of these bands to the amide A band are 0.0518 and 0.0566, respectively, leading^{16,34} to unperturbed frequencies of $\nu_A^0 = 3262$ cm⁻¹, $\nu_B^0 = 3070$ cm⁻¹ and $\nu_A^0 = 3259$ cm⁻¹, $\nu_B^0 = 3043$ cm⁻¹, respectively.

These results lead to some interesting conclusions. The value of

		Observed and	Calculated Fre	quencies (in cr	m ⁻¹) of Poly(α-Aminoisobutyric Acid)
Obs	served ^a		Calculated		
Raman	IR	A	ы	\mathbf{E}_2	Potential Energy Distribution ^c
	3260S ₄ 4	3263 3261 3262			NH s(97) NH s(98) NH s(98)
			3263 3261 3262		NH s(97) NH s(98) NH s(98)
				3261 3262	NH s(98) NH s(98)
2989S	2985S	2986 2985 2986			${ m CH}_{3}(1) { m as2}(49), { m CH}_{3}(2) { m as1}(35), { m CH}_{3}(2) { m as2}(14)\ { m CH}_{3}(2) { m as1}(46), { m CH}_{3}(1) { m as2}(46)\ { m CH}_{3}(1) { m as2}(50), { m CH}_{3}(2) { m as1}(35), { m CH}_{3}(2) { m as2}(14)$
2998M,sh	2995M,sh ₁		2986 2985 2986		${ m CH}_{3}(1)~{ m as2(50)}, { m CH}_{3}(2)~{ m as1(35)}, { m CH}_{3}(2)~{ m as2(14)} { m CH}_{3}(2)~{ m as1(47)}, { m CH}_{3}(1)~{ m as2(45)} { m CH}_{3}(1)~{ m as2(50)}, { m CH}_{3}(1)~{ m as2(50)}, { m CH}_{3}(2)~{ m as1(35)}, { m CH}_{3}(2)~{ m as2(14)}$
				2985 2986	${ m CH_3(2)}~{ m as1(47), CH_3(1)}~{ m as2(45)}~{ m CH_3(1)}~{ m as2(50), CH_3(2)}~{ m as1(355), CH_3(2)}~{ m as2(14)}$
2989S	2985S	2984 2984 2984			$ m CH_3(1) as1(50), m CH_3(2) as2(35), m CH_3(2) as1(14) \ m CH_3(2) as2(48), m CH_3(1) as1(45) \ m CH_3(1) as1(51), m CH_3(2) as2(34), m CH_3(2) as1(14)$

TABLE III ulated Frequencies (in cm ⁻¹⁾ of Polv(n-Aminoisob

2998M,sh	$2995 M, sh_1$		2984 2984 2984		$\begin{array}{l} CH_3(1) as1(52), CH_3(2) as2(33), CH_3(2) as1(14) \\ CH_3(1) as1(48), CH_3(2) as2(45) \\ CH_3(1) as1(52), CH_3(2) as2(34), CH_3(2) as1(14) \\ \end{array}$	
				2984 2984	$CH_3(1) as1(46), CH_3(2) as2(46) \cdot \cdot CH_3(1) as1(50), CH_3(2) as2(35), CH_3(2) as1(14)$	
2989S	2985S	2984 2984 2984			$\begin{array}{l} CH_3(1) as1(49), CH_3(2) as2(38), CH_3(2) as1(12) \\ CH_3(1) as1(50), CH_3(2) as2(31), CH_3(2) as1(18) \\ CH_3(1) as1(48), CH_3(2) as2(40), CH_3(2) as1(12) \end{array}$	
2998M.sh	2995M,sh ₁		2984 2984 2984		$\begin{array}{l} CH_{3}(1) \mbox{ as1}(47), CH_{3}(2) \mbox{ as2}(40), CH_{3}(2) \mbox{ as1}(12) \\ CH_{3}(1) \mbox{ as1}(46), CH_{3}(2) \mbox{ as2}(33), CH_{3}(2) \mbox{ as1}(19) \\ CH_{3}(1) \mbox{ as1}(47), CH_{3}(2) \mbox{ as2}(40), CH_{3}(2) \mbox{ as1}(12) \\ \end{array}$	
				2984 2984	$CH_3(1)$ as1(47), $CH_3(2)$ as2(33), $CH_3(2)$ as1(19) $CH_3(1)$ as1(49), $CH_3(2)$ as2(39), $CH_3(2)$ as1(12)	
2989S	2985S	2982 2982 2982			$\begin{array}{l} CH_3(1) \ as2(50), CH_3(2) \ as1(38), CH_3(2) \ as2(12) \\ CH_3(1) \ as2(49), CH_3(2) \ as1(32), CH_3(2) \ as2(18) \\ CH_3(1) \ as2(50), CH_3(2) \ as1(38), CH_3(2) \ as2(12) \end{array}$	
2998M,sh	2995M,sh _i		2982 2982 2982		$\begin{array}{l} CH_3(1) as2(49), CH_3(2) as1(39), CH_3(2) as2(11) \\ CH_3(1) as2(49), CH_3(2) as1(31), CH_3(2) as2(19) \\ CH_3(1) as2(49), CH_3(2) as1(38), CH_3(2) as2(12) \end{array}$	
				2982 2982	CH ₃ (1) as2(49),CH ₃ (2) as1(31),CH ₃ (2) as2(18) CH ₃ (1) as2(50),CH ₃ (2) as1(38),CH ₃ (2) as2(11)	

	Potential Energy Distribution ^c	$CH_3(2) ss(57), CH_3(1) ss(43)$ $CH_3(1) ss(74), CH_3(2) ss(25)$ $CH_3(2) ss(55), CH_3(1) ss(45)$	$CH_3(1) ss(73), CH_3(2) ss(27)$ $CH_3(2) ss(53), CH_3(1) ss(46)$ $CH_3(2) ss(86), CH_3(1) ss(13)$	$ m CH_3(2)~ss(52), m CH_3(1)~ss(48)$ $ m CH_3(2)~ss(70), m CH_3(1)~ss(30)$	${ m CH}_{3}(1){ m ss}(57),{ m CH}_{3}(2){ m ss}(43)$ ${ m CH}_{3}(2){ m ss}(74),{ m CH}_{3}(1){ m ss}(25)$ ${ m CH}_{3}(1){ m ss}(55),{ m CH}_{3}(2){ m ss}(45)$	$CH_3(2) ss(73), CH_3(1) ss(27)$ $CH_3(1) ss(53), CH_3(2) ss(46)$ $CH_3(1) ss(86), CH_3(2) ss(13)$	$ m CH_3(2)~ss(52), CH_3(1)~ss(48)$ $ m CH_3(1)~ss(70), CH_3(2)~ss(30)$	CO s(79),CN s(13),C°CN d(10) CO s(81),CN s(12),C°CN d(10) CO s(81),CN s(15)
	E2			2929 2929			2929 2929	
Calculated ^b	ਸ਼ੁ		2929 2929 2929			2929 2929 2929		
	A	2929 2929 2929			2929 2929 2929			1665 1657 1665
rved ^a	IR				2935M1			1656VS
Obse	Raman				2944VS 2933M,sh			

Table III (continued)

								(continued)
CO s(81),CN s(13),C°CN d(10) CO s(81),CN s(12),C°CN d(10) CO s(81),CN s(14),C°CN d(10)	CO s(81),CN s(12),C ^a CN d(10) CO s(81),CN s(14),C ^a CN d(10)	NH ib(47),CN s(29),C ^a C s(11),CO ib(11) NH ib(41),CN s(32),C ^a C s(13),CO ib(13) NH ib(44),CN s(29),C ^a C s(12),CO ib(12)	NH ib(48),CN s(30),CO ib(11),C ^a C s(10) NH ib(42),CN s(34),CO ib(13),C ^a C s(12) NH ib(45),CN s(30),CO ib(12),C ^a C s(12)	NH ib(41),CN s(31),C ^o C s(13),CO ib(13) NH ib(43),CN s(27),C ^o C s(13),CO ib(12)	$\begin{array}{l} CH_3(1) \ ab1(37), CH_3(2) \ ab2(30), CH_3(2) \ ab1(12) \\ CH_3(1) \ ab1(38), CH_3(2) \ ab2(24), CH_3(2) \ ab1(18) \\ CH_3(1) \ ab1(37), CH_3(2) \ ab2(23), CH_3(2) \ ab1(21) \end{array}$	$CH_3(1) ab1(40), CH_3(2) ab2(36) CH_3(1) ab1(43), CH_3(2) ab2(32) CH_3(1) ab1(43), CH_3(2) ab2(31)$	${ m CH}_3(1)$ ab1(36), ${ m CH}_3(2)$ ab1(22), ${ m CH}_4(2)$ ab2(22) ${ m CH}_3(1)$ ab1(33), ${ m CH}_3(2)$ ab1(24), ${ m CH}_3(2)$ ab2(23)	$\begin{array}{l} CH_3(1) \ ab2(51), CH_3(2) \ ab1(24) \\ CH_3(1) \ ab2(54), CH_3(2) \ ab1(18), CH_3(2) \ ab2(11) \\ CH_3(1) \ ab2(52), CH_3(2) \ ab1(19), CH_3(2) \ ab2(12) \end{array}$
	1646 1648			1538 1546			1458 1457	
1661 1655 1665		1547 1535 1536			1457 1457 1457			1454 1453 1454
			1533 1514 1515			1456 1456 1456		
		1545VS_1			1455S ₁	$1467S_{\parallel}$		
1647S			1531W			1457M,sh		

VIBRATIONAL ANALYSIS. XXIV

Observed ^a		Ü	alculated ^b		
Raman	IR	A	ਸ਼	E2	Potential Energy Distribution ^e
1450S		1452 1452 1453			$ m CH_{3}(2)~ab1(45), m CH_{3}(1)~ab2(29)$ m CH_{3}(2)~ab1(45), m CH_{3}(1)~ab2(23), m CH_{3}(2)~ab2(15) m CH_{3}(2)~ab1(48), m CH_{3}(1)~ab2(23), m CH_{3}(2)~ab2(13)
				1454 1454	CH ₃ (1) ab2(64),CH ₃ (2) ab1(10),CH ₃ (2) ab2(10) CH ₃ (1) ab2(64),CH ₃ (2) ab1(11)
1450S		1450 1450 1451			${ m CH}_{3}(1)$ ab2(41), ${ m CH}_{3}(2)$ ab1(34), ${ m CH}_{3}(1)$ ab1(13) ${ m CH}_{3}(1)$ ab2(41), ${ m CH}_{3}(2)$ ab1(30), ${ m CH}_{3}(1)$ ab1(16) ${ m CH}_{3}(1)$ ab2(51), ${ m CH}_{3}(2)$ ab1(25), ${ m CH}_{3}(1)$ ab1(10)
			1450 1450 1450		${ m CH}_{3}(2)$ ab1(49), ${ m CH}_{3}(1)$ ab2(21), ${ m CH}_{3}(1)$ ab1(16) ${ m CH}_{3}(2)$ ab1(44), ${ m CH}_{3}(1)$ ab1(27), ${ m CH}_{3}(1)$ ab2(13) ${ m CH}_{3}(2)$ ab1(43), ${ m CH}_{3}(1)$ ab1(22), ${ m CH}_{3}(1)$ ab1(17)
				1450 1450	$ m CH_3(2)\ ab1(50), m CH_3(1)\ ab1(31)\ m CH_3(2)\ ab1(50), m CH_3(1)\ ab1(22), m CH_3(1)\ ab2(11)$
1450S		1449 1449 1449			$\mathrm{CH}_{\mathrm{s}}(2)$ ab2(44), $\mathrm{CH}_{\mathrm{s}}(1)$ ab1(32), $\mathrm{CH}_{\mathrm{s}}(1)$ ab2(14) $\mathrm{CH}_{\mathrm{s}}(2)$ ab2(41), $\mathrm{CH}_{\mathrm{s}}(1)$ ab1(28), $\mathrm{CH}_{\mathrm{s}}(1)$ ab2(21) $\mathrm{CH}_{\mathrm{s}}(2)$ ab2(44), $\mathrm{CH}_{\mathrm{s}}(1)$ ab1(33), $\mathrm{CH}_{\mathrm{s}}(1)$ ab2(13)
			1449 1449 1449		${ m CH}_{3}(2)$ ab2(48), ${ m CH}_{3}(1)$ ab1(32), ${ m CH}_{3}(1)$ ab2(10) ${ m CH}_{3}(2)$ ab2(48), ${ m CH}_{3}(1)$ ab1(21), ${ m CH}_{3}(1)$ ab2(17) ${ m CH}_{3}(2)$ ab2(47), ${ m CH}_{3}(1)$ ab1(32), ${ m CH}_{3}(1)$ ab2(11)
				1449 1449	$ m CH_3(2)\ ab2(55), CH_3(1)\ ab1(19), CH_3(1)\ ab2(13)\ CH_3(2)\ ab2(51), CH_3(1)\ ab1(32)$

Table III (continued)

								(continued)
$CH_3(2) sb(46), CH_3(1) sb(28)$ $CH_3(2) sb(43), CH_3(1) sb(33)$ $CH_3(2) sb(37), CH_3(1) sb(34)$	${ m CH}_3(1)$ sb(48), ${ m CH}_3(2)$ sb(35) ${ m CH}_3(1)$ sb(47), ${ m CH}_3(2)$ sb(33) ${ m CH}_3(1)$ sb(43), ${ m CH}_3(2)$ sb(29)	$CH_3(2) sb(48), CH_3(1) sb(23)$ $CH_3(2) sb(44), CH_3(1) sb(21)$	$CH_3(1) sb(64), CH_3(2) sb(29)$ $CH_3(1) sb(57), CH_3(2) sb(44)$ $CH_3(1) sb(52), CH_3(2) sb(49)$	$CH_3(2) sb(62), CH_3(1) sb(40)$ $CH_3(2) sb(64), CH_3(1) sb(39)$ $CH_3(2) sb(66), CH_3(1) sb(35)$	$CH_3(1) sb(71), CH_3(2) sb(29)$ $CH_3(1) sb(73), CH_3(2) sb(28)$	CH ₃ (2) sb(21),NH ib(19),NC ^a s(15),C ^a C s(11) NC ^a s(20),NH ib(19) NH ib(23),NC ^a s(15)	$\label{eq:nonlinear} \begin{array}{l} NH \ ib(22), NC^{\circ} \ s(14), CC_{2} \ ss(11), CH_{3}(1) \ sb(10) \\ NC^{\circ} \ s(20), NH \ ib(16), CC_{2} \ ss(14) \\ NH \ ib(26), CH_{3}(1) \ sb(21), CC_{2} \ as(13) \end{array}$	NH ib(19),NC ^a s(18),CH ₃ (2) sb(16) CH ₃ (2) sb(24),NH ib(22),NC ^a s(14)
		1387 1389			1367 1367			1345 1347
1387 1387 1390			1369 1366 1367			1346 1334 1334		
	1386 1388 1392			1366 1366 1366			1312 1311 1316	
$1385S_1$				1361S ₉				
1386W				1364W		1339W	1313VW	

VIBRATIONAL ANALYSIS. XXIV

			•		
Obset	rved ^a		Calculated ^b		
Raman	IR	A	ы	\mathbf{F}_2	Potential Energy Distribution ^c
1302W	$1304S_1$		1302 1296 1296		$\begin{array}{l} CC_{2} ss(24), NC^{\circ} s(16), C^{\circ}C s(11) \\ CC_{2} ss(19), NH ib(16), C^{\circ}C s(15), NC^{\circ} s(11) \\ CC_{2} ss(17), NC^{\circ} s(16), C^{\circ}C s(12) \end{array}$
1280M	1280M _i	1287 1295 1300			$ \begin{array}{l} \mathbb{C}^{a}\mathbb{C}\ s(24), N\mathbb{C}^{a}\ s(20), \mathbb{C}\mathbb{C}_{2}\ w(13), NH\ ib(10)\\ \mathbb{C}^{a}\mathbb{C}\ s(21), NH\ ib(19), N\mathbb{C}^{a}\ s(15), \mathbb{C}\mathbb{C}_{2}\ as(11), \mathbb{C}\mathbb{C}_{2}\ w(10), \mathbb{C}H_{3}(1)\ sb(10)\\ N\mathbb{C}^{a}\ s(31), \mathbb{C}\mathbb{C}_{2}\ w(14), \mathbb{C}^{a}\mathbb{C}\ s(13) \end{array} $
				1293 1285	$CC_2 ss(26), NH ib(16), C^{\circ}C s(14), NC^{\circ} s(10), CH_3(1) rl(10) CC_2 ss(26), C^{\circ}C s(13), NC^{\circ} s(12), CH_3(1) rl(11), NH ib(10)$
1230W		1230 1228 1235			$CC_2 as(60), CH_3(1) rl(17), CC_2 r(11), CH_3(2) sb(10)$ $CC_2 as(50), CH_3(1) rl(17)$ $CC_2 as(55), CH_3(1) rl(13), CH_3(2) sb(11), CC_2 r(10)$
	1227S ₁		1230 1224 1233		CC ₂ as(81),CC ₂ r(15) CC ₂ as(66),CC ₂ r(12) CC ₂ as(64),CC ₂ r(11)
				1225 1233	CC ₂ as(74),CC ₂ r(13) CC ₂ as(76),CC ₂ r(13),CH ₃ (1) sb(10)
1214W	1210S	1196 1182 1186			CC_2 as(19),CN s(14),CH ₃ (2) r[(14) CC_2 as(17),CN s(16),CH ₃ (2) r](13),NH ib(12) CN s(16),CH ₃ (2) r](13),CC ₂ as(11)
1170S	$1170S_{\perp}$		1165 1166 1168		CH ₃ (2) r I(19),CN s(18),CH ₃ (1) r 2(14),CC ₂ w(11) CN s(18),CH ₃ (2) r I(16),CH ₃ (1) r 2(12),NH ib(11) CN s(18),CH ₃ (2) r I(16),CH ₃ (1) r 2(11)

Table III (continued)

CN s(19),CH ₃ (2) rl(17),CH ₃ (1) r2(15),CC ₂ w(11),NH ib(10) CN s(19),CH ₃ (2) rl(18),CH ₃ (1) r2(17),CC ₂ w(12)	$\begin{array}{l} {\rm CH}_3(1) \ r2(47), {\rm CH}_3(2) \ r1(32), {\rm CH}_3(2) \ r2(11) \\ {\rm CH}_3(1) \ r2(47), {\rm CH}_3(2) \ r1(32), {\rm CH}_3(2) \ r2(11) \\ {\rm CH}_3(1) \ r2(47), {\rm CH}_3(2) \ r1(33), {\rm CH}_3(2) \ r2(10) \end{array}$	$\begin{array}{l} CH_3(1) \ r2(46), CH_3(2) \ r1(33), CH_3(2) \ r2(11) \\ CH_3(1) \ r2(46), CH_3(2) \ r1(33), CH_3(2) \ r2(10) \\ CH_3(1) \ r2(46), CH_3(2) \ r1(34), CH_3(2) \ r2(10) \end{array}$	CH ₃ (1) $r2(48)$,CH ₃ (2) $r1(30)$,CH ₃ (2) $r2(12)$ CH ₃ (1) $r2(47)$,CH ₃ (2) $r1(31)$,CH ₃ (2) $r2(11)$	$\begin{array}{l} CH_3(1) \ r](38), CH_3(2) \ r2(31), CC_2 \ as(16) \\ CH_3(1) \ r](36), CH_3(2) \ r2(31), CC_2 \ as(16) \\ CH_3(1) \ r](39), CH_3(2) \ r2(31), CC_2 \ as(14) \end{array}$	$\begin{array}{l} CH_3(1) \ r1(39), CH_3(2) \ r2(28), CC_2 \ as(17) \\ CH_3(1) \ r1(39), CH_3(2) \ r2(27), CC_2 \ as(17), CH_3(2) \ r1(10) \\ CH_3(1) \ r1(41), CH_3(2) \ r2(28), CC_2 \ as(14), CH_3(2) \ r1(10) \end{array}$	$CH_3(2) \ r^2(35), CH_3(1) \ r[(33), CC_2 \ as(15) \\ CH_3(1) \ r[(35), CH_3(2) \ r^2(35), CC_2 \ as(14) \\$	$\begin{array}{l} CH_{4}(1) \ r[(23), CH_{3}(2) \ r2(23), CC_{2} \ ss(18), NC^{a} \ s(13) \\ CH_{4}(1) \ r[(24), CH_{3}(2) \ r2(24), CC_{2} \ ss(21), NC^{a} \ s(13) \\ CH_{3}(2) \ r[(22), CC_{2} \ ss(19), CH_{3}(1) \ r[(19), NC^{a} \ s(14) \\ \end{array}$	$ \begin{array}{l} CH_3(2) \ r2(24), NC^{*} \ s(21), CC_2 \ ss(18), CH_3(1) \ r2(17), CH_3(1) \ r1(10) \\ CH_3(2) \ r2(28), CC_2 \ ss(22), NC^{*} \ s(18), CH_3(1) \ r1(13), CH_3(1) \ r2(12) \\ CH_3(2) \ r2(26), NC^{*} \ s(20), CH_3(1) \ r2(17), CC_2 \ ss(16) \\ (continued) \end{array} $
1158 1157			1023 1023			998 1000		
	1023 1023 1022			1000 997 1000			980 977 972	
		1022 1023 1022			999 797 10001			958 965 962
		1020VW						953VW ₁
		1018M			WM966			950M

VIBRATIONAL ANALYSIS. XXIV

			[Fable III (cont.	inued)
Obser	vedª		Calculated ^b		
Raman	IR	A	ធ	E	Potential Energy Distribution ^c
				984 979	$CH_{3}(1) \ rl(30), CH_{3}(2) \ r2(22), CC_{2} \ ss(19), NC^{\alpha} \ s(11) CH_{3}(1) \ rl(28), CH_{3}(2) \ r2(21), CC_{2} \ ss(20), NC^{\alpha} \ s(11)$
	940W1		940 941 935		$ \begin{array}{l} CN \ \ s(17), CH_3(2) \ rl(12), CH_3(1) \ r2(11), CNC^a \ d(10) \\ CN \ \ s(16), CH_3(2) \ rl(13), CNC^a \ d(10) \\ CN \ \ s(16), CH_3(2) \ rl(11) \\ \end{array} $
923M	920S	926 929 929			$CC_2 \text{ ss}(33), C^{\circ}C \text{ s}(20), CH_3(2) \text{ rl}(13)$ $CC_2 \text{ ss}(22), C^{\circ}C \text{ s}(22), CH_3(2) \text{ rl}(14), CH_3(1) \text{ r}2(12)$ $CC_2 \text{ ss}(25), C^{\circ}C \text{ s}(19), CN \text{ s}(13)$
				944 940	CN s(16),CH ₃ (2) r1(15),CH ₃ (1) r2(11),CNC ^a d(10) CN s(17),CH ₃ (2) r1(13),CH ₃ (1) r2(11),CNC ^a d(10)
SV806	905VW	905 902 902			CNC ^a d(22),CN s(13),C ^a CN d(11),CO ib(11) CNC ^a d(20),CC ₂ ss(14),C ^a CN d(11),CN s(11),CO ib(10) CNC ^a d(18),CC ₂ ss(16),C ^a CN d(10)
823M	$820M_{\rm L}$		832 849 857		$CC_2 \text{ ss}(42), NC^{\circ} \text{ s}(17), CO \text{ ib}(11)$ $CC_2 \text{ ss}(31), NC^{\circ} \text{ s}(15), CO \text{ ib}(10)$ $CC_2 \text{ ss}(27), NC^{\circ} \text{ s}(16), CO \text{ ib}(10)$
				812 811	$CC_2 \operatorname{ss}(54), NC^{\circ} \operatorname{s}(16) \\ CC_2 \operatorname{ss}(54), CO \operatorname{ob}(19)$
WV067	¹ WW062		782 781 788		CO ob(49),CN t(13),CC ₂ ss(10) CO ob(48),CC ₂ ss(13) CO ob(46),CC ₂ ss(17)

CO ob(41),CN t(31) CO ob(44),CN t(26) CO ob(46),CN t(22)	CO ob(50) CO ob(35),NCª s(22)	CN t(54),NH ob(30),CO ob(11),NH· · ·O ib(11) CN t(65),NH ob(35),NH· · ·O ib(12) CN t(75),NH ob(37)	NH ob(40),CN t(37),CO ob(27),CC ₂ r(13),NH \cdots O ib(10) CN t(55), NH ob(44),CO ob(23),NH \cdots O ib(11),CC ₂ r(11) CN t(46),NH ob(17)	CN t(27),C°C s(18),CC ₂ w(14) C°C s(22),CC ₂ w(17),CN t(17),CO ib(10)	CO ib(18),CC ₂ w(18),C ^a C s(17),CN t(11) CC ₂ w(18),CN t(17),CO ib(16),C ^a C s(12) CO ib(16),CC ₂ w(16),C ^a CN d(14),C ^a C s(13)	CN t(61),NH ob(39),NH · · ·O ib(12) CN t(80),NH ob(NHob)(42)	$\label{eq:NC-c} NC^{a}C \ d(16), CC_{2} \ ss(15), CN \ t(13), NC^{a} \ s(10), CC_{2} \ b(10) \\ NC^{a}C \ d(18), CC_{2} \ ss(13), NC^{a} \ s(10), CC_{2} \ w(10) \\ NH \ ob(20), NC^{a}C \ d(17), CO \ ob(11) \\ \end{array}$	C°CN d(35),CC ₂ w(31),CO ib(21) C°CN d(32),CC ₂ w(22),CN t(16),CO ib(15) CN t(37),CC ₂ w(23),NH ob(21),C°CN d(21),CO ib(17), CO ob(13) (continued)
	785 796			688 692		654 625		
		701 659 625			640 628 619			
778 767 767			676 628 619				594 593 595	557 561 542
		694S ₁	680MW ₁				595S	
762W					642W		594M	568S

VIBRATIONAL ANALYSIS. XXIV

			F	able III (cont	inued)
Obse	rved ^a		Calculated ^b		
Raman	IR	A	ਸ਼ੁ	\mathbf{E}_2	Potential Energy Distribution ⁶
506W	505S1		506 499 502		CC ₂ r(38),NC ^a C d(14) CC ₂ r(34),NC ^a C d(15) CC ₂ r(32),NC ^a C d(12)
				477 477	CC ₂ r(29),CO ib(14),NC°C d(10),C°C s(10) CC ₂ r(28),CO ib(24),C°C s(11)
		435 425 424			CC ₂ tw(35),CC ₂ b(22),CC ₂ r(13) CC ₂ b(32),CC ₂ tw(19),CC ₂ w(13),CC ₂ r(11) CC ₂ b(38),CC ₂ tw(17),CC ₂ w(11)
422M	$425M_1$		433 442 456		CC ₂ b(54),CO ib(14) CC ₂ b(46),CO ib(12) CC ₂ b(37),CO ib(13),NH ob(12),C°CN d(11)
				415 424	CC ₂ b(64) CC ₂ b(47),CC ₂ tw(15),NC°C d(13)
367M	367M ₁		361 353 361		CC ₂ w(20),CC ₂ tw(18),C ² CN d(15),CC ₂ b(11),CO ib(10) CC ₂ w(17),CO ib(16),CC ₂ tw(16),CC ₂ b(11) CC ₂ b(23),CC ₂ tw(15),CC ₂ w(13)
	362S ₁	351 364 366			CC ₂ w(32),CC ₂ b(16) CC ₂ w(23),CC ₂ b(19),CC ₂ r(12),CO ob(12) CC ₂ w(33),CC ₂ b(15),CO ob(15)
				376 387	$CC_2 tw(36), CC_2 b(17), C^{\circ}CN d(16), CC_2 r(10) CC_2 tw(31), CC_2 b(29), C^{\circ}CN d(14)$

								ontinued)
CO ib(29),CC ₂ r(23),CNC ^a d(11) CO ib(38),C ^a C s(14),CC ₂ w(12),CC ₂ r(12) CO ib(36),CC ₂ r(16),C ^a C s(13)	CC ₂ tw(23),CC ₂ b(14),CO ib(14),CNC ^a d(10),NC ^a C d(10) CC ₂ b(22),CC ₂ tw(22),CO ib(12),NC ^a C d(11) CO ib(21),CC ₂ b(18),CC ₂ tw(15),NC ^a C d(12)	CO ib(18),CC ₂ w(17) CC ₂ w(17),CO ib(16),CC ₂ r(16)	CC ₂ b(36),CC ₂ tw(30) CC ₂ tw(42),CC ₂ b(30) CC ₂ tw(46),CC ₂ b(26)	CC ₂ w(19),CC ₂ tw(18),CC ₂ r(11),CO ob(11),CC ₂ b(10) CC ₂ tw(30),CC ₂ w(20),CC ₂ b(12),CC ₂ r(10) CC ₂ tw(34),CC ₂ w(20),CC ₂ b(11),CC ₂ r(10)	CC ₂ w(17),CC ₂ tw(17),CO ob(15),NC°C d(12) CC ₂ w(25),NC°C d(13),CC ₂ tw(10),CO ob(10)	$C^{a}C^{\beta}$ (194) $C^{a}C^{\beta}$ (183) $C^{a}C^{\beta}$ (185)	C=C ^B t(93) C=C ^B t(96) C=C ^B t(96)	$C^{\alpha}C^{\beta}$ t(89) $C^{\alpha}C^{\beta}$ t(89) (c
		318 310			268 275			223 224
	324 326 317			276 289 289			223 224 224	
330 337 322			289 284 280			223 224 222		
	$313M_1$							
	316M		298S	284M		220M		

		122 138	CNC° d(31),NH ob(24), CC_{2} r(12) CNC° d(26), CC_{2} r(15), $H \cdot \cdot \cdot O$ s(11), CO ob(10)
	92 92 92 92 93 93 93 92		HO s(20),C°C t(17),NH ob(16),NC° t(13),CN t(10) C°C t(21),NH ob(19),NC° t(17),CN t(16),HO s(11) C°C t(22),NH ob(19),NC° t(19),HO s(13)
107W			NC° t(36),C°C t(26),H. • . O s(15),CN t(10) NC° t(26),C°C t(25),CN t(23),H. • . O s(13) H. • . O s(25),NC° t(21),C°C t(20),CO• • .H ib(11)
		80 92	NH ob(25),NC•C d(17),Nh• • • O ib(16),C•C t(10) NH ob(54),NC•C d(23),H• • • • O s(19)
	45 33 40		NH ob(27),NC+C d(23),NH+ · · O ib(11) NH ob(51),NC+C d(33),H+ · · O s(11) H+ · · O s(33),NH ob(28),NC+C d(17),NC+ t(10)
		44 43	NH ob(47),NC=C d(29),NC= t(18),C=C t(14),CN t(13),HO s(12) C=C t(47),NC= t(24),NH ob(22),NC=C d(16),CN t(12)
		32 31	C°C t(46),H. · · O s(25) NC° t(31),C°C t(26),NH · · · O ib(24),NH ob(10)
^a S = strong, M = medium, W = b In the A and E ₁ blocks, the modes third for the α' -helix. In the E ₂ block ^c s = stretch, as = antisymmetric i = antisymmetric angle bend, sb = sy are included. Numbers 1 and 2 have ^d Unperturbed frequency.	weak, V = very, sh s are grouped in thr s only modes due to stretch, ss = symme rmmetric angle bend been used in parent	= shoulder, $\parallel = pa$ ee's. In each group, α - and α' -helices ar etric stretch, $b = a$, $r = rock$, $d = defc$ theses to distinguish	urallel dichroism, $1 =$ perpendicular dichroism. the first entry is for the 3_{10} -helix, the second for the α -helix, and the e listed; the first of the group is due to α and the second to α' . ngle bend, ib = in-plane angle bend, ob = out-of-plane angle bend, al rimation, t = torsion, tw = twist. Only contributions of 10% or greater in the two methyl groups.

VIBRATIONAL ANALYSIS. XXIV

Observed ^a Calculated ^b	Potential-Energy Distribution CH ₃ (1) as2(50),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as2(50),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as2(49),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as2(50),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as2(50),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as2(50),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as2(50),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as2(50),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as2(50),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as2(50),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as2(60),CH ₃ (2) as1(35),CH ₃ (2) as2(14) CH ₃ (1) as1(49),CH ₃ (2) as2(35),CH ₃ (2) as1(15) CH ₃ (1) as1(42),CH ₃ (2) as2(37),CH ₃ (2) as1(15) CH ₃ (1) as1(43),CH ₃ (2) as2(37),CH ₃ (2) as1(14) CH ₃ (1) as1(43),CH ₃ (2) as2(37),CH ₃ (2) as1(14) CH ₃ (1) as1(43),CH ₃ (2) as2(37),CH ₃ (2) as1(14) CH ₃ (1) as1(43),CH ₃ (2) as2(37),CH ₃ (2) as1(15) CH ₃ (1) as1(42),CH ₃ (2) as2(37),CH ₃ (2) as1(15) CH ₃ (1) as1(42),CH ₃ (2) as2(37),CH ₃ (2) as1(14)	Ed ^b Ed ^b E ₂ 2985 2984 2984 2984	Calculat E ₁ E ₂ 2986 2986 2986 2986 2986 2986 2988	A 2985 2985 2984 2984 2984 2984	eerved ^a IR 2986S 2986S 2986S 2986S 2986S 2998M,sh ₁	Obs Raman 2988S 2988M,sh 2988S 2988M,sh
$ \begin{array}{ $	$ m CH_{3}(1) as1(50), m CH_{3}(2) as1(38), m CH_{3}(2) as1(11) \ m CH_{3}(1) as1(51), m CH_{3}(2) as2(30), m CH_{3}(2) as1(18)$			2984 2984	2986S	988S
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	4 $CH_3(2) as2(48), CH_3(1) as1(44)$ 4 $CH_3(1) as1(48), CH_3(2) as2(37), CH_3(2) as1(15)$	2984 2984				
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	$ m CH_3(1)~as1(53), CH_3(2)~as2(33), CH_3(2)~as1(14) \ CH_3(1)~as1(49), CH_3(2)~as2(44) \ CH_3(1)~as1(48), CH_3(2)~as2(37), CH_3(2)~as1(14)$		2984 2984 2984		2998 M ,sh _i	2998M,sh
$ \begin{array}{lcccccccccccccccccccccccccccccccccccc$	${ m CH}_{3}(1)$ as1(49), ${ m CH}_{3}(2)$ as2(35), ${ m CH}_{3}(2)$ as1(15) ${ m CH}_{3}(2)$ as2(49), ${ m CH}_{3}(1)$ as1(43) ${ m CH}_{3}(1)$ as1(47), ${ m CH}_{3}(2)$ as2(37), ${ m CH}_{3}(2)$ as1(15)			2984 2984 2984	2986S	2988S
$ \begin{array}{lcccccccccccccccccccccccccccccccccccc$	5 $CH_3(2) as1(47), CH_3(1) as2(46)$ 6 $CH_3(1) as2(50), CH_3(2) as1(35), CH_3(2) as2(14)$	2985 2986				
$ \begin{array}{lcccccccccccccccccccccccccccccccccccc$	${ m CH_3(1)}$ as2(50), ${ m CH_3(2)}$ as1(35), ${ m CH_3(2)}$ as2(14) ${ m CH_3(2)}$ as1(46), ${ m CH_3(1)}$ as2(46) ${ m CH_3(1)}$ as2(50), ${ m CH_3(2)}$ as1(35), ${ m CH_3(2)}$ as2(14)		2986 2985 2986		$2998M, sh_1$	998M,sh
taman IR A E_1 E_2 Potential-Energy Distribution ^c	$ m CH_3(1) \ as2(50), CH_3(2) \ as1(35), CH_3(2) \ as2(14) \ CH_3(2) \ as1(47), CH_3(1) \ as2(46) \ CH_3(1) \ as2(49), CH_3(1) \ as2(45), CH_3(2) \ as2(14)$			2986 2985 2986	29865	988S
	Potential-Energy Distribution ^c	Ę	ਸ਼ੂ	Α	IR	Raman

TABLE IV

2046

2998M,sh	2998 M, sh_		2984 2984 2983		$\begin{array}{l} CH_3(1) \ asl(46), CH_3(2) \ as2(41), CH_3(2) \ asl(12) \\ CH_3(1) \ asl(46), CH_3(2) \ as2(34), CH_3(2) \ asl(19) \\ CH_3(1) \ asl(51), CH_3(2) \ as2(37), CH_3(2) \ asl(11) \\ \end{array}$
				2984 2984	$CH_3(1) as1(50), CH_3(2) as1(31), CH_3(2) as1(18) CH_3(1) as1(51), CH_3(2) as2(37), CH_3(2) as1(11)$
2988S	2986S	2982 2982 2982			${ m CH_3(1)}$ as2(50), ${ m CH_3(2)}$ as1(38), ${ m CH_3(2)}$ as2(12) ${ m CH_3(1)}$ as2(49), ${ m CH_3(2)}$ as1(32), ${ m CH_3(2)}$ as2(18) ${ m CH_3(1)}$ as2(50), ${ m CH_3(2)}$ as1(38), ${ m CH_3(2)}$ as2(12)
2998M,sh	2998M,sh		2982 2982 2982		$\begin{array}{l} CH_{3}(1) as2(49), CH_{3}(2) as1(38), CH_{3}(2) as2(12) \\ CH_{3}(1) as2(49), CH_{3}(2) as1(32), CH_{3}(2) as2(18) \\ CH_{3}(1) as2(49), CH_{3}(2) as1(38), CH_{3}(2) as2(12) \end{array}$
				2982 2982	${ m CH}_{3}(1) { m as2(49), CH}_{3}(2) { m as1(32), CH}_{3}(2) { m as2(18)} { m CH}_{3}(1) { m as2(50), CH}_{3}(2) { m as1(38), CH}_{3}(2) { m as2(12)}$
		2929 2929 2929			$CH_3(1)$ ss(53), $CH_3(2)$ ss(46) $CH_3(1)$ ss(65), $CH_3(2)$ ss(35) $CH_3(2)$ ss(68), $CH_3(1)$ ss(31)
2942VS 2934M,sh	2936M1		2929 2929 2929		$CH_3(2) ss(61), CH_3(2) ss(39)$ $CH_3(2) ss(67), CH_3(1) ss(33)$ $CH_3(2) ss(81), CH_3(1) ss(19)$
	,			2 929 2929	$CH_3(1) ss(56), CH_3(2) ss(43) CH_3(2) ss(99)$

								(continued)
CO s(82),CN s(14),C°CN d(10) CO s(81),CN s(16)	CN s(29),C°C s(22),CO ib(14) CN s(30),C°C s(21),CO ib(15) CN s(27),C°C s(21),CO ib(14)	CN s(25),C ^a C s(17),CO ib(14),CH ₃ (2) ab1(12) CN s(26),C ^a C s(17),CO ib(15),CH ₃ (2) ab1(12) CN s(23),C ^a C s(17),CH ₃ (2) ab1(16),CO ib(13)	CN s(32),C°C s(23),CO ib(14),NC° s(10) CN s(29),C°C s(23),CO ib(14),NC° s(12)	${ m CH}_3(2)~{ m ab2(40), CH}_3(1)~{ m ab1(37)} { m CH}_3(1)~{ m ab1(41), CH}_3(2)~{ m ab2(37)} { m CH}_3(1)~{ m ab1(43), CH}_3(2)~{ m ab2(37)}$	$\begin{array}{l} CH_3(1) ab1(30), CH_3(2) ab1(28), CH_3(2) ab2(14), CH_3(1) ab2(10) \\ CH_3(1) ab1(32), CH_3(2) ab1(25), CH_3(2) ab2(17) \\ CH_3(1) ab1(29), CH_3(2) ab1(28), CH_3(2) ab2(15), CH_3(1) ab2(10) \end{array}$	${ m CH_3(2)}$ ab1(37), ${ m CH_3(1)}$ ab1(26), ${ m CH_3(1)}$ ab2(11) ${ m CH_3(2)}$ ab1(43), ${ m CH_3(1)}$ ab1(21), ${ m CH_3(1)}$ ab2(15)	${ m CH_3(1)}$ ab2(45), ${ m CH_3(2)}$ ab1(34) ${ m CH_3(1)}$ ab2(48), ${ m CH_3(2)}$ ab1(28), ${ m CH_3(1)}$ ab1(10) ${ m CH_3(1)}$ ab2(54), ${ m CH_3(2)}$ ab1(25)	$ m CH_3(1)$ ab2(43), $ m CH_3(2)$ ab1(30), $ m CH_3(1)$ ab1(14) $ m CH_3(1)$ ab2(45), $ m CH_3(2)$ ab1(24), $ m CH_3(1)$ ab1(18) $ m CH_3(1)$ ab2(54), $ m CH_3(2)$ ab1(21), $ m CH_3(1)$ ab1(11)
1641 1643			1488 1490			1457 1456		
	1484 1484 1481				1456 1457 1456		1451 1450 1451	
		1478 1478 1473		1456 1456 1456				1450 1450 1451
	1472M			1468M			1450W	
				1456S,sh				1452VS

VIBRATIONAL ANALYSIS. XXIV

Observed ^a laman I.	R	Calculated E ₁	4 8 8	Table IV (continued) Potential-Energy Distribution ^c
			1451 1451	$CH_3(1) ab2(50), CH_3(2) ab1(30) CH_3(1) ab2(54), CH_3(2) ab1(28)$
2VS	1449 1449 1449			${ m CH}_3(2)$ ab2(48), ${ m CH}_3(1)$ ab1(35) ${ m CH}_3(2)$ ab2(49), ${ m CH}_3(1)$ ab1(28), ${ m CH}_3(1)$ ab2(10) ${ m CH}_3(2)$ ab2(50), ${ m CH}_3(1)$ ab1(33)
14507	W	1449 1449 1449		${ m CH_3(2)}$ ab2(42), ${ m CH_3(1)}$ ab1(39) ${ m CH_3(2)}$ ab2(42), ${ m CH_3(1)}$ ab1(36), ${ m CH_3(1)}$ ab2(11) ${ m CH_3(2)}$ ab2(46), ${ m CH_3(1)}$ ab1(37)
			1449 1449	${ m CH}_3(1)$ ab1(40), ${ m CH}_3(2)$ ab2(37), ${ m CH}_3(1)$ ab2(13) ${ m CH}_3(1)$ ab1(41), ${ m CH}_3(2)$ ab2(41)
1424'	VS_1	1445 1445 1444		${ m CH_3(2)}$ ab2(28), ${ m CH_3(2)}$ ab1(20), ${ m CH_3(1)}$ ab2(17) ${ m CH_3(2)}$ ab1(28), ${ m CH_3(2)}$ ab2(24), ${ m CH_3(1)}$ ab2(15) ${ m CH_3(2)}$ ab1(28), ${ m CH_3(2)}$ ab2(22), ${ m CH_3(1)}$ ab1(12), ${ m CH_3(1)}$ ab2(11)
	1443 1443 1442			${ m CH}_3(2)~{ m ab1(44), CH}_3(1)~{ m ab2(24), CN}~{ m s(12)}$ ${ m CH}_3(2)~{ m ab1(46), CH}_3(1)~{ m ab2(22), CN}~{ m s(12)}$ ${ m CH}_3(2)~{ m ab1(46), CH}_3(1)~{ m ab2(17), CN}~{ m s(14)}$
			1446 1446	${ m CH_3(2)}$ ab2(40), ${ m CH_3(2)}$ ab1(16), ${ m CH_3(1)}$ ab1(12) ${ m CH_3(1)}$ ab2(10) ${ m CH_3(2)}$ ab2(39), ${ m CH_3(1)}$ ab1(20), ${ m CH_3(2)}$ ab1(13)
13845	ฑี	1385 1385 1386		$CH_3(2) sb(47), CH_3(1) sb(38)$ $CH_3(2) sb(48), CH_3(1) sb(37)$ $CH_3(2) sb(46), CH_3(1) sb(35)$

${ m CH}_3(2){ m sb}(47),{ m CH}_3(1){ m sb}(40)$ ${ m CH}_3(2){ m sb}(47),{ m CH}_3(1){ m sb}(39)$ ${ m CH}_3(2){ m sb}(47),{ m CH}_3(1){ m sb}(35)$	${ m CH}_3(2){ m sb}(49),{ m CH}_3(1){ m sb}(35)$ ${ m CH}_3(2){ m sb}(46),{ m CH}_3(1){ m sb}(35)$	$CH_3(1) sb(55), CH_3(2) sb(47)$ $CH_3(1) sb(55), CH_3(2) sb(46)$ $CH_3(1) sb(56), CH_3(2) sb(47)$	$CH_3(1)$ sb(56), $CH_3(2)$ sb(48) $CH_3(1)$ sb(56), $CH_3(2)$ sb(48) $CH_3(1)$ sb(58), $CH_3(2)$ sb(46)	$CH_3(1) sb(55), CH_3(2) sb(45) CH_3(1) sb(55), CH_3(2) sb(47)$	$\label{eq:sec2} \begin{split} NC^{a} & s(26), CC_{2} \; ss(22), CH_{3}(2) \; r2(10) \\ NC^{a} \; s(26), CC_{2} \; ss(21), CH_{3}(2) \; r2(10) \\ NC^{a} \; s(26), CC_{2} \; ss(18), CH_{3}(2) \; r2(10) \end{split}$	NC ^a s(30),CC ₂ w(15),C ^a C s(11) NC ^a s(32),CC ₂ w(15) NC ^a s(33),CC ₂ w(14)	$CC_2 \text{ ss}(25), NC^a \text{ s}(24), CH_3(2) r^2(11)$ $CC_2 \text{ ss}(24), NC^a \text{ s}(21), CH_3(2) r^2(12)$	$CC_2 as(73), CC_2 r(14), CH_3(2) sb(13)$ $CC_2 as(73), CC_2 r(14), CH_3(2) sb(13)$ $CC_2 as(76), CH_3(2) sb(15), CC_2 r(13)$
	1384 1386			1366 1366			$1308\\1298$	
		1365 1365 1365			1308 1307 1301			1246 1245 1253
1384 1385 1387			1363 1363 1363			1292 1300 1299		
1377M ₁		$1363S_1$	1360M		$1298W_{\perp}$			$1233S_1$
1374W								

(continued)

					Table IV (continued)
Obser	rved ^a	J	Calculated	٥	
Raman	IR	A	ਸ਼ੁ	\mathbf{E}_{2}	Potential-Energy Distribution ^c
1229M		1235 1241 1251			$\begin{array}{l} CC_2 \;\; as(86), CC_2 \;\; r(17), CH_3(2) \;\; sb(11), CH_3(1) \;\; sb(10) \\ CC_2 \;\; as(82), CC_2 \;\; r(16), CH_3(1) \;\; sb(11), CH_3(2) \;\; sb(11) \\ CC_2 \;\; as(81), CC_2 \;\; r(15), CH_3(2) \;\; sb(13), CH_3(1) \;\; sb(12) \end{array}$
				1248 1254	CC ₂ as(70),CH ₃ (2) sb(14),CC ₂ r(13),CH ₃ (1) r1(10) CC ₂ as(71),CH ₃ (2) sb(15),CC ₂ r(12),CH ₃ (1) r1(10)
	1210S ₁	1217 1216 1216			$\begin{array}{l} CC_2 ss(20), CH_3(2) r1(15), CH_3(1) r1(14) \\ CC_2 ss(21), CH_3(1) r1(16), CH_3(2) r1(14), C^*C s(11) \\ CC_2 ss(19), CH_3(1) r1(17), CH_3(2) r1(14), C^*C s(11) \end{array}$
			1200 1200 1201		$\begin{array}{l} CH_3(2) \ r1(22), CC_2 \ as(13), CC_2 \ w(13), CH_3(1) \ r2(12) \\ CH_3(2) \ r1(21), CC_2 \ w(11), CH_3(1) \ r2(11) \\ CH_3(2) \ r1(19), CC_2 \ w(11), CH_3(1) \ r2(11), CC_2 \ ss(10) \end{array}$
				1193 1189	$\label{eq:CH3} \begin{array}{l} CH_3(2) \; r1(25), CC_2 \; w(15), CH_3(1) \; r2(15), CC_2 \; as(11) \\ CH_3(2) \; r1(25), CH_3(1) \; r2(17), CC_2 \; w(15), CN \; s(11) \end{array}$
			1023 1023 1022		$\begin{array}{l} {\rm CH}_{3}(1) \; r2(48), {\rm CH}_{3}(2) \; r1(30), {\rm CH}_{3}(2) \; r2(11) \\ {\rm CH}_{3}(1) \; r2(48), {\rm CH}_{3}(2) \; r1(31), {\rm CH}_{3}(2) \; r2(11) \\ {\rm CH}_{3}(1) \; r2(47), {\rm CH}_{3}(2) \; r1(32), {\rm CH}_{3}(2) \; r2(11) \end{array}$
1022M	1021 W ₆	$1022 \\ 1023 \\ 1022$			$\begin{array}{l} {\rm CH}_{3}(1) \; r2(46), {\rm CH}_{3}(2) \; r1(32), {\rm CH}_{3}(2) \; r2(11) \\ {\rm CH}_{3}(1) \; r2(47), {\rm CH}_{3}(2) \; r1(32), {\rm CH}_{3}(2) \; r2(11) \\ {\rm CH}_{3}(1) \; r2(47), {\rm CH}_{3}(2) \; r1(32), {\rm CH}_{3}(2) \; r2(11) \end{array}$
				1023 1023	$CH_3(1)$ r ² (48), $CH_3(2)$ r ¹ (30), $CH_3(2)$ r ² (11) $CH_3(1)$ r ² (48), $CH_3(2)$ r ¹ (31), $CH_3(2)$ r ² (11)

								(continued)
CH ₃ (1) $r1(36)$,ND ib(35) CH ₃ (1) $r1(40)$,CH ₃ (2) $r2(20)$,ND ib(12),CH ₃ (2) $r1(10)$ CH ₃ (1) $r1(35)$,CH ₃ (2) $r2(20)$,ND ib(17),CH ₃ (2) $r1(11)$	ND ib(28),CH ₃ (1) $r1(23)$,CH ₃ (2) $r1(16)$,CH ₃ (2) $r2(14)$ CH ₃ (1) $r1(32)$,CH ₃ (2) $r2(22)$,CH ₃ (2) $r1(17)$,ND ib(11) CH ₃ (1) $r1(25)$,ND ib(19),CH ₃ (2) $r1(19)$,CH ₃ (2) $r2(19)$	$CH_3(1) r1(50), CH_3(2) r2(17), ND ib(12)$ $CH_3(1) r1(48), CH_3(2) r2(19), ND ib(14)$	CH ₃ (2) r2(36),ND ib(15),CC ₂ as (13),CH ₃ (2) r2(27),ND ib(22),NC ^a s(11) ND ib(34),CH ₃ (2) r2(19) ND ib(34),CH ₃ (2) r2(19)	ND ib(34),CH ₃ (2) r2(17),CH ₃ (1) r1(15),CC ₂ as(14) ND ib(39),CH ₃ (2) r2(13),NC ^a s(10),CH ₃ (1) r2(10) ND ib(37),CH ₃ (1) r1(15),CC ₂ as(11),CH ₃ (2) r2(11)	CH ₃ (2) r2(36),ND ib(16),NC ^a s(11),CC ₂ ss(10) CH ₃ (2) r2(30),ND ib(26),CH ₃ (2) r1(11),NC ^a s(10)	$\begin{array}{l} CC_2 ss(18), ND ib(18), CH_3(1) r1(18), CH_3(2) r2(14) \\ ND ib(33), CC_2 ss(18), CH_3(1) r1(15), CH_3(2) r2(10) \\ CC_2 ss(21), CH_3(1) r1(17), ND ib(16), CH_3(2) r2(16) \end{array}$	$ \begin{array}{l} CC_2 ss(30), CH_3(2) r2(22), CH_3(1) r1(15), NC^a s(12) \\ CC_2 ss(35), CH_3(1) r1(21), CH_3(2) r2(21) \\ CC_2 ss(25), CH_3(2) r2(24), CH_3(1) r1(14), NC^a s(13) CH_3(1) r2(11) \end{array} $	ND ib(46),CC ₂ ss(11),CH ₃ (1) $r1(11)$ ND ib(34),CC ₂ ss(15),CH ₃ (1) $r1(15)$
		1002 1005			991 991			959 960
1007 1001 1005			996 986 989			966 960 962		
	1004 1001 1005			991 978 988			953 959 959	
	$1014W_{\parallel}$			983V W ₁			941W	
	1009W,sh			980W			943VS	

Obst	erved ^a		Calculated ^b		
Raman	IR	A	Eı	\mathbf{E}_2	Potential-Energy Distribution
	942W		926 924 922		CN s(19),CH ₃ (2) r 1(11),CNC ⁶ d(10),CH ₃ (1) r 2(10) CN s(19),CH ₃ (2) r 1(10) CN s(18),CH ₃ (2) r 1(10)
M716	917W	918 913 920			$CC_2 \text{ ss}(23), C^{\circ}C \text{ s}(17), CN \text{ s}(13), CH_3(2) r1(12)$ CN s(18), C $^{\circ}C \text{ s}(14), CC_2 \text{ ss}(10), ND \text{ ib}(10)$ CC $_2 \text{ ss}(22), CN \text{ s}(17), C^{\circ}C \text{ s}(16)$
				929 926	CN s(20),CH ₃ (2) r1(11),CNC ^a d(10),CH ₃ (1) r2(10) CN s(19),CH ₃ (2) r1(12),CH ₃ (1) r2(11),CNC ^a d(10)
891VS	886VW ₁	879 874 868			$\label{eq:CNC^a} CNC^a \; d(21), CO \; ib(13), CN \; s(11) \\ CNC^a \; d(17), ND \; ib(15), CC_2 \; ss(12), CO \; ib(12) \\ ND \; ib(18), CNC^a \; d(16), CO \; ib(12), CC_2 \; ss(12) \\ \end{array}$
821M	$822 W_{\scriptscriptstyle m L}$		823 834 840		CC ₂ ss(44),NC ^a s(18),CO ib(12) CC ₂ ss(31),NC ^a s(15),CO ib(12) CC ₂ ss(26),NC ^a s(15),CO ib(12)
				809 810	CC_2 ss(52),NC $^{\alpha}$ s(13),CO ob(11) CC_2 ss(48),CO ob(25)
	770 W 1		772 770 775		CO ob(58) CO ob(54),CC ₂ ss(10) CO ob(50),CC ₂ ss(14)
762M		749 739 740			CO ob(66),CC ₂ r(10) CO ob(64) CO ob(58)

Table IV (continued)

				777 792	CO ob(45),NC° s(12) CO ob(29),NC° s(25)
640M			639 625 612		$ \begin{array}{l} C^{a}C\ s(20), CC_{2}\ w(17), CO\ ib(14), C^{a}CN\ d(10)\\ CC_{2}\ w(21), C^{a}C\ s(16), CO\ ib(16), C^{a}CN\ d(10)\\ CC_{2}\ w(18), CO\ ib(17) C^{a}C\ s(16), C^{a}CN\ d(12)\\ \end{array} $
583M	585M ₁	611 593 599			$\label{eq:NC-C} \begin{array}{l} NC-C \ d(18), CC_2 \ ss(16), ND \ ob(11) \\ NC-C \ d(19), CC_2 \ ss(13) \\ NC-C \ d(16), CC_2 \ ss(12) \end{array}$
				665 668	$C^{\alpha}C s(21), CC_2 w(21), CO ib(14)$ $C^{\alpha}C s(22), CC_2 w(19), CO ib(12)$
568VS		562 564 568			$CC_2 w(24), C^uCN d(20), CO ib(19), NC^u s(15) C^uCN d(30), CC_2 w(16), CO ib(14), CC_2 r(14) C^uCN d(29), CC_2 r(19)$
	$526M.sh_1$		536 514 519		ND ob(30),CN t(30),CC ₂ $r(14)$ ND ob(27),CN t(25),CC ₂ $r(16)$,NC $^{\circ}$ C d(12) CC ₂ $r(20)$,ND ob(19),CN t(15),NC $^{\circ}$ C d(11)
				500 482	CN t(66),ND ob(38),ND· · · O ib(11) CN t(61),ND ob(37)
		497 476 459			CN t(53),ND $ob(32)$,CC ₂ w(12),C°CN d(12),ND· · · O ib(10) CN t(64),ND $ob(42)$,CC ₂ w(12),ND· · · O ib(11),CC ₂ b(11) CN t(45),ND $ob(33)$,CC ₂ w(18),CC ₂ b(16)
	$508M_{i}$		485 477 479		CN t(44),CC ₂ r(28) CN t(46),CC ₂ r(21) CN t(27),CC ₂ r(15),CC ₂ b(12)

					Table IV (continued)
Obsi	erved ^a		Calculated		
Raman	IR	A	Ę	E2	Potential-Energy Distribution ^c
				472 476	$CC_2 r(26), CO ib(19), C^{a}C s(10), CN t(10)$ CO ib(27), CC ₂ r(22), C ^a C s(10)
429M	428M		428 432 427		CC ₂ b(53),CO ib(12) CC ₂ b(45),CN t(21),ND ob(20) CN t(51),ND ob(32),CC ₂ b(26)
416W		418 407 396			$CC_2 tw(31),CN t(22),CC_2 b(16)$ CN t(27),CC_2 b(23),CC_2 tw(15) CN t(50),CC_2 b(23),ND ob(19),CO ob(11)
				408 416	CC_2 b(60),CN t(12),ND ob(11) CC_2 b(31),CC_2 tw(24),CN t(13),C°CN d(10)
374W	372M1		360 350 355		$\begin{array}{l} CC_2 \ w(20), CC_2 \ tw(16), C^{\circ}CN \ d(14), CC_2 \ b(13), CO \ ib(10) \\ CO \ ib(18), CC_2 \ w(18), CC_2 \ tw(14), CC_2 \ b(11) \\ CC_2 \ b(21), CC_2 \ w(16), CC_2 \ tw(13), CN \ t(10) \end{array}$
364M	365M ₅	350 363 365			CC ₂ w(33),CC ₂ b(15) CC ₂ w(23),CC ₂ b(21),CC ₂ r(11),CO ob(11) CC ₂ w(33),CC ₂ b(17),CO ob(10)
				372 378	$CC_2 tw(34), CC_2 b(20), C^{\circ}CN d(14)$ $CC_2 b(40), CC_2 tw(22), CN t(12)$
		330 337 322			CO ib(29),CC ₂ $r(24)$,CNC ^a d(11) CO ib(38),C ^a C $s(14)$,CC ₂ $r(13)$,CC ₂ $w(12)$ CO ib(36),CC ₂ $r(16)$,C ^a $s(13)$

317M	$319M_{\rm L}$		321 321 314		CC ₂ tw(26),CO ib(13),CC ₂ b(12),NC ^a C d(10),CNC ^a d(10) CC ₂ tw(25),CC ₂ b(18),NC ^a C d(10),CO ib(10) CO ib(20),CC ₂ tw(17),CC ₂ b(16),NC ^a C d(12),CNC ^a d(10)
				315 307	CC ₂ w(21),CO ib(17),CC ₂ r(11) CC ₂ w(22),CC ₂ r(18),CO ib(14)
299S		289 283 279			CC ₂ b(36),CC ₂ tw(30) CC ₂ tw(44),CC ₂ b(29) CC ₂ tw(48),CC ₂ (25)
281S			27 4 288 289		$\begin{array}{l} CC_{2} \ w(18), CC_{2} \ tw(17), CC_{2} \ b(11), CC_{2} \ r(11), CO \ ob(11) \\ CC_{2} \ tw(28), CC_{2} \ w(20), CC_{2} \ b(13), CC_{2} \ r(10) \\ CC_{2} \ tw(34), CC_{2} \ w(20), CC_{2} \ b(11), CC_{2} \ r(10) \end{array}$
				262 269	CC ₂ tw(16),CO ob(15),CC ₂ w(13),NC ^a C d(13) CC ₂ w(19),NC ^a C d(14),CO ob(11),CNC ^a d(10)
226VW		223 223 221			C°C ^g t(95) C°C ^g t(84) C°C ^g t(94)
			223 224 224		C=C ^s t(93) C=C ^s t(93) C=C ^s t(94)
				223 223	C•C ⁹ t(89) C•C ⁹ t(89)
215W		220 219 219			CªCª ((97) CªCª ((97) CªCª ((97)

(continued)

Observed [®]	ß	J	Jalculated ^b		
Raman	IR	A	E	ਸ਼ੂ	Potential-Energy Distribution ^c
			218		C=C ² t(97)
			218		$C^{\alpha}C^{\beta}$ t(97)
			218		C°C ³ t(97)
				010	
				219	C=CP 1(95) C=CP 1(95)
189M			186		$C^{\alpha}CN d(28), CC_2 tw(11)$
			174 169		$C^{\alpha}CN$ d(29), CC_{2} r(11) $C^{\alpha}CN$ d(23), CC_{2} tw(10)
163M		164			$C^{\alpha}CN$ d(21), CC_2 tw(18)
		186			$CC_2 tw(21), C^{\circ}CN d(17)$
		179			CC ₂ tw(18),C ^a CN d(15),CNC ^a d(11)
				196	$C^{a}CN d(29), CC_{2} tw(14), CC_{2} w(11), CC_{2} r(10)$
				194	$C^{\alpha}CN$ d(35), CC_2 tw(20)
		Γ 136			$CNC^{\circ} d(38), CC_2 r(16), C^{\circ}CN d(13), D \cdots O s(10)$
		115			CNC ^e d(39),CC ₂ r(24),C ^e CN d(20)
		112			$CNC^{\circ} d(33), CC_2 r(28), C^{\circ}CN d(25)$
116M		-~-			
			120		CNC ^a d(30),ND ob(22)
		J	131 136		CNC^{a} d(39), CC_{2} r(13), ND ob(12) CNC^{a} d(29), CC_{2} r(22), $D \cdots O$ s(15), $C^{a}CN$ d(12)

Table IV (continued)

2058

00	121 137	CNC ^a d(30),ND $ob(23),CC_2 r(12)$ CNC ^a d(25),CC ₂ r(15),D · · · O s(10),CO $ob(10)$ D · · · · O $s(20),CuC r(17),ND ob(15),NC^a r(13),CN r(10)$
107W 87 87 91		$C^{a}C$ t(22),ND ob(18),NC ^a t(17),CN t(15),D · · · O s(10) C ^a C t(22),ND ob(19),NC ^a t(19),D · · · O s(13)
87 92 92		$ \begin{split} NC^{\alpha} & t(36), C^{\alpha}C & t(26), D & \cdots O & s(15), CN & t(10) \\ NC^{\alpha} & t(26), C^{\alpha}C & t(25), CN & t(22), D & \cdots O & s(13) \\ D & \cdots & O & s(92), NC^{\alpha} & t(21), C^{\alpha}C & t(20), CO & \cdots & D & ib(11) \end{split} $
	80 92	ND ob(25),NC°C d(17),ND \cdots O ib(17),NC° t(10),C°C t(10) ND ob(54),NC°C d(24),D \cdots O s(20)
45 33 40		$ \begin{array}{llllllllllllllllllllllllllllllllllll$
	4 3 43	ND ob(47),NC ^a C d(26),NC ^a t(19),C ^a C t(14),CN t(13),D · · · O s(13) C ^a C t(46),NC ^a t(25),ND ob(22),NC ^a C d(16),CN t(11)
	31 31	$C^{\alpha}C t(47), D \cdots O s(25)$ NC ^a t(30), C ^a C t(27), ND $\cdots O ib(24)$
* S = strong, M = medium, W = weak, V = ver ^b In the A and E ₁ blocks the modes are grouped i third for the α -helix. In the E ₂ block, only modes d ^c s = stretch, as = antisymmetric stretch, ss = s = antisymmetric angle bend, sb = symmetric angle are included. Numbers 1 and 2 have been used in 1 ^d Unperturbed frequency.	ry, sh = sl in three's. lue to α - a symmetric e bend, r = parenthese	oulder, $\ $ = parallel dichroism, 1 = perpendicular dichroism. in each group, the first entry is for the 3_{10} -helix, the second for the α -helix, and the d' α' -helices are listed; the first of the group is due to α and the second to α' . stretch, b = angle bend, ib = in-plane angle bend, ob = out-of-plane angle bend, ab rock, d = deformation, t = torsion, tw = twist. Only contributions of 10% or greater it to distinguish the two methyl groups.

 $v_A^0 \cong 3260 \text{ cm}^{-1}$ is now seen to be intermediate between those for α -(3279 cm⁻¹) and β -poly(L-alanine) (3242 cm⁻¹).³⁴ This indicates that the hydrogen bond in PAIB is stronger than that in an α -helix, which would be consistent with the proposed 3_{10} -helix structure (and, incidentally, inconsistent with the α' -helix structure—see Table I). Our adjustment of f(CO), f(NH), and $f(H \cdots O)$ (see above) is reasonably based on this observation and leads to a good prediction of this frequency. [It is important to note that the predicted frequencies of v_A^0 for the α - and α' -helices are essentially the same as for the 3_{10} -helix because we have, inappropriately, kept these force constants the same for all three structures; this was done in order to examine only the effects of conformational differences. Appropriate values of these force constants would result in a higher predicted frequency for the α -helix.]

The ν_B^0 values also support a 3_{10} -helix structure. If, as is likely,³⁴ these two bands arise from overtones of amide II, then their observed difference of 27 cm⁻¹ is more consistent with the predicted (and calculated) difference of 28 cm⁻¹ for the 3_{10} -helix (2 × 1545 – 2 × 1531 = 3090 – 3062 = 28) than with the expected difference of 42 cm⁻¹ for the other structures. Interestingly, both ν_B^0 values are about 20 cm⁻¹ lower than the expected values of the overtones for the 3_{10} -helix, whereas for α -poly(L-alanine), the difference is 4 cm⁻¹.³⁴ This may indicate that the anharmonicities in PAIB are significantly different from those in an α -helix. Such a difference could arise from the greater crowding of backbone atoms in the 3_{10} -helix than in the α -helix: C^{α} · · · O, N · · · N, and N · · · O distances are significantly shorter in the former than in the latter structure.

The CH_3 stretch modes are reasonably well accounted for, although we do not reproduce small splittings in the ir bands nor between ir and Raman. As in a similar situation in α -poly(L-alanine),^{18,21} such splittings may arise from intermolecular $CH_3 \cdots CH_3$ interactions.

The observed difference between Raman and ir amide I (mainly CO stretch) modes is 3 cm⁻¹ in α -poly(L-alanine)¹⁸ and 9 cm⁻¹ in PAIB. The predicted difference for the 3_{10} -helix is 4 cm⁻¹, but this is twice as large as that predicted for the α -helix (with no difference predicted for the α '-helix). As noted above, these splittings are contributed to by transition dipole coupling interactions and reflect the conformational differences between the helices. The absolute frequency agreement cannot be compared because of the use of the same f(CO) force constant for all three structures. If this force constant were adjusted in accordance with the relative hydrogen-bond strengths, then, as discussed above, a higher frequency for the α '-helix.

The amide II modes (NH in-plane bend plus CN stretch) are very well predicted by the 3_{10} -helix, whereas the α - and α' -helices give sig-

nificantly lower frequencies than are observed. This must be predominantly a conformational effect, since the relevant force constants are the same for all structures.

The CH₃ bend modes are, of course, predicted comparably by all three structures. The frequency agreement is satisfactory, except that the splitting between the 1455_{\perp} and 1467_{\parallel} cm⁻¹ bands in the ir is not accounted for by the calculation, probably for reasons similar to those discussed in connection with the CH₃ stretch modes.

In the 1350–1200-cm⁻¹ region, we find bands associated with CC_2 stretch and with amide III (mostly NH in-plane bend) modes. Although the frequency agreement is reasonable for all the structures, the predictions for the 3_{10} -helix are somewhat better, as is seen for bands near 1303, 1280, and 1212 cm⁻¹. It is gratifying, if not surprising, that the calculation accounts well for strong ir bands at 1227_1 and 1210_{\oplus} cm⁻¹ associated with CC₂ stretch, in a region where no absorption is found for α -poly(L-alanine).^{18,21}

In the 1200–700-cm⁻¹ region, most modes allow no real distinction to be made between the three structures. (We have no explanation for the Raman bands observed in the 1125–1040-cm⁻¹ region: none of the structures predicts such vibrational modes. The intensity level in this region varies from sample to sample and seems to be related to the fluorescence of the sample.) The observed bands near 820M cm⁻¹ distinctly favor the 3₁₀-helix (although this is countered by the poorer agreement for the 762W Raman band).

In the conformation-sensitive region below 700 cm⁻¹, several observed bands strongly favor the 3_{10} -helix. Thus, the amide V (NH out-of-plane bend plus CN torsion) modes at $694S_{\perp}$ and $680M_{\parallel}$ cm⁻¹ in the ir are very well accounted for by the 3_{10} -helix, but very large discrepancies occur for the α - and α' -helices. A Raman band at 642W cm⁻¹ is satisfactorily predicted by the 3_{10} -helix structure but not as well by the others. The observed bands near 425 cm⁻¹ are best accounted for by the 3_{10} -helix. And the correct order of the $367M_{\perp}$ and $362S_{\parallel}$ CC₂ wag modes is given only by the 3_{10} -helix.

In summary, several key features in the comparison between observed and calculated frequencies of PAIB definitively favor a predominant 3_{10} -helix conformation of this polypeptide in monolayer films. The α' -helix is clearly disfavored.

Poly(a-Aminoisobutyric Acid)-ND

The results of N-deuteration are consistent with the normal mode calculation on PAIB. They also favor, although not as conclusively, the 3_{10} -helix.

The ND stretch modes are found at 2414S and 2460M cm⁻¹ in the ir. In distinction to α -poly(L-alanine),³⁴ the fundamental contributes mostly to the lower frequency. Also, no splitting is observed in amide

B', which was the case for PAIB. From the observed integrated area ratio $I_{\rm B'}/I_{\rm A'} = 0.794$, we find $v_{\rm A'}^0 = 2434$ and $v_{\rm B'}^0 = 2440$ cm⁻¹. The calculated ND stretch frequency, using the same value of $f(\rm NH)$ as in PAIB, is 37 cm⁻¹ lower than $v_{\rm A'}^0$. This is similar to the situation for α -and β -poly(L-alanine-ND),³⁴ where differences of 40–50-cm⁻¹ occur, and is probably due to different anharmonicities in PAIB and PAIB-ND. If $v_{\rm B'}^0$ is associated with a combination similar to that found in poly(L-alanine-ND),³⁴ namely, between amide II' (mainly CN plus C^aC stretch) and ND in-plane bend, then a possibility is $1472(\rm E_1) + 966(\rm E_1) = 2438(\rm A)$. The specific combination may be uncertain because of lack of information about anharmonicities.

The CO stretch mode is found to shift down by 16 cm⁻¹ in the ir, from 1656 to 1640 cm⁻¹, significantly more than the 8 cm⁻¹ observed in α -poly(L-alanine).^{18,21} (We attribute the observed ir bands near 1655 and 1650 cm⁻¹ to the presence of a significant amount of undeuterated material.) The calculated decreases are 10, 8, and 7 cm⁻¹ for the 3₁₀-, α -, and α '-helices, respectively. The comparable Raman shift is 7 cm⁻¹ compared to 3 cm⁻¹ for α -poly(L-alanine). The calculated shift in this case is 6 cm⁻¹, the same for all three structures.

The appearance of the amide II' mode at 1472 cm^{-1} is expected and reasonably well predicted. The CH₃ antisymmetric bend modes of PAIB near 1467(ir) and 1450(R) cm⁻¹ are also observed in PAIB-ND, but what is surprising is that other CH₃ bend modes appear in the spectra of the deuterated molecule. This would seem to be the case for the surprisingly strong new band at 1424 cm⁻¹ (which is not too well predicted) and a CH₃ symmetric bend mode near 1375 cm⁻¹. Assuming these assignments to be correct, such intensity changes may arise from a change in the local environment of the CH₃ groups.

The observed bands in PAIB having a significant NH in-plane bend component, viz., at 1339(R), 1313(R), and 1280(R,ir) cm⁻¹, disappear, as expected, on N-deuteration, which is well accounted for by the calculation on PAIB-ND. As a result, although some of the other modes in this general region (1350-1150 cm⁻¹) are predicted to remain essentially constant, and do (e.g., near 1230 and 1210 cm⁻¹), still others are expected to shift: the mode near 1300 cm⁻¹ is predicted to shift up slightly, but is found to move about the same amount in the opposite direction; and the mode near 1170 cm⁻¹ is predicted to shift up significantly and change in character, and the observed band in PAIB is absent in the spectra of PAIB-ND. It is difficult to choose between the structures on the basis of this region, although the small shift in the 1210(ir) cm⁻¹ band and the frequency agreement for the 1229(R) cm⁻¹ band would both tend to favor the 3₁₀-helix. Incidentally, the new bands in PAIB-ND near 1010 and 980 cm⁻¹ due to ND in-plane bend are moderately well accounted for by the calculation, although they can provide no diagnostic help because of the uncertainties about anharmonicities.

In the 1000–500-cm⁻¹ region, the skeletal stretch and deformation modes behave generally as predicted, with a tendency to favor the 3_{10} helix. The 950(R) cm^{-1} band of PAIB is predicted to shift down by about 5 cm⁻¹, and is observed to do so. The predicted downward shift of the PAIB bands near 920 cm⁻¹ is found, although a structural preference is not possible. The case of the 908(R) cm⁻¹ band of PAIB is an interesting one. It is predicted to undergo a large shift in PAIB-ND, which is found, with this shift being in slightly better agreement with the 3_{10} -helix than the α -helix and in very poor agreement with the predictions of the α' -helix. As in PAIB, the bands near 820 cm⁻¹ clearly favor the 3_{10} -helix, as is now true of the 762(R) cm⁻¹ band and continues to be the case for the 640(R) cm⁻¹ band. The 583(R) cm⁻¹ band of PAIB is poorly reproduced by the 3_{10} -helix, but this may be due to the contribution of ND out-of-plane bend. A similar problem may exist with the 526(ir) cm⁻¹ band. The calculation suggests that the character and frequency of the 505(ir) cm⁻¹ band of PAIB should change significantly in PAIB-ND, but this is not apparent, and it is therefore difficult to use this band as an indicator of structure.

Below 500 cm⁻¹, N-deuteration does not produce many changes in PAIB-ND as compared to PAIB. It is interesting, however, that a calculated A-species mode near 430 cm⁻¹ in PAIB, for which there was no observed counterpart, is predicted to shift down significantly in PAIB-ND, and the new observed 416(R) cm⁻¹ band is in distinctly better agreement with the 3_{10} -helix.

CONCLUSIONS

The ir and Raman spectra of PAIB prepared as monomolecular films, when combined with normal mode calculations on 3_{10} , α -, and α' -helices, indicate strongly that the chain backbone has a 3_{10} -helix conformation. This is in agreement with conclusions reached from electron diffraction studies.^{7,8}

It is not only that the average discrepancy between observed and calculated frequencies is significantly less for the 3_{10} -helix as compared to the other two helical structures, although this is the case: for observed bands below 1700 cm^{-1} the average observed discrepancy is 5.9 cm⁻¹ for the 3_{10} -helix, 10.1 cm^{-1} for the α -helix, and 12.5 cm^{-1} for the α' -helix. (We note that a discrepancy of 5–6 cm⁻¹ is typical of that found for the standard α -helix and β -sheet structures to which the force field was refined.²³) More importantly, certain special features of the spectra are accounted for better by the 3_{10} -helix: the presence and observed splitting of the two ν_B^0 modes, where only one band is seen for the α -helix; the larger splitting between ir and Raman amide I modes than is predicted, or found, for α -helix structures; the significantly higher amide II frequency; and the significantly better agreement for the amide V mode. Other, more general, agreement with the 3_{10} -helix is evident throughout the spectral range.

These results demonstrate the power of normal mode analysis in permitting critical distinctions in conformation to be made from vibrational spectra.

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