

Errata to:
THE DISTRIBUTION OF VALUES OF $L(1, \chi_d)$,
 BY A. GRANVILLE AND K. SOUNDARARAJAN
 in **GAGA 13:5 (2003)**

Some notational errors have been discovered in this paper:

1. Page 993, Line -7: For “The proportion of fundamental discriminants” read “The number of fundamental discriminants”
2. Page 1009, Line 1: For $\sum_{|d|\leq x}^b (d/n)$ read $\sum_{|d|\leq x}^b \left(\frac{d}{n}\right)$.
3. Page 1009, Line -12: For $\sum_{|d|\leq x}^b (d/n)$ read $\sum_{|d|\leq x}^b \left(\frac{d}{n}\right)$.
4. Page 1010, Line -9: For $\psi(\cdot)(\cdot/n_0)$ read $\psi(\cdot)\left(\frac{\cdot}{n_0}\right)$.
5. Page 1010, Line -7: For $\sum_{|d|\leq x}^b (d/n)$ read $\sum_{|d|\leq x}^b \left(\frac{d}{n}\right)$.
6. Page 1011, Line 10: For $(m_1 m_2 / \cdot)$ read $\left(\frac{m_1 m_2}{\cdot}\right)$.
7. Page 1012, Line 5: For $\sum_{|d|\leq x}^b (d/n)$ read $\sum_{|d|\leq x}^b \left(\frac{d}{n}\right)$.
8. Page 1013, Line 7: For $\sum_{|d|\leq x}^b (d/n)$ read $\sum_{|d|\leq x}^b \left(\frac{d}{n}\right)$.
9. Page 1021, Lines -1 and -3: For

$$\sum_{|d|\leq x}^b \left| \sum_{y\leq p\leq z} \frac{d/p}{p} \right| \ll \dots\dots$$

read

$$\sum_{|d|\leq x}^b \left| \sum_{y\leq p\leq z} \frac{\left(\frac{d}{p}\right)}{p} \right| \ll \dots\dots$$

10. Page 1023, Lines 7 and 13: For

$$\left| \sum_{y\leq p\leq z} \frac{d/p}{p} \right| \leq \dots\dots$$

read

$$\left| \sum_{y \leq p \leq z} \frac{\binom{d}{p}}{p} \right| \leq \dots\dots$$

11. Page 1024, (9.3): For

$$\dots = \sum_{n \leq N} \frac{\binom{n/q}{n}}{n} + O\left(\frac{q}{N}\right).$$

read

$$\dots = \sum_{n \leq N} \frac{\binom{n}{q}}{n} + O\left(\frac{q}{N}\right).$$

12. Page 1024, Line -2: For (ln/\cdot) read $\binom{ln}{\cdot}$

13. Page 1026, Lines 3, 8 and 12: For ℓ/pq read $\binom{\ell}{pq}$.

14. Page 1026, Line 6: For $((2/p), (3/p), \dots, (\ell_{\max}/p))$ read $\left(\binom{2}{p}, \binom{3}{p}, \dots, \binom{\ell_{\max}}{p}\right)$.

15. Page 1026, Line 19: For

$$\dots \frac{p/d}{p} \dots$$

read

$$\dots \frac{\binom{p}{d}}{p} \dots$$

16. Page 1027, Line 11: For

$$\dots \left(1 - \frac{p/d}{p}\right)^{-1} \dots$$

read

$$\dots \left(1 - \frac{\binom{p}{d}}{p}\right)^{-1} \dots$$