1 Supplementary Materials

2 Annual search effort

3 Researchers typically began monitoring the population in mid-April, with systematic nest 4 searching around May 15 regardless of year; however, research effort varied annually. Therefore, 5 we investigated if changes in breeding phenology were an artifact of search effort. We examined 6 whether egg one dates were normally distributed per year, as a left-skew could indicate bias 7 toward late egg one dates and that our team inadvertently missed the beginning of the breeding season. We tested for annual normality of egg one dates using Shapiro-Wilk tests in R. Egg one 8 9 data were normal in 19 of 32 years (59.4%), and non-normal years were neither left-skewed nor time-biased (Fig. S1). Additionally, when nests were found at the egg or nestling stage, egg-one 10 11 date was back calculated based on hatch date or nestling size. 12 *Comparison of temperature loggers* 13 14 All data for the temperature loggers can be accessed via https://mlbs.virginia.edu/meteorological-data. 15 We used linear models to confirm that temperature data collected by Logger A and 16 17 Logger B between March–August in the years 1994–1997 were correlated, despite the left-skew in all temperature data, given the large sample size (n = 415 observations). We found that all 18 19 temperatures were highly correlated between Logger A and Logger B (Fig. S2; minimum *temperature:* $R^2 = 0.82$, p < 0.0001; *median temperature:* $R^2 = 0.86$, p < 0.0001; *maximum* 20 *temperature:* $R^2 = 0.71$, p < 0.0001). 21 22 Thus, for our formal analysis, we combined the datasets: data from Logger A was used 23 from 1983–1994 and data from Logger B was used from 1995–2015.

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Female age as a predictor of relative fitness

26	Female age is a known predictor of female lay date in dark-eyed juncos (Bauer et al.
27	2018). We analyzed the relationship between female age and egg one date using a linear mixed
28	model fit with REML. Females were grouped into two age categories of young females in their
29	first breeding season and old females in a returning (second or later) breeding season. We
30	included both year and female ID as random effects to control for pseudoreplication. Female age
31	predicted egg one date, as old females (i.e., returning females in her second or later breeding
32	season) laid on average 2.7 days earlier than young females (i.e., females in their first known
33	breeding season and classified as first-year females based on plumage coloration) when
34	controlling for both year and female ID (Fig. S3; $t = -3.97$, $p < 0.0001$).
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36	References
37	Bauer, C. M., Graham, J. L., Abolins-Abols, M., Heidinger, B. J., Ketterson, E. D., & Greives, T.
38	J. (2018). Chronological and biological age predict seasonal reproductive timing: an
39	investigation of clutch initiation and telomeres in birds of known age. The American
40	Naturalist, 191(6), 777-782.
41	Perrins, C. M., & McCleery, R. H. (1989). Laying dates and clutch size in the great tit. The
42	Wilson Bulletin, 101, 236–253.
43	Wood, S. (2017) Package "mgcv": mixed GAM computation vehicle with GCV/AIC/REML
44	smoothness estimation. Version.
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48 Figure S1. Density distributions of egg one dates for each year. Lines on each density

49 distribution mark the first, second and third quartile.

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Figure S2. Correlation between daily temperate data collected from the NOAA weather station
(Logger A) and the weather station (Logger B) in March through May in 1994-1997 for (A)
minimum temperatures, (B) median temperatures calculated from minimum and maximum
temperatures, and (C) maximum temperatures.



Figure S3. Distribution density of egg one dates for first nests of females by age: females in their
first breeding season (i.e., second years) versus females in a returning breeding season (i.e., after
second years). Dotted lines are the predicted mean egg one dates for each age group from the
GLMM after controlling for year and female ID. Old females lay 2.7 days earlier than young
females when controlling for year and female ID.

72 Table S1. Summary of GAMs testing relationship between year and average monthly midpoint

Month	Average Monthly T _{min}			Average Monthly T _{mid}			Average Monthly T _{max}		
	<i>F</i> _{1,1} *	P-value	R^2	<i>F</i> _{1,1} *	<i>P-value</i>	R^2	<i>F</i> _{1,1} *	<i>P-value</i>	R^2
March	1.47	0.236	0.02	0.004	0.95	-0.04	0.69	0.413	-0.01
April	15.86	<0.001	0.33	4.79	0.037	0.11	0.18	0.679	-0.03
May	11.41	0.002	0.25	1.56	0.159	0.08	1.45	0.294	0.07
June	20.85	<0.001	0.38	2.07	0.142	0.12	3.46	0.027	0.24
July	8.93	0.005	0.20	0.04	0.846	-0.03	3.82	0.033	0.20
August	4.41	0.006	0.35	0.46	0.502	-0.02	4.36	0.045	0.10

73	$(T_{mid}),$	minimum	$(T_{\min}),$	and or	maximum	(T_{max})	temperatures.
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74 75 *May T_{mid}: *F*_{1.41, 1.71}; May T_{max}: *F*_{2.08, 2.60}; Jun T_{mid}: *F*_{2.06, 2.56}; Jun T_{max}: *F*_{2.50, 3.12}; Jul T_{max}: *F*_{1.84, 2.29}; Aug T_{min}: *F*_{3.13, 3.89}

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78 Table S2. Comparison of LMs testing relationships between median egg one dates and minimum

temperatures (T_{min}) while accounting for year using a sliding window analysis. Models are

80 ranked by Δ AICc alongside the Akaike weights (w_i).

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83 temperatures (T_{mid}) temperatures while accounting for year using a sliding window analysis.

84 Models are ranked by \triangle AICc alongside the Akaike weights (*w_i*).

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88 Models are ranked by \triangle AICc alongside the Akaike weights (w_i).

⁸² Table S3. Comparison of LMs testing relationships between median egg one dates and midpoint

⁸⁶ Table S4. Comparison of LMs testing relationships between median egg one dates and maximum

⁸⁷ temperatures (T_{max}) temperatures while accounting for year using a sliding window analysis.