Methodology

Multiple attribute scenarios, bounded probabilities, and threats of nuclear theft

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A method is presented for developing descriptions of future scenarios and using expert judgment to assess bounds on the probabilities of these scenarios. Multiple attributes are used to describe the important features of the scenarios, and the scenarios are defined as collections of different possible levels of the attributes. Experts assess either numerical values or bounds on various unconditional and conditional probabilities for different attribute levels. These are used to establish constraints for a series of linear programs which are solved to determine the highest and lowest possible probabilities for each scenario. An application is presented to the assessment of potential threats against nuclear material safeguards systems.

Keywords: planning; scenarios; nuclear safeguards

Systematic planning for the future usually involves forecasting relevant future conditions. Significant features of the future are often uncertain, and it is desirable to account explicitly for these uncertainties in planning. The use of scenarios—internally consistent descriptions of possible future conditions and events—has expanded over the past 15 years. With this approach, several different scenarios are constructed which cover the range of possible future conditions, and the probability of each

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future scenario is estimated. This information is then used in planning and decision making.

One difficulty with this method is that historical information may be only indirectly relevant to estimation of probabilities for future scenarios, and it may thus be necessary to use some other method to determine these probabilities. This paper presents a method for using expert judgment to do this which overcomes certain limitations of past approaches. We also present an application of the method.

Background

The use of scenarios in planning has received increasing attention over the past 15 years. In this section we review cross-impact analysis (which is closely related to the work presented here) and discuss limitations in previous methods for implementing this approach. The

basic features of cross-impact analysis are illustrated by SMIC 74,² in which the following steps are carried out:

- 1. Events e_1, e_2, \ldots, e_n are constructed, each being considered relevant to the scenarios of interest.
- 2. The unconditional probability $p(e_i)$ of each event occurring is assessed from experts.
- 3. The conditional probabilities $p(e_i e_j)$ and $p(e_i e_j)$ are also assessed, where e_j is the complement of e_j .
- 4. The assessed information is corrected so that for the final results

$$0 \le p(e_i) \le 1$$
,
 $p(e_i|e_j) p(e_j) = p(e_j|e_i) p(e_i)$, and
 $p(e_i|e_j) p(e_j) + p(e_i|e_j) = p(e_i)$.

The correction procedure involves minimizing a quadratic difference function subject to meeting the constraints given in step 4 above. Various authors have pointed out limitations in the original SMIC 74 procedures and have suggested modifications.3 In particular, Mitchell and Tydeman⁴ have demonstrated the subtleties involved in eliciting conditional probabilities when an implicit time dependence between events of interest can influence the probability experts' assessments. Mitchell and Tydeman emphasize the need to carefully consider the order of temporally sequenced events if elicited probabilities are to be meaningful. These authors address inconsistencies in assessed probabilities by hypothesizing that there is a true or consistent value for each inconsistent probability assessed by the experts, and using mathematical programming methods to estimate a consistent set of probabilities that is as close as possible to the experts' assessments.

Sarin has proposed a somewhat different approach where probability information on events is collected sequentially from experts.⁵ A computer program is used to check the consistency of the elicited information with the axioms of probability. If the information is consistent, then bounds on feasible

values of the joint and conditional probabilities $p(e_i, e_j)$ and $p(e_i e_j)$ are calculated and presented to the experts. The experts continue to provide additional information until the calculated bounds are considered tight enough.

These approaches to determining scenario probabilities have two limitations. First, the number of scenarios that must be considered can quickly become excessive; 10 binary events will give 2¹⁰ = 1024 different possible scenarios. Mitchell, Tydeman and Curnow⁶ show that a large fraction of these can each have a non-negligible probability. Not only may it be difficult to analyse all these scenarios, it may not be necessary to consider this much detail for the planning problem of interest.

A second limitation is that they deal with binary events which either do, or do not, occur; in many planning problems, it is more natural to consider *attributes* (factors) which can take on more than two different levels. For example, there is no natural way to describe the price of oil simply in terms of events either occurring or not.

In the next section we discuss a new approach which addresses these two limitations.

Approach

Our basic approach can be illustrated by a simplified example. Suppose an electric utility is deciding whether to plan construction of either a coal- or an oil-fired steam turbine power plant to supply its customers from 1995 to 2035. To assist in its planning, the utility wishes to consider possible scenarios for conditions in that time period. Two factors, relative cost (e_1) and regulations (e_2) , are considered relevant. These factors can take on the following levels:

$$e_1 = \begin{cases} 1: \text{ coal is substantially } \\ \text{cheaper than oil,} \\ 2: \text{ the two fuels have } \\ \text{similar costs, and} \\ 3: \text{ oil is substantially } \\ \text{cheaper than coal.} \end{cases}$$

1: regulations forbid use of oil, and 2: regulations permit use

There are six scenarios, or different possible combinations of these factors. However, let us assume that for planning purposes the utility need only consider the following four scenarios:

- regulations forbid use of oil;
- S_2 : regulations permit use of oil, and oil is substantially cheaper than
- regulations permit use of oil, and the two fuels have similar costs;
- S_{i} : regulations permit use of oil, and coal is substantially cheaper than oil.

While experts might provide probability information in terms of e_1 and e_2 , it is only necessary to obtain probabilities for S_1 , S_2 , S_3 , and S_4 . If joint probabilities are available over e_1 and e_2 , then it is straightforward to obtain probabilities for the scenarios.

In this illustration, the saving obtained by defining the four scenarios is not great: there are only two more possible combinations of e_1 and e_2 than scenarios. In the application discussed below, there are eight attributes with a total of 512 different possible combinations of levels—but only scenarios are needed to adequately describe possible future conditions for planning purposes. Since it will be necessary only to obtain the probabilities for these 19 scenarios, considerably less elicitation will be needed than if probabilities were to be obtained for all 512 possible combinations of attribute levels.

Our determining approach to scenario probabilities, based on the ideas just illustrated, has the following steps:

Determine a set of discrete valued attributes e_1, e_2, \ldots, e_n which cover all concerns that are relevant for the planning problem of interest.

- Determine the set of relevant scenarios for the planning problem. This set will be collectively exhaustive and mutually exclusive over the possible combinations of e_1, e_2, \ldots ,
- 3. Assess, with an expert, information about unconditional probabilities, conditional probabilities and joint probabilities over the attributes e_1 , e_2, \ldots, e_n which he or she can provide.
- 4. Determine whether the assessed probabilities are consistent with the axioms of probability theory. If not, resolve the inconsistencies with the expert; if so, determine upper and lower bounds on the probability of each scenario that are consistent with the assessed information.
- If these bounds are sufficiently tight for planning purposes, stop; otherwise, assess additional information and redetermine the bounds.

Note that step 3 does not require assessments for prespecified sets of unconditional, conditional, or joint probabilities. The respondent need only assess those probabilities with which he or she is comfortable.

For notational convenience, let T represent the set of all possible combinations of e_1, e_2, \ldots, e_n , let t represent a specific element in T, and p_t represent the probability of t. Now consider an elicitation procedure that allows an expert to provide numerical judgmental values, or upper or lower bounds, for:

- unconditional probabilities for any attribute, or
- conditional probabilities for any single attribute, given information about the other attributes.

In addition, let the procedure allow:

iii. comparison of the magnitude of the probabilities of any two specific elements t and u in T.

The representation of this information in terms of p_t is given as follows:

Unconditional probabilities. Let E_{ii}

represent all elements in T such that e_i = j. Then an assessed unconditional probability $Prob\{e_i = j\} = p$, as discussed in item i above, imposes the constraint:

$$\sum P_t = p. \tag{1a}$$

$$t \in E_{ij}$$

An assessed upper bound $Prob\{e_i = j\} \leq$ *p* imposes

$$\sum P_i \le p, \tag{1b}$$

while a lower bound $Prob\{e_i = j\} \ge p$ leads to

$$\sum P_i \geqslant p. \tag{1c}$$

$$t \in E_{ij}$$

Conditional Probabilities. Let represents a specified set of levels for all attributes except the i^{th} . The conditional probability that the ith attribute equals e_i , given the other attributes are in E_i , will be denoted $P(e_i \, \bar{E_i})$; further, let (e_i, \bar{E}_i) be the set of t such that the i^{th} attribute equals e_i and the other attributes are in \bar{E}_i . Then an assessed conditional probability p', as discussed in item ii above, imposes one of the following constraints:

$$\begin{split} &P(e_i|\bar{E}_i) \leq p', \\ &P(e_i|\bar{E}_i) = p' \text{ or } \\ &P(e_i|\bar{E}_i) \geqslant p' \end{split} \tag{2a}$$

$$P(e_i|\bar{E}_i) = p' \text{ or }$$
 (2b)

$$P(e_i|E_i) \geqslant b' \tag{2c}$$

Here Equation (2a) applies when an upper bound is assessed, (2b) when a specific numerical value is assessed, and (2c) when a lower bound is assessed.

The expressions in Equation (2) can be rewritten in terms of p_t by applying standard conditional and probability definitions:

$$\sum_{t \in (e_i, \bar{E}_i)} p_t - p' \sum_{t \in \bar{E}_i} P_t \leq 0, \tag{3a}$$

or it is equal to zero, (3b)

or it is greater than zero. (3c)

Magnitude of two elements. The comparison of probabilities for two specific elements in T, as discussed in item iii above, imposes one of the following constraints: P_t greater than, equal to, or less than P_u .

Bounds on scenario probabilities. Let S_1 , S_2, \ldots, S_m represent the set of scenarios used, where this set is collectively exhaustive and mutually exclusive over T. Then the upper bound on the probability, $P(S_i)$ of S_i occurring, where

$$P(S_i) = \sum_{t \in S_i} \rho_t, \tag{4}$$

can be found by solving the linear

$$\begin{array}{ll}
\text{maximize } \sum_{t \in S_i} P_t \\
[p_t, t \in T] & t \in S_i
\end{array} \tag{5a}$$

subject to

{assessed constraints of type
$$(5b)$$
 $(1), (3), and (4)}$

$$\sum_{t \in T} p_t = 1 \tag{5c}$$

and

$$p_t \ge 0, t \varepsilon T$$
 (5d)

Similarly, the lower bound on $P(S_i)$ can be found by solving the linear program

$$\begin{array}{ll}
\text{minimize } \sum P_t \\
[p_t, t \in T] & t \in S_i
\end{array} \tag{6a}$$

Thus, to find the bounds on the probabilities for each of the m scenarios, it is necessary to solve 2m linear current programs. With linear programming computer packages this is inexpensive, even for large problems. In the event there is no feasible set of p_t , the phase I portion of the simplex solution algorithm will automatically identify

Although the theoretical formulation presented above is straightforward, keeping track of the E_{ij} , p, \bar{E}_i , p, and S_i in application requires actual

developing special procedures. In the next section, we discuss an application of the approach and procedures for data handling. Similar procedures should be applicable to a variety of planning problems.

Application

The application discussed below was carried out as part of a study to assist the University of California Lawrence Livermore Laboratory in the development of methods to analyse and evaluate Nuclear Material Safeguards (NMSS). Systems Our study concentrated on developing methodology to assist experts describing in quantitative form their judgments about scenarios characterizing potential threats to steal material from a NMS system. (Such a system is a combination of guards, alarms, procedures, and other steps taken at a facility handling nuclear materials to keep the material safe from hostile action.) The ultimate purpose for developing these scenarios, and their associated probabilities, was to aid design work to improve the performance of NMS systems.

To develop scenarios and associated probabilities, we followed the five-step process discussed in the last section. Our main purpose was development of methodology, and the work presented below does not represent a final characterization of adversaries.

During Step 1 of our process, eight attributes were determined to characterize potential adversaries (see Table 1). and the scales also shown in the Table were constructed to describe possible levels of each attribute that an adversary might possess. Standard decision analysis methods were used in determining the attributes and scales.7 Care was taken to assure that the set of scales was complete, nonredundant, operational, and of minimum size.

With the attribute levels shown in Table 1, there are $4 \times 2^7 = 512$ different possible scenarios characterizing adversaries. However, examination of the various different possible combinations of attribute levels showed that many of these would pose similar threats to a NMS system. Since the planning problem of interest was to assist in improving such systems, there was no need to distinguish between different adversaries who posed similar threats.

A detailed consideration of the possible various threat scenarios. carried out during Step 2 of the process discussed in the last section, identified the 19 distinct threat scenarios described in Table 2.

These scenarios are more explicitly described as collections of the 512 different types of adversaries defined by the various possible combinations of attribute levels in Table 1. To represent conveniently the scenario definitions, a straightforward coding procedure was For example, the (3,1,1,2,1,1,2,1) represents an adversary whose motivation is extortion (level 3 of the first attribute on Table 1), and who high levels of NMS system information and technical information, low consequence information, high levels of processing capability and general resources, and is risk-avoiding for himself but risk-seeking for others. If any entry is zero, there is no restriction on that particular attribute, and so the code refers to a collection of more than one of the 512 possible adversaries. the code (3,0,1,0,0,0,0,0)represents all adversary descriptions where the motivation is extortion and there is a high level of technical information.

Each of the 19 threat scenarios in Table 2 was represented in terms of this code. Thus, for example, scenario 1 (Uninformed Outsider) had code (1.2,2,0,0,0,0,0)scenario (Embezzling Executive) had code (2,1,1,0,0,2,0,0)and scenario 14 (Outside Expert) had code (3,2,1,0,0,2,0,0). A description of the codes for all scenarios is given by

TABLE 1. ADVERSARY ATTRIBUTES AND SCALES

Attribute	Area of concern	Levels
1 Motivation	Reason a theft is attempted	1 Symbolic: eg game playing prank, crazy, personal revenge, for principle, publicity for a cause, cover-up of material unaccount for
		2 Money: To make money by sale of the material or ransom for its safe return
		3 Extortion: Theft for nonmonetary gain (eg political gain, job restitution, prisoner release)
		Weapon: Theft to make a weapon for eventual use (eg explosive device or radiation dispersal weapon)
2 NMS system information	Level of knowledge about the operation of Nuclear Material Safe- guards Systems	High: Considerable knowledge of and control over at least one aspect of the Nuclear Material Safeguards System
		2 Low: Has only the knowledge available to someone outside the NMS system
3 Technical information	Level of knowledge about nuclear materials, their handling, and their processing	 High: Has significant knowledge abour nuclear science, computer technology electronics, and related areas
		2 Low: Does not have significant know- ledge about these areas
4 Consequence information	Level of knowledge about possible legal, financial, social, and health consequences of a theft attempt	1 High: Full understanding of the possible legal, financial, social, and health con- sequences of the theft attempt
		2 Low: Incomplete understanding of the possible consequences
5 Processing capability	Equipment and expertise available to process stolen nuclear material	1 High: Has the equipment and expertise to process stolen material, either to make a weapon or to enrich or alter it to easier storage or sale
		2 Low: Does not have such capabilities
6 General resources	Resources, such as equipment and number of personnel, available to aid in theft attempt	1 High: a group of people with some experience in theft and criminal activity
		2 Low: a group or individual inexperi- enced in theft and criminal activity
7 Self-risk attitude	Willingness of adversary to risk his own life and welfare	1 Seeking: Adversary will take chances which threaten his own life or welfare
		 Avoiding: Adversary will not accept sig- nificant probability of loss of life or cap ture.
8 Other's-risk attitude	Willingness of adversary to risk lives and welfare of those not in the adversary group	Seeking: Adversary is willing to risk lives and welfare of those not in adver- sary group
		2 Avoiding: Adversary unwilling to do this

Kirkwood and Pollock.8

Assessing probabilities. A detailed questionnaire was prepared to assess judgments from experts concerning the probabilities that a potential adversary would have the various levels of attributes shown in Table 1. In particular, unconditional probability distributions were assessed over several of the attri-

butes as well as conditional probability distributions over these same attributes, given that the level of one other attribute was specified.

The questionnaire furnished general background information on other theft situations that are analogous in some way to theft from a Nuclear Material Safeguards System. The questionnaire

TABLE 2. ADVERSARY THREAT SCENARIOS

Scenario title 1 Uninformed outsider		Characteristics Theft for symbolic reasons, prankster, crazy, for principle, but not planed; very little Nuclear Material Safeguards System				
2	Principled outsider	(NMSS) knowledge, technically unsophisticated Theft for symbolic reasons (ie game-playing, for principle); little or no NMSS knowledge, technically sophisticated; could have considerable diversion resources, but no inside contacts				
	Disgruntled employee Disgruntled employees	Symbolic theft (eg labour unrest, revenge on the system, material-unaccounted-for coverup); NMSS low-level inside such as guard, minor technician, maintenance worker, etc; little technical knowledge				
4	Principled executive	Symbolic theft (eg for principle, revenge, coverup of present or future material-unaccounted-for); high level NMSS positior and contacts (executive administrator, etc); likely to understand consequences of theft; high technical knowledge, possibly a group				
	Competent outsider Competent outsider group	Theft for monetary gain, (eg future sale); little or no NMSS information; technically sophisticated; has diversion resources				
	Opportunistic employee Opportunistic employees	Crime of opportunity, for money; knows one area of NMSS (eg guard, loading dock worker, etc.); little technical sophistication				
7	High-level embezzling group	Possibly long-term diversion for profit; well-informed insiders; technically sophisticated; have NMSS contacts, control, and equipment available				
8	Embezzling executive	Crime of opportunity, possibly long-term diversion; well- informed insider; technically sophisticated				
9	Terrorist group or foreign national group	Theft to build weapon; little or no NMSS information; high technical and processing capability; sophisticated arms and adequate manpower (likely to mount a direct frontal attack)				
10	Terrorist individual	Theft to build weapon; little or no NMSS information; technically sophisticated and capable of processing material; few theft resources (likely to attack fringe of system such as material being transported)				
11	Insider terrorist group	Theft to build weapon; well-informed insiders; technically sophisticated with processing capability; have NMSS contacts, control, and equipment available (may be a large group with theft equipment)				
12	Insider terrorist individual	Theft to build weapon; well-informed insider; technically sophisticated with processing capability; little NMSS control and few contacts (small group or individual)				
13	Outsider extortionist group	Theft for extortion; see 5b for other characteristics				
14	Outside expert	Theft for extortion; see 5a for other characteristics				
15	Extorting employee	Theft for extortion, see 6a, 6b for other characteristics				
16	Extorting executive	Theft for extortion; see 8 for other characteristics				

was self-explanatory, but not designed to be self-administered. The experts were questioned to determine the reasons for their answers and to reduce the chances of the various usual assessment errors in judgmental probabilities.9

Determining scenario probability bounds. The two sets of optimization problems (5) and (6) were solved to obtain bounds on the probabilities for the 19 threat scenarios in Table 2, given the information assessed from the experts. Solution of these linear programs is conceptually straightforward: there are numerous programs available that will solve linear programs larger than these. However, manually entering the data would be very tedious since there were 512 different pt's and several dozen constraints.

TABLE 3, BOUNDS ON SCENARIO PROBABILITIES

Scenario	Expert Aa		Expert Ba		Expert Cb	
number	Max	Min	Max	Min	Max	Min
1	0.0526	0	0.3333	0	0.01515	0
2	0.0526	0	0.3333	0	0.01515	0
3a	0.0526	0	0.3333	0	0.04167	0
3b	0.0526	0	0.3333	0	0.04167	0
4	0.0526	0	0.4608	0	0.1667	0.10987
5a	0.3	0	0.0588	0	0.01515	0
5b	0.5	0	0.0588	0	0.04545	0
6a	0.3	0	0.0588	0	0.01515	0
6 b	0.3	0	0.0588	0	0.125	0.02652
7	0.2526	0	0.0588	0	0.10987	0
8	0.2526	0	0.0588	0	0.01515	0
9	0.1579	0	0.0589	0	0.0303	0
10	0.1579	0	0.0589	0	0.0303	Ö
11	0.1579	0	0.0589	0	0.1666	0.06056
12	0.1579	0	0.0589	0	0.07575	0
13	0.2632	0	0.2941	0	0.07575	Ō
14	0.2632	0	0.2941	0	0.04545	Ó
15	0.2632	0	0.2941	Ó	0.20833	0.12500
16	0.2632	0	0.2941	Ö	0.32955	0.21593

Notes:a: using only unconditional probability responses; b: using unconditional probability responses and some conditional probability responses.

To avoid this, a preprocessor program was written to take information about assessed probabilities and set up the appropriate constraint equations for the linear programming solution package. The entire computer procedure to take elicited data, to set up input files for the linear programming solution package, and to run this to obtain bounds on scenario probabilities, was implemented as an interactive program on the Michigan Terminal System at the University of Michigan. The linear program solution package MPS, which is part of the IBM Mathematical Programming System, was utilized. Although the program we developed is straightforward to use, the underlying programs are fairly complex. It is necessary to handle and sort a number of large data files which are either created by the preprocessor or permanently sorted for use by the program.

In order to simplify program use, data was entered using a coding scheme similar to that described earlier. For example, 10000000G0.3 means "the probability that Motivation is Symbolic is

greater 0.3."than Similarly 20000000L30000000 means "the probability that Motivation is Money is than the probability Motivation is Extortion." Conditional probabilities were entered using a slight variation in this scheme. For example, P6 = 1G1 = 4G0.7 means that "the probthat attribute 6 (General Resources) is High, given that attribute 1 (Motivation) is Weapon, is greater than 0.7."

The preprocessor program recognizes the meaning of these codes and sets up the appropriate constraint equations for the linear programs. The details of the program are presented in Kirkwood and Pollock.⁸

Results of the application

The probability assessments discussed above were carried out for three experts. All three experts found it possible to give meaningful answers to both the unconditional and conditional probability questions. When attempts were made to obtain bounds for the scenario probabilities based on the data for each expert,

it turned out there was no set of p_t obeying the axioms of probability theory that matched the elicited data. For two experts, the inconsistency remained as long as any of the conditional probability data were used, while with the third, some (but not all) of the conditional data could be utilized and consistency retained. The bounds that result when the inconsistent conditional probability assessments are omitted are shown in Table 3 where the three experts are designated A, B and C.

appliction shows that the methodology in this paper is a viable way of analysing scenarios described by attributes with multiple levels. However, it is difficult to assess consistent probability information in these complex situations.

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