## A USER'S GUIDE TO FORTRAN PROGRAMS FOR WIGNER AND RACAH COEFFICIENTS OF SU<sub>3</sub> \*

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## PROGRAM SUMMARY

Title of program: SU3 WIGNER & RACAH COEFFICIENTS

Catalogue number: ACRM

Computer: IBM 360/67; Installation: The University of Michigan, Ann Arbor, Michigan, USA

Operating system: MTS/360

Programming language used: FORTRAN IV

High speed storage required:  $SU_3 \supset SU_2 \times U_1$  Wigner coefficients, 13 008 words

SU<sub>3</sub> Racah coefficients, 14 654 words;

 $SU_3 \supset R_3$  Wigner coefficients, 14202 words

 $SU_3$  Racah coefficients, 14654 words.  $SU_3 \supset R_3$  Wigner coefficients, 14202 words

No. of bits in a word: 32

Is the program overlaid? No.

No. of magnetic tapes required: None.

Other peripherals used: Card reader, line printer

No. of cards in combined program and test deck: 2046

Keywords: SU<sub>3</sub>, Wigner coefficient, Racah coefficient, Clebsch-Gordan coefficient, Recoupling coefficient, Isoscalar factor, U-function, Unitary coupling, Unitary recoupling, K-band projection, Hypercharge.

Nature of physical problem

 $SU_3 \supset SU_2 \times U_1$  and  $SU_3 \supset R_3$  Wigner coefficients as well as  $SU_3$  Racah coefficients are calculated for arbitrary couplings and multiplicity.

## Method of solution

A build-up process based on the Biedenharn-Louck prescription for specifying the outer multiplicity is employed to generate  $SU_3 \supset SU_2 \times U_1$  Wigner coefficients [1].  $SU_3$  Racah coefficients follow through standard recoupling formulae [2].  $SU_3 \supset R_3$  Wigner coefficients are obtained from the corresponding  $SU_3 \supset SU_2 \times U_1$  Wigner coefficients via unitary transformation coefficients relating  $SU_3 \supset SU_2 \times U_1$  and  $SU_3 \supset R_3$  basis states [3].

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Restrictions on the complexity of the problem

Factorials  $M!, M \le M_{max} = 32$ , and binomial coefficients  $\binom{N}{M}, M \le N \le N_{max} = 32$ , are stored in common. Typically for SU<sub>3</sub>  $\supset$  SU<sub>2</sub>  $\times$  U<sub>1</sub> Wigner coefficients  $\Lambda_1 + \Lambda_2 + \Lambda_3 \le M_{max}$  whereas for SU<sub>3</sub>  $\supset$  R<sub>3</sub> Wigner coefficients  $\lambda + \mu + L \le N_{max}$ . The limits  $M_{max}$  and  $N_{max}$  may be altered by modifying one and only one subprogram.

## References

[1] J.P. Draayer and Yoshimi Akiyama J. Math. Phys., in press.

[2] K.T. Hecht, Nuclear Physics 62 (1965) 1.

[3] J.P. Draayer, Nuclear Physics A129 (1969) 647.