VIBRATIONAL ANALYSIS OF CRYSTALLINE TRIGLYCINE*

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ABSTRACT

We have refined vibrational force fields for polypeptides that permit excellent reproduction of the normal mode frequencies of such molecules. This is demonstrated in the present study, in which 80 IR and Raman bands of crystalline triglycine between 1800 and 200 cm⁻¹ are reproduced with an average error of 6 cm⁻¹. A deuterated sample is shown by normal mode analysis to have remained protonated at the C-terminal peptide group. Such results show that normal mode analysis can now provide a rigorous base for spectral studies of conformation in peptides and proteins.

INTRODUCTION

Normal mode analyses of the vibrational spectra of small peptides of known structure are useful in validating force fields developed for polypeptides [1] and in providing convincing support for predictions of related unknown structures. As an example of this, our satisfactory analysis of the parallel-chain β structure in crystalline Val-Gly-Gly [2] enhances our confidence in the predictions of the vibrational spectrum of the general parallel-chain β -sheet [3]. Such studies also provide a rigorous base for using the observed spectra in further structural studies of these small peptides, and they help to analyze spectral details that need to be understood in order to permit the development of more complete force fields.

In this paper we present an analysis of the vibrational spectrum of a specific antiparallel-chain β -structure of crystalline triglycine, Gly₃ [4]. Previous structure studies on this molecule [5–8] have shown that it adopts at least two different crystal forms, probably corresponding to different molecular conformations. We have ascertained that our spectra are derived from the same kind of crystals on which the crystal structure analysis was done [4]. This avoids

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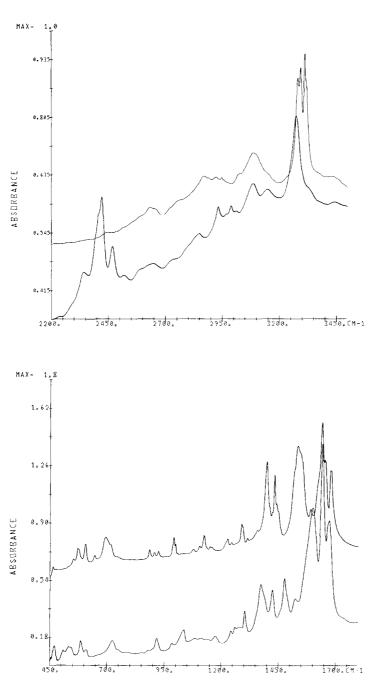


Fig. 1. IR spectra of triglycine (upper curve) and the deuterated derivative (lower curve).

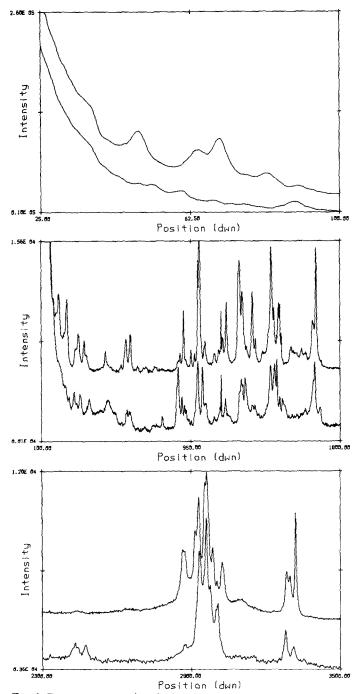


Fig. 2. Raman spectra of triglycine (upper curve) and the deuterated derivative (lower curve). (The intensity scale is for the protonated molecule. For the deuterated molecule, the intensity scales are: 0.4E05-3.2E05 (25-100 cm⁻¹), 4.2E03-1.2E04 (100-1800 cm⁻¹), and 0.1E03-4.2E04 (2300-3500 cm⁻¹).)

the complications of previous solid state IR studies [9], in which it was noted that different spectra were obtained from different forms, as well as of earlier solid state Raman studies [10], in which the sample was poorly defined.

Previous vibrational studies of Gly_3 have been based on a crude Urey-Bradley force field [11], and, for analysis of the conformation in aqueous solution [12], on a valence force field for diglycine. This analysis is based on our force field for polyglycine I [13], extending this to include force constants for the end groups by a refinement of the normal modes of crystalline diglycine. A preliminary report of the results has been presented [14].

EXPERIMENTAL

Triglycine was obtained as a powder sample from Sigma. Small crystals were grown from this material by slow evaporation of an aqueous methanol solution at room temperature. Tiny crystals were formed by rapid crystallization in vacuo. The spectra recorded from these three kinds of sample were significantly different, indicating differences in local molecular structure. The crystals formed by slow evaporation from methanol solution were found by X-ray diffraction [15] to correspond to those for which the crystal structure was determined [4], and these or tiny crystals grown on a watch-glass (which gave similar spectra) were used in our studies. Crystals of of N-deuterated Gly₃ were prepared in a similar manner, following three successive treatments with CH_3OD/D_2O followed by freeze-drying. (The freeze-drying procedure on normal samples gave our standard spectra.) As will be seen below, a specific pattern of deuteration resulted from this treatment.

Infrared spectra were obtained in KBr discs, at room and liquid nitrogen temperatures, using a Bomem DA3 FTIR spectrometer operating at a resolution of 2 cm⁻¹. Raman spectra were obtained from the crystals in a capillary tube, using a Spex 1403 spectrometer and 5145 Å excitation. The laser power was 500 mW, and a spectral band width of 2 cm⁻¹ was used. Infrared spectra of Gly₃ and its deuterated derivative are given in Fig. 1, and Raman spectra are presented in Fig. 2.

NORMAL MODE CALCULATIONS

The unit cell of our form of Gly₃ is triclinic, space group $P\overline{1}$, with a=11.656Å, b=14.817 Å, c=4.823 Å, $\alpha=88.45^{\circ}$, $\beta=95.96^{\circ}$, $\gamma=105.42^{\circ}$, and Z=4, two molecules comprising the asymmetric unit (our labels A and B correspond to I and II [4], respectively). The unit cell is shown in Fig. 3, and the asymmetric unit is shown in Fig. 4. The conformations of the two molecules in this unit are very similar, except around the NH₃⁺ groups, and they both have fully extended *trans*-planar structures (the C^{α}-C^{α} repeat distances are 7.27 Å (A) and 7.18 Å (B), compared to 7.044 Å in polyglycine I [16]). The backbone

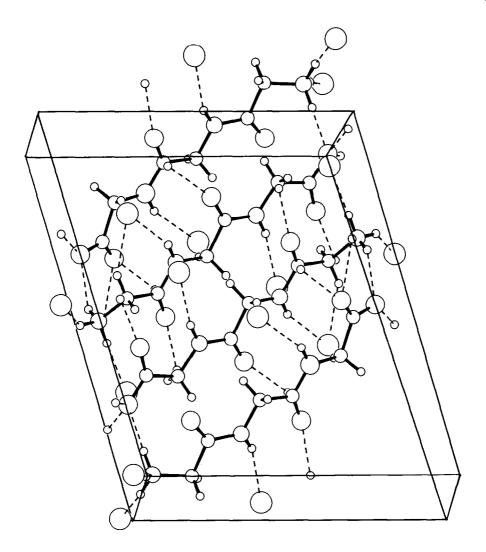


Fig. 3. Unit cell of triglycine (after ref. 4).

torsion angles are [4] A: $\psi_1 = -150^\circ$, $\omega_1 = -176^\circ$, $\phi_2 = 178^\circ$, $\psi_2 = -172^\circ$, $\omega_2 = -179^\circ$, $\phi_3 = 173^\circ$, and $\psi_3 = -173^\circ$; B: $\psi_1 = -162^\circ$, $\omega_1 = 176^\circ$, $\phi_2 = -166^\circ$, $\psi_2 = 175^\circ$, $\omega_2 = -176^\circ$, $\phi_3 = 173^\circ$, and $\psi_3 = -169^\circ$. The hydrogen-bonding pattern is quite complicated, involving bifurcated hydrogen bonds in some cases (see Table 6 of ref. 4). The peptide hydrogen bonds differ for the A and B molecules, with some being very weak ($d(H\cdots O) > 2.28$ Å, compared for example to $d(H\cdots O) = 1.75$ Å in polyglycine II and β -poly(L-alanine), 1.88 Å in α -poly(L-alanine), and 2.12 Å in polyglycine I [1]). The hydrogen bonds between end groups also differ for the A and B molecules. Table 1 presents the

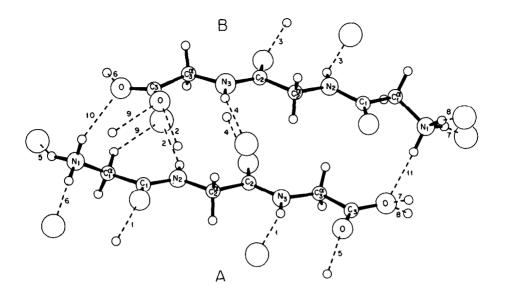


Fig. 4. Asymmetric unit of two molecules in unit cell of triglycine. Dotted lines show hydrogen bonds included in normal mode calculations (cf. Table 1).

TABLE 1

Hydrogen bond parameters and force constants used in normal mode calculations of Gly₃

Designation*	$d(H \cdots O)^{b}$	$f(\mathbf{H} \cdot \cdot \mathbf{O})^{c}$	
1	2.07	0.0755	
2	2.12	0.0640	
3	2.20	0.0450	
4	2.28	0.0270	
5	1.98	0.0960	
6	1.86	0.1240	
7	1.71	0.1509	
8	1.77	0.1470	
9 ^d	2.34	0.0010	
10	2.18	0.0500	
11	1.99	0.0940	

^aSee Fig. 4. ^bIn Å. ^cIn mdyn Å⁻¹. ^dCH··O bond; *f* set to 0.001.

hydrogen bonds that were included in the calculation (cf. Fig. 4), viz., intermolecular bonds with $d(H \cdots O) < 2.28$ Å, and the force constants associated with them.

In order to transfer our polyglycine I (PGI) force field [13] as a first approximation to Gly₃, we have used standard geometry for the peptide group [1]. The observed ϕ , ψ were used, and the actual hydrogen bond lengths were the basis for obtaining interpolated or extrapolated values of $f(H\cdots O)$, using PGI and PGII values from ref. 1. The geometric parameters of the end groups were the same as those used for Val-Gly-Gly [2], except that we took $d(N-H^+)=1.04$ Å, in accordance with neutron diffraction results on diglycine [17,18]. The CO₂⁻ wagging coordinate was defined as previously [2].

The changes made in the main chain force constants from PGI were as follows. While we took $f(C_1=0)_A = f(C_2=0)_A = f(C_1=0)_B = f(C=0)_{PGI} = 9.882$, we set $f(C_2=O)_B=9.750$, since this bond is 0.006 Å longer than the mean value of the other three C=O bonds $(1.228 \pm 0.001 \text{ Å})$. Since the $d(H \cdots O)$ vary significantly, we chose values of the f(NH) to reflect the hydrogen-bond strength, using as a first approximation the f(NH)- $d(N \cdots O)$ relationship obtained from ab initio studies [19]. We took $f(C_2^{\alpha}H)$ equal to the PGI value of 4.564 but we set $f(C_3^{\alpha}H) = 4.820$, since this group next to CO_2^{-} gives rise to frequencies over $3000 \,\mathrm{cm^{-1}}$ in diglycine, and we set $f(C_1^{\alpha}H) = 4.640$, to account for the relatively high (~2960 cm⁻¹) frequency for this group in diglycine (these changes required setting $f(C^{\alpha}H, C^{\alpha}H) = 0$, compared to its value of 0.01 in PGI, and adjusting $f(CC^{\alpha}H)$). The values of $f(C^{\alpha}NH)$ and f(CNH) had to be adjusted slightly (from 0.527 to 0.487) to account for the amide II modes, probably a result of the difference in hydrogen bonding strengths between PGI and Gly₃. The amide V modes presented a bigger problem, undoubtedly related to the significantly different hydrogen bond strengths in the A and B molecules; we tried to compensate in part for this situation by keeping $f(NH \text{ ob})_B$ and f(NH $ob, CN t)_B$ at the PGI values and increasing the A counterparts to account for their stronger hydrogen bonds.

The main chain force constants are given in Table 2. The changes from PGI can only be considered approximations to the optimum modifications, since we have not undertaken a detailed force field refinement for the Gly_3 structure; the complexity in the hydrogen-bonding pattern is undoubtedly reflected in sensitive differences in force constants. At this stage, we chose only a minimal adjustment in a few force constants so that the most salient features of the spectra are reproduced. The broader problem of the detailed dependence of force field on hydrogen bonding and geometry will probably have to be dealt with through theoretical studies, such as our ab initio analysis of the glycine dipeptide [20]. The end group force constants are from our diglycine analysis, which was based on a refinement of initial values taken from a valence force field for the free molecule [21], and are also given in Table 2.

Infrared intensities and frequency shifts of some of the amide modes were calculated by dipole derivative coupling (DDC) [2], using dipole derivatives

Peptide group			End group					
			NH ₃ +			CO_2^{-}		
Force constant ^a	Gly_3	PGI	Force const. ^a	Gly ₃	PGI	Force const. ^a	Gly_3	PGI
f(N ₂ H A)	5.904	5.840	(HN)	5.350	5.840	$f(C^{\alpha}C)$	4.409	4.409
$f(N_2HB)$	5.943	5.840	$f(NC^{\alpha})_{A}$	4.500	5.043	f(co)	9.500	9.882
$f(N_3HA)$	5.889	5.840	$f(NC^{\alpha})_{B}$	4.700	5.043	$f(C^{\alpha}CO)$	1.109	1.246
$f(N_3HB)$	6.032	5.840	(HNH)	0.590		f(0C0)	2.033	
$f(C_2=0)_{\rm B}$	9.750	9.882	$f(HNC^{\alpha})$	0.770		f(CO ob)	0.636	0.587
$f(C_1^{\alpha}H)$	4.640	4.564	$f(NC^{\alpha}H)$	0.715	0.715	$f(C^{\alpha}Ct)$	0.294	0.037
$f(C_3^{\alpha}H)$	4.820	4.564	$f(NC^{\alpha}C)$	0.819	0.819	$f(C^{\alpha}C,CO)$	1.439	0.500
$f(C^{\alpha}H,C^{\alpha}H)_{1,3}$	0.000	0.010	$f(NC^{\alpha}t)$	0.200	0.037	f(C0,C0)	1.200	
$f(CC^{\alpha}H)$	0.715	0.684	$f(NC^{\alpha}, C^{\alpha}C)$	0.300	0.300	$f(C^{\alpha}C, OCO)$	0.519	0.450
f(C ^a NH)	0.487	0.527	$f(NC^{\alpha}, C^{\alpha}NH)$	0.144	0.294	f(C0,C*C0)	0.509	0.450
f(CNH)	0.487	0.527	f(NC ^a ,HNH)	-0.150		$f(CO,C^{\alpha}CO')$	-0.509	
f(NH ob)A	0.159	0.129	$f(NC^{\alpha},NC^{\alpha}H)$	0.517	0.517	f(C0,0C0)	-0.135	
$f(NH ob, CN t)_A$	-0.1477	-0.1677	$f(NC^{\alpha}, CC^{\alpha}H)$	0.026	0.026	$f(CO ob, HC^{\alpha}C)$	-0.093	
			$f(NC^{\alpha}C,C^{\alpha}C)$	0.300	0.300	$f(CO ob, H^{\alpha}C^{\alpha}C)$	-0.093	
			$f(NC^{\alpha}C,NC^{\alpha}H)$	-0.031	-0.031	f(C0.·H)	0.050	
			$f(HNC^{\alpha},NC^{\alpha}H)$	-0.012				
			$f(HNC^{\alpha},NC^{\alpha}H^{\alpha})$	0.012				
			$f(HNC^{\alpha},HNC^{\alpha})$	-0.040				

Adjusted peptide group and end-group force constants for Gly

TABLE 2

126

RESULTS AND DISCUSSION

The observed and calculated frequencies of Gly_3 are given in Table 3, together with the potential energy distribution (PED) for each mode. For amide I, II and V modes, calculated IR intensities are given with the PEDs.

On examination of the spectra of the N-deuterated Gly₃, it became evident that the molecule was not completely deuterated; this is most clearly seen in the presence of an NH stretch mode at 3280 cm⁻¹, VS, in the IR. As we shall see, the evidence is strong that NH_3^+ is converted to ND_3^+ and that only one of the peptide nitrogens is deuterated. The results of normal mode calculations on both possible structures favor the $N_1D_3^+ N_2DN_3H$ structure (see discussion below). In Table 4, we present the calculated modes for this structure and our assignments of the observed bands. The reason for this pattern of deuteration is not apparent; it could be that the N_3 hydrogen is difficult to exchange, or, on the other hand, that it exchanges very readily and was subject to re-exchange on handling. In any event, this unusual pattern of deuteration has provided an interesting challenge to our predictive capabilities.

The NH stretch(s) modes, despite being perturbed by Fermi resonances [23], reveal a pattern that is undoubtedly related to the relative hydrogenstrengths, which would result in a frequency order of bond $\nu(N_{3A}H) < \nu(N_{2A}H) < \nu(N_{2B}H) < \nu(N_{3B}H)$. (This is not modified by taking Fermi resonance into account, using reasonable assignments of the $\nu_{\rm B}$ values [23] in the, admittedly complex, $\sim 3100 \text{ cm}^{-1}$ region.) Four bands are observed, at 3284, 3298, 3315, and 3322 cm⁻¹ in the IR, that can be assigned to these respective modes on the basis of relative f(NH) force constants determined from an ab initio f(NH)- $d(N \cdots O)$ relationship [19]. (We have matched the calculated with the observed 3284 cm^{-1} frequency and allowed the others to be determined by the f(NH)- $d(N\cdots O)$ relationship [19]; this is mainly for illustrative purposes, since we have not undertaken a Fermi resonance analysis of the 3100 cm⁻¹ $\nu_{\rm B}$ region). These assignments are further confirmed by the pattern resulting from deuteration: the highest and lowest frequency bands remain, the original bands shifting down to 3280 and 3313 cm⁻¹, while the two middle bands disappear, to be replaced by a pair of bands at 2424 and 2408 cm^{-1} (these two are well resolved and of reversed intensity ratio at liquid nitrogen temperature). The 2468 $\rm cm^{-1}$ band is probably amide B, its higher value than amide A being similar to the situation in poly(L-alanine-ND) [23]. The presence of bands near the values predicted for ND_3^+ (~2360-2200 cm⁻¹) supports our assertion that deuteration of this end group has occurred. Thus, the patterns of NH s and ND s modes are consistent with the deuterated molecule being $N_1D_3^+ N_2DN_3H$.

TABLE 3

$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Observed	۱ 	Calculated	Potential energy distribution ^b
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	Raman	IR	g u	-
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	3320MS	3322W	3313 3313	$N_3H sB(99)$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$				
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	3297W	3298S	3286 3286	N_2 H sA(99)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	3285M	3284S	3283 3284	$N_3H sA(99)$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$			3183 3177	$H_3 as 1B(66), H_3 as 2B(31)$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$			3175 3175	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$			$3172 \ 3170$	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$			3162 3161	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	3101W	3102 MW		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	3088VW	3088 MW		amide B
$\begin{array}{c c c c c c c c c c c c c c c c c c c $			3075 3069	$H_3 ssB(97)$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$			3056 3056	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	3030sh	3030VVW	3010 3010	
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	3024M	3022VVW	3010 3010	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	3002VVW	7		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	2986W			
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	2962VS	2963VW	2957 2957	C_1H_2 asA(99)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	2954S	2950W		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$				
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	29308			
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		2925W		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	2916sh			
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	207015	0.000111	2881 2881	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	2876M	2878W*	2881 2881	C_1H_2 ssA(99)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	000016	000011/*	2861 2861	
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	2866M	2862 W *	2861 2861	C_2H_2 ssA(99)
$\begin{array}{c c c c c c c c c c c c c c c c c c c $		1685 MS	1.00	
$\begin{array}{llllllllllllllllllllllllllllllllllll$			1686	$C_2 U \mathrm{sA}(54), C_1 U \mathrm{sA}(19), C_2 N \mathrm{sA}(14) [14.7]$
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	1000.1		1682	$C_1O sB(66), C_1N sB(18), C_1^{\alpha}CN dB(10)$
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	1682sn		1679	$C_2O sA(60), C_2N sA(16), C_1O sA(14)$
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	1666VS		1663	$C_2O sB(72), C_2N sB(20), C_2^{\alpha}CN dB(11)$
$ \begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$		1661sh	1661	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		1657W	1668	$C_1 O sB(72), C_1 N sB(20), C_1^{\alpha} CN dB(11) [9.0]$
$ \begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	1645MW		1647	
$ \begin{array}{ccccc} 1623 \mathrm{sh} & 1618 & 1618 & H_3 \ \mathrm{ab1B}(83), H_3 \ \mathrm{r2B}(10) \\ & 1610 & 1610 & H_3 \ \mathrm{ab2B}(83), H_3 \ \mathrm{r1B}(10) \\ & 1608 & 1608 & H_3 \ \mathrm{ab1A}(57), H_3 \ \mathrm{ab2A}(34) \\ 1607 \mathrm{W} & 1581 & 1581 & O_2 \ \mathrm{asB}(104) \\ 1583 \mathrm{W} & 1593 \mathrm{W} & 1576 & 1576 & O_2 \ \mathrm{asA}(104) \\ & 1574 & \mathrm{N_2H} \ \mathrm{ibB}(21), H_3 \ \mathrm{sbB}(13), \mathrm{C_1^{\alpha}C} \ \mathrm{sB}(10), \mathrm{C_1N} \ \mathrm{sB}(9) \\ \end{array} $		1644VS	1648	
$ \begin{array}{ccccc} 1623 \mathrm{sh} & 1618 & 1618 & H_3 \ \mathrm{ab1B}(83), H_3 \ \mathrm{r2B}(10) \\ & 1610 & 1610 & H_3 \ \mathrm{ab2B}(83), H_3 \ \mathrm{r1B}(10) \\ & 1608 & 1608 & H_3 \ \mathrm{ab1A}(57), H_3 \ \mathrm{ab2A}(34) \\ 1607 \mathrm{W} & 1581 & 1581 & O_2 \ \mathrm{asB}(104) \\ 1583 \mathrm{W} & 1593 \mathrm{W} & 1576 & 1576 & O_2 \ \mathrm{asA}(104) \\ & 1574 & \mathrm{N_2H} \ \mathrm{ibB}(21), H_3 \ \mathrm{sbB}(13), \mathrm{C_1^{\alpha}C} \ \mathrm{sB}(10), \mathrm{C_1N} \ \mathrm{sB}(9) \\ \end{array} $		1630sh	1639 1639	
$ \begin{array}{cccc} 1608 & 1608 & H_3 \ ab1A(57), H_3 \ ab2A(34) \\ 1607W & 1581 \ 1581 & O_2 \ asB(104) \\ 1583W & 1593W & 1576 \ 1576 & O_2 \ asA(104) \\ & 1574 & N_2H \ ibB(21), H_3 \ sbB(13), C_1^{\alpha}C \ sB(10), C_1N \ sB(9) \\ \end{array} $		1623sh	1618 1618	$H_3 ab1B(83), H_3 r2B(10)$
$ \begin{array}{llllllllllllllllllllllllllllllllllll$			1610 1610	
$\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$			1608 1608	$H_3 ab1A(57), H_3 ab2A(34)$
1574 N_2H ibB(21), H_3 sbB(13), $C_1^{\alpha}C$ sB(10), C_1N sB(9)	1607W		1581 158	$O_2 \text{ asB}(104)$
	1583W	1593W	1576 1576	
$1554VW$ 1565 N ₂ H ibA(21).C ^{α} C sA(12).C ₁ N sA(11).H ₂ sbA(9)			1574	N_2H ibB(21), H_3 sbB(13), $C_1^{\alpha}C$ sB(10), C_1N sB(9)
	1554VW		1565	$N_2H ibA(21), C_1^{\alpha}C sA(12), C_1N sA(11), H_3 sbA(9)$

128

TABLE 3 (continued)

• •

Observed ^e	۱ 	Calculate	d Potential energy distribution ^b –
Raman	IR	g u	_
	1553 MS	155	$H_3 sbB(17), N_3H ibB(17), C_2N sB(10), C_2^{\alpha}C sB(9)$ [11.2]
	1548VW*	155	
1535W		1538	$H_3 sbB(20), N_3H ibB(18), C_2N sB(10), C_2^{\alpha}C sB(10)$
	1538S	152	
		1526	N_3H ibA(19), $C_2^{\alpha}C$ sA(11), H_3 sbA(11), C_2N sA(11)
1523W	1522sh	1515 151	
102011	1022511	1505 150	
		1466 146	
1467W	1465sh		$C_{2}H_{2} bA(10), O_{2} ssA(10)$
		1466 146	$6 C_{2}H_{2}bB(20), C_{1}H_{2}bB(18), C_{3}H_{2}bB(12)$
1459M		1448 144	
1452M	1453VW	1448 144	8 C_1H_2 bA(37), C_3H_2 bA(23), O_2 ssA(12), N_2H ibA(6)
	1446W	1440 144	
1440VW	1437 MS	$1435 \ 143$	
1425W	1427VW	1415 141	
	1416sh	$1412 \ 141$	
1410VS		1410 140	
			$O_2 bA(13), C_2H_2 bA(12), N_3H ibA(7)$
	1402S	1400 140	0 $O_2 ssB(34), C_2H_2 wB(19), O_2 bB(14), C_3^{\alpha}C sB(13), N_3H ibB(7)$
1377VW		1378 137	
1369VW		1372 137	
1360W	1361W	1350 135	
1332sh	1330VW	1349 134	
131 9W	1317W		
1303MS	1298W	1284 128	4 C_2H_2 twA(48), C_1H_2 twA(22)
	1293 M	1276 127	6 C_1H_2 twB(54),N ₂ H ibB(7)
1277sh		1272 127	
1269VW		$1265 \ 126$	5 C_3H_2 twB(32), C_2H_2 twB(32), N ₃ H ibB(6)
	1265VW	$1261 \ 126$	
		1259 126	
	1248W	$1243 \ 124$	
1244M		1236 123	
1228VS	1231 MW	$1227 \ 122$	
1224W	1223VW	$1218 \ 121$	
	1218sh*	1207 120	
1195sh		1192 119	
115038	1162W	1164 116	
1153M	1153W	1155 115	e e
1132W	$1127\mathbf{M}$	1140 113	9 NC ₂ ^{α} sB(28),NC ₃ ^{α} sB(28)

Observed [®]		Calcu	lated	Potential energy distribution ^b
Raman	IR	g	u	
1110W	1107W	1110	1110	NC_2^{α} sA(48), NC_3^{α} sA(17)
1085W	1080W	1085	1085	$NC_3^{\alpha} sB(37), NC_1^{\alpha} sB(21), NC_2^{\alpha} sB(16)$
1043sh	1043VW	1040		NC_3^{α} sA(45), NC_1^{α} sA(29)
1032W	1025VW	1021	1021	NC_{1}^{α} sB(60), NC_{2}^{α} sB(19)
1000VS	1001W	1001	1002	NC_{1}^{α} sA(45), NC_{2}^{α} sA(14), NC_{3}^{α} sA(11)
992M	994MS	994	993	$C_2H_2 rB(77)$
974W	972VW	977	976	$C_2H_2 rA(27), C_3^{\alpha}C sA(21)$
		966	966	$C_3^{\alpha}C sB(34), O_2 bB(15)$
	965W	965	965	$C_2H_2 rA(51), C_3^{\alpha}C sA(10)$
952MW	950 sh	946	945	$C_2^{\alpha}C sA(18)$
		941	941	$C_{3}H_{2} rB(19), C_{2}^{\alpha}C sB(13)$
923W	926MW	937	937	$C_3H_2 rA(75)$
923 11	920101 00	935	934	$C_3H_2 rB(66)$
909M	911sh*	922	922	$C_1H_2 rB(67), H_3 r2B(14)$
000141	908MW	918		$C_1H_2 rA(68), H_3 r2A(11)$
890W	887M	904		$C_1^{\alpha} C sA(20)$
030 W	007101	902	903	$C_1^{\alpha}C sB(17), C_1N sB(11)$
878VW				
753 VW	755sh*	759	758	$O_2 bA(19)$
746W	744W	744	744	$O_2 bB(21), C_2^{\alpha}C sB(10), C_2O ibB(10)$
717VW	718W	718	720	$C_2N tA(41), N_3H obA(17) [0.4]$
703sh		697		$C_1 N tA(21), O_2 bA(16), C_2 N tA(16),$
				$N_2H obA(14), C_3^{\alpha}C sA(11), N_3H obA(6)$
	706MS		690	$C_1 N tA(18), C_2 N tA(16), O_2 bA(15),$
				$N_2H obA(13), C_3^{\alpha}C sA(10), N_3H obA(6)$ [1.7]
683W	689sh*	688	688	$O_2 bB(15), C_3^{\alpha}C sB(13), C_1O ibB(12), C_1^{\alpha}C sB(11)$
695W	695S	672	680	$C_1N tA(53), N_2H obA(20)$ [2.3]
648W	648MW	643	643	C_2O ibA(26), C_1O ibA(13), N_2H obA(5) [0.2]
		640	640	$C_1O \text{ obB}(29), C_2O \text{ ibB}(15), C_2O \text{ obB}(11)$
634VW		632		$C_1 N tB(16), C_1 O ibB(13), C_2 O ibB(11), C_1 O obB(10)$
		630	630	$O_2 wB(70)$
		629	630	O_2 wA(82)
			628	C_1O ibB(15), C_1O obB(15), C_1N tB(14), C_2O ibB(10)
0000	600.1 *	613	613	$C_2O \text{ obB}(37), C_2N \text{ tB}(16), C_1O \text{ obB}(12)$
606S	602sh*	612	612	$C_2O \text{ obA}(23), C_1O \text{ obA}(20), C_2O \text{ obB}(11),$ $C_1O \text{ ibA}(10)$
609S	607S	600	609	$C_2N tB(53), N_3H obB(41)$ [1.6]
	589sh*	592	590	$C_2O \text{ obA}(37), C_2N tB(22),$
				$N_{3}H obB(15), C_{1}O obA(10) [0.5]$
582S	$578\mathbf{M}$	580	581	$O_2 rA(26), C_2^{\alpha} CN dA(21)$
572 sh	$573\mathbf{M}$	579	580	$O_2 rB(23), C_2^{\alpha} CN dB(21)$
555W	555W	554	563	$C_1 N tB(99), N_2 H obB(49)$ [1.5]
531VW	534sh			
496VW				

TABLE 3 (continued)

Observed*		_	Calcu	lated	Potential energy distribution ^b
Raman	IR	-	g	u	
		ſ	467		$O_2 rA(27), C_1^{\alpha}CN dA(26)$
466MW	466W	J		465	$O_2 rB(29), C_1^{\alpha} CN dB(23)$
400101 00	400 W	J	465		$O_2 rB(29), C_1^{\alpha} CN dB(24)$
		l		464	$O_2 rA(27), C_1^{\alpha} CN dA(25)$
357W			382	381	$NC_1^{\alpha} tB(62)$
344MW			359		NC_1^{α} tA (64)
			315		C_2^{α} CN dB(24), O_2 rB(14), C_1^{α} CN dB(11)
311 MW			311		$C_2^{\alpha} CN dA(19), O_2 rA(11), C_1^{\alpha} CN dA(10)$
295W			299		$N_{3}H obB(23), C_{3}^{\alpha}C tB(18), N_{2}H obB(7)$
200 11			292	292	$\mathrm{NC}_{1}^{\alpha}\mathrm{C}\mathrm{dA}(33),\mathrm{H}\cdots\mathrm{O}\mathrm{s6}(12),\mathrm{N}_{2}\mathrm{H}\mathrm{obA}(8)$
			280	280	$NC_{1}^{\alpha}C dB(13), C_{3}^{\alpha}C tA(14), N_{3}H obB(7), N_{3}H obA(7)$
			272	273	$NC_{1}^{\alpha}C dB(13), C_{3}^{\alpha}C tA(11), N_{3}H obA(8)$
				268	C_2O ibB(14),N $C_3^{\alpha}C$ dB(10),CN C_3^{α} dB(10),
					C_1O ibB(10),N $C_1^{\alpha}C$ dB(10)
			266		C_2O ibB(20),CNC ₃ ^{α} dB(15),NC ₃ ^{α} C dB(11),
					$NC_2^{\alpha}C dB(10)$
246S			259	260	C_2O ibA(16),N $C_3^{\alpha}C$ dA(16),
					$CNC_3^{\alpha} dA(15), N_3H obA(11), NC_2^{\alpha}C dA(10)$
230sh			221	224	$CNC_2^{\alpha} dA(13), N_2H obA(11)$
			216	218	$N_2H obB(16), CNC_3^{\alpha} dB(15)$
				194	$N_{2}H obB(14), N_{2}H obA(11)$
		ſ	192		$N_2H obB(16), CNC_2^{\alpha} dB(14), N_2H obA(7)$
201MW		- {		191	$N_2H obA(13), N_2H obB(8)$
		l	190		$CNC_2^{\alpha} dA(12), N_2H obA(11)$
				177	$H \cdot O s7(14), H \cdot O s11(13)$
			168		$\mathrm{H} \cdot \mathrm{O} \mathrm{s7(22), NC_2^{\alpha}C dB(11), NC_1^{\alpha}C dB(10),}$
					$H \cdot O s8(10)$
			155		$\mathbf{H} \cdot \mathbf{O} \mathrm{s5}(20), \mathrm{NC}_{2}^{\alpha} \mathrm{C} \mathrm{dA}(17), \mathrm{H} \cdot \mathbf{O} \mathrm{s6}(15),$
					$NC_{3}^{\alpha}C dA(10)$
				152	$NC_{2}^{\alpha}C dA(14), H \cdots O s6(12), H \cdots O s10(11),$
					$NC_3^{\alpha}C dA(10), H \cdot O s5(10)$
				143	$NC_{3}^{\alpha}C dA(10), H \cdots O s10(15), NC_{2}^{\alpha}C dA(10)$
		(138		$H \cdot O s 10(23), H \cdot O s 11(15), NC_3^{\alpha} C dA(10)$
142M		- {		138	$\mathrm{NC}_{3}^{\alpha}\mathrm{C}\mathrm{dB}(19),\mathrm{NC}_{2}^{\alpha}\mathrm{C}\mathrm{dB}(13),\mathrm{CNC}_{2}^{\alpha}\mathrm{dB}(10)$
		(136		$H \cdot O s11(21), NC_3^{\alpha} C dB(16)$
129VW			125		$H \cdot O s11(17), NC_3^{\alpha}C dB(10)$
				119	$C_3^{\alpha}C tB(23)$
120 MS			115		$C_3^{\alpha}C tB(32), N_3H obB(11), N_2H obB(9)$
				115	$H \cdot O s11(23), H \cdot O s5(10)$
				103	$H \cdot O s1(15), H \cdot O s6(10)$
109W			101		$H \cdot O s6(21), NC_3^{\alpha}C dA(13)$
				91	$H \cdot O s11(21), H \cdot O s10(14), C_3^{\alpha}C tA(12), N_3H obA(9)$

Observed ^a		Calc	culated	Potential energy distribution ^b
Raman	IR	g	u	
001/11/		89)	$H \cdot O s1(27), N_3 H obA(6)$
90VW		88	3	$C_3^{\alpha}C tA(8)$
			87	$N_3H obA(14)$
			80	$H \cdot O s2(26)$
82VW		76	3	$H \cdot O s3(15)$
			75	$NC_3^{\alpha} tB(20), C_2^{\alpha}C tB(14), N_3H obB(7)$
701/11/		73	3	NC_3^{α} tB(19),N ₃ H obB(6)
70VW		70)	$H \cdot O s1(22), H \cdot O s2(18)$
65VW		63	3	$NC_2^{\alpha} tB(10)$
			62	$C_1^{\alpha}C$ tB(25),H··O s5(16)
			60	NC_3^{α} tA(19)
		56	5	$C_1^{\alpha}C tB(24)$
			53	$H \cdot O s2(9), H \cdot O s4(9)$
		53		NC_{2}^{α} tB(14),N ₂ H obB(11), C ₂ N tB(19)
50VW		51	L	$CO \cdot H b5(18), H \cdot O s10(16), NC_3^{\alpha} tA(10)$
50W			50	$C_1^{\alpha}C tB(23)$
		44		$H \cdot O_{s3}(19), NH \cdot O_{b3}(19), N_2 H_{obB}(8)$
			44	$CO \cdot H b5(10)$
		41	L	$H \cdots O_{s8(9)}$
			37	$H \cdot \cdot O s 10(16), H \cdot \cdot O s 5(12)$
37 sh		36		$CO \cdot H b4(14), NC_3^{\alpha} tB(13), CO \cdot H b1(10)$
			34	$H \cdot \cdot O s4(12), N_2 H obB(11)$
		32	2	$C_2^{\alpha}C tA(13), C_1^{\alpha}C tA(11)$
			31	$H \cdot O s7(16), H \cdot O s8(12), C_2^{\alpha}C tA(11)$
		30)	$H \cdot \cdot O s8(11), H \cdot \cdot O s10(11)$
		26	5	$H \cdot O s2(7), N_2 H obB(7)$
			23	$NH \cdot O t4(10)$
			23	$NC_2^{\alpha}C tB(13), N_2H obB(10)$
		21		$NH \cdots O b2(15), CO \cdots H b2(13), N_2H obA(6)$
		17		$CO \cdot H tB(9), N_2H obB(9)$
		15	j	C_2^{α} tB(18),NH··O b9(10),N ₃ H obB(7)
			12	NC_3^{α} tA(9),N ₂ H obB(7)
			9	$CO \cdot H b5(15), NC_2^{\alpha} tA(11), N_2 H obB(6)$
		8	5	H··O s4(12),NH··O t1(12),CO··H b7(12)
				CO··H b8(12),CO··H b6(10)

^aBands marked with an asterisk are evident at low temperature.

^bs, stretch; as, antisymmetric stretch; ss, symmetric stretch; b, bend; ib, in-plane bend; ob, out-ofplane bend; d, deformation; w, wag; tw, twist; r, rock; t, torsion. See Fig. 4. for designation of atoms, molecules and bonds. ($H_3 = NH_3^+$, $O_2 = CO_2^-$, $C_xH_2 = C_x^{\alpha}H_2$.) Contributions >10% are shown except for NH modes for which contributions >5% are shown. Numbers in parentheses are calculated IR intensities. For differences in PEDs between g and u species of <4%, average is given.

TABLE 4

Observed ^a		Calculated		Potential energy distribution ^b
Raman	IR	g	u	
3312W	3313sh	3313	3313	$N_3H sB(99)$
3280MW	3280VS	3283	3284	$N_{3}H sA(99)$
	3095 MW			Amide B
	3015W		3010	C_3H_2 asB(100)
3008 MW		3010	3010	C_3H_2 asA(100)
3000sh	2995W			
2976VW	2972VW			2 - 2 - 1 - 1 - 1
2960VS			2957	C_1H_2 asA (99)
			2956	C_1H_2 asB(99)
2933S	2936M		2936	C_3H_2 ssB(99)
			2936	C_3H_2 ssA(99)
			2928	C_2H_2 ssB(99)
			2927	$C_2H_2 asA(99)$
2875VW			2881	C_1H_2 ssB(99)
			2881	C_1H_2 ssA(99) C_1H_2 csP(00)
	2855W		2861 2861	$C_2H_2 ssB(99)$ $C_2H_2 ssA(99)$
2474W	2468MW	2001	2001	Amide B
2431W	2400101 VV 2424S	9491	2421	N ₂ D sB(97)
2401 1	2424D		2421	$N_2 D sA(97)$ N ₂ D sA(97)
			2355	$D_3 as1B(67), D_3 as2B(30)$
	2362W*		2350	$D_3 as1A(78), D_3 as2A(19)$
	2345W*		2350	$D_3 as2B(67), D_3 as1B(30)$
2331VW			2342	$D_3 as2A(79), D_3 as1A(19)$
	2230VW		2207	$D_3 ssB(97)$
	2180VW		2191	$D_3 ssA(98)$
1687MW		1680		$C_1 O sB(73), C_1 N sB(20), C_1^{\alpha} CN dB(10)$
	1674S		1677	$C_1 O sA(65), C_1 N sA(17), C_1^{\alpha} CN dB(10), [13.3]$
		1674		$C_1 O sA(69), C_1 N sA(18), C_1^{\alpha} CN dA(10)$
	$1665 sh^*$		1666	$C_2O sA(65), C_2N sA(17), C_2^{\alpha}CN dA(10) [6.0]$
1658VS		1662		$C_2O sB(72), C_2N sB(20), C_2^{\alpha}CN dB(11)$
			1655	$C_1O sB(72), C_1N sB(20), C_1^{\alpha}CN dB(10)$ [8.8]
1650sh		1652		$C_2O sA(70), C_2N sA(18), C_2^{\alpha}CN dA(10)$
	1643VS		1646	$C_2O sB(72), C_2N sB(20), C_2^{\alpha}CN dB(11)$ [17.3]
1601W	1602VS	1581	1581	$O_2 asB(104)$
1583VW	$1580 \mathrm{sh}$	1576	1576	$O_2 asA(104)$
1557VW		1554		$N_{3}H ibB(24), C_{2}N sB(14), C_{2}^{\alpha}C sB(14), N_{3}H ibA(7)$
	1554 sh		1544	$N_{3}H ibB(23), C_{2}N sB(14), C_{2}^{\circ}C sB(14), N_{3}H ibA(8) [8.4]$
1529W		1537		$N_3H ibA(22), C_2^{\alpha}C sA(15), C_2N sA(13), N_3H ibB(8)$
	1525W		1531	N_3H ibA(21),C ₂ ² C sA(14),C ₂ N sA(13),N ₃ H ibB(8) [0.6]
1484VW	1495sh	1500	1500	$C_1^{a}C sA(31), C_1H_2 wA(20), C_1N sA(16),$
		1000	1000	$C_1 U sA(10), C_1 U_2 wA(20), C_1 U sA(10), C_1 H_2 bA(14), C_1 O ibA(12), C_1 O sA(10)$

Observed and calculated frequencies (in $\rm cm^{-1})$ of $N_1, N_2\text{-}Deuterated Gly_3$

Observed ^a		Calculated		Potential energy distribution ^b
Raman	IR	g	u	
1475MW	1478MS	1496	1496	$C_1^{\alpha}C sB(29), C_1H_2 wB(17), C_1N sB(15),$
				C_1H_2 bB(15), C_1O ibB(12), C_1O sB(12), N_2D ibB(5)
		1463	1463	$C_{3}H_{2}bA(27), C_{2}H_{2}bA(15), O_{2}ssA(15),$
1450537	1/50-L			$C_{3}H_{2}$ wA(11), $C_{2}H_{2}$ wA(10)
1459W	1458sh	1462	1462	$C_2H_2 bB(31), C_3H_2 bB(20), O_2 ssB(10)$
1442VS		1444	1444	$C_2H_2 bB(27), C_3H_2 bB(27), C_1H_2 bB(21)$
1442 V S		1440	1441	$C_2H_2 bA(36), C_3H_2 bA(19), C_1H_2 bA(19), N_3H bA(6)$
	1420	1436	1436	C_1H_2 bB(56), C_2H_2 bB(19)
	1432sh	1432	1432	$C_1H_2 bA(63), C_2H_2 bA(14)$
1 429S	1 426M	1414	1414	C_3H_2 bA(46), O_2 ssA(30), O_2 bA(12)
1421sh		1411	1411	$C_{3}H_{2}bB(44), C_{3}H_{2}wB(19), O_{2}ssB(18)$
1406S		1405	1404	C_2H_2 bA(24), C_2H_2 wA(22), O_2 ssA(19),
				$C_3^{\alpha}C sA(14), C_3H_2 wA(14), N_3H ibA(8)$
1386VW	1388W	1394	13 9 4	$O_2 ssB(32), C_2H_2 wB(23), C_3^{\alpha}C sB(17),$
				$O_2 bB(14), N_3 H ibB(10), C_2 H_2 bB(10)$
1376VW	1376S	1368	1368	$C_{3}H_{2}$ wA(33), $C_{2}H_{2}$ wA(29)
1365VW		1362	1362	$C_1H_2 wB(29), C_3H_2 wB(23), C_2H_2 wB(20)$
1352VW	1354sh	1355	1355	C_1H_2 wA(57), C_1N sA(14)
1337W	1337VW	1353	1353	$C_1H_2 wB(39), C_2H_2 wB(15), C_3H_2 wB(13)$
1316W				
1302 MW	1305 MS	1278	1278	C_2H_2 twA(86)
1281VW	1285sh*	1270	1270	C_1H_2 twB(64), C_2H_2 twB(24)
1272sh	1276W	1267	1267	C_1H_2 twA(80)
		1264	1264	$C_{3}H_{2}$ twB(35), $C_{2}H_{2}$ twB(26), N ₃ H ibB(6)
1260S	1261W	1260	1260	C_2H_2 twB(43), C_3H_2 twB(23), C_1H_2 twB(18)
1245W	1244W	1258	1258	C_3H_2 twA(67)
1238S		1227	1227	$C_{3}H_{2}$ twB(38), N ₃ H ibB(27), $C_{3}H_{2}$ wB(11)
1228W		1219	1219	$N_{3}H$ ibA(33), $C_{3}H_{2}$ twA(28), $C_{3}H_{2}$ wA(14)
1188sh	1186sh	1174	1174	$D_3 ab2A(56), D_3 ab1A(27), D_3 r1A(8)$
1173W	1175 MW	1162	1162	$D_3 sbB(61), NC_1^{\alpha} sB(36)$
1158VW		1157	1157	$D_3 ab1B(79)$
		1152	1152	$D_3 ab1A(63), D_3 ab2A(22), D_3 sbA(6)$
		1151	1151	$D_3 ab2B(85)$
11 48M	1144VW	1139	1139	$D_3 sbA(70), NC_1^{\alpha} sA(31), D_3 ab2A(12)$
1132VW	1136sh*	1133	1133	$NC_{2}^{\alpha} sB(36), NC_{1}^{\alpha} sB(20), D_{3} sB(15)$
1118MW	1113W	1103	1102	NC_{1}^{α} sA(44), NC_{2}^{α} sA(20), D_{3} sbA(6)
1083W	1085W	1077	1077	$NC_2^{\alpha} sB(27), NC_1^{\alpha} sB(23), C_1H_2 rB(12), D_3 sB(5)$
1056VW	1060VW	1050	1050	$NC_2^{\alpha} sA(25), C_1H_2 rA(24), D_3 r2A(14), N_2D ibA(10)$
1050sh		1041	1041	$C_1H_2 rB(21), C_2H_2 rB(13), N_2D ibB(12), D_3 r2B(11)$
1037 MW	1037 MS	1030	1030	$C_1H_2 rB(27), N_2D ibB(15), D_3 r2B(13), C_2H_2 rB(10)$
1031VW	1028sh*	1023	1024	$N_2D ibA(25), C_1^{\alpha}C sA(11)$
1017VS	1019sh*	1018	1018	NC_2^{α} sA(21),C ₁ H ₂ rA(20),NC ₁ ^{\alpha} sA(15),D ₃ r2A(15)
991VS		1002	1002	$NC_{1}^{\alpha} sB(34), D_{3} r1B(16), D_{3} sbB(9)$
	985MW	989	989	$NC_1^{\alpha} sA(29), D_3 r1A(16), D_3 sbA(7)$

TABLE 4 (continued)

Observed ^a		Calcu	lated	Potential energy distribution ^b
Raman	IR	g	u	
979sh		977	977	$C_2H_2 rB(49), N_2D ibB(7)$
972 sh		976	976	$C_3^{\alpha}C sA(23), C_2H_2 rA(21)$
		962	963	$C_3^{\alpha}C sB(32), O_2 bB(15)$
951W		960	961	$C_2H_2 rA(49)$
			941	$C_3H_2 rA(26), C_3H_2 rB(10), D_3 r1B(6)$
939W		941		$C_3H_2 rB(21), D_3 r1B(11)$
933VW		941		$C_3H_2 rA(39)$
			941	$C_3H_2 rA(18), C_3H_2 rB(17), D_3r1B(6)$
923W		934	934	$C_3H_2 rB(58), D_3 r1B(7)$
915 MW	918S	933	933	$C_3H_2 rA(37), D_3 r1A(7)$
900M	896sh*	905	907	N_2D ibB(27), $C_2^{\alpha}C$ sB(13), C_2N sB(10)
879S	881W	904	903	N_2D ibA(32)
846VW	845W	854	854	$D_3 r 1B(29), C_1 N sB(3)$
835VW	835VW	843	844	$D_3 r1A(30), C_1N sA(10)$
825VW		808	808	$D_3 r2A(56), C_1H_2 rA(30)$
788W	792W	803	803	$D_3 r2B(59), C_1H_2 rB(26)$
752VW	749W	746	746	O_2 bA(24), C_2 N tA(16), O_2 ssA(10), N ₃ H obA(8)
738VW	734sh*	734	733	$O_2 bB(27), O_2 ssB(11), C_2^{\alpha}C sB(11), C_3^{\alpha}C sB(11)$
	725VS	711	711	$C_2N tA(46), N_3H obA(18) [0.7]$
		675	676	$O_2 bA(17), C_3^{\alpha}C sA(14), D_3 r1A(6)$
		672	671	$C_3^{\alpha}C \ sB(13), C_2O \ ibB(12), O_2 \ bB(12), C_1^{\alpha}C \ sB(12), D_3 \ r1B(7)$
		638	637	$C_1O obA(30), C_2O ibA(17)$
		633	632	$O_2 wB(31), C_1 O obB(27), C_2 O obB(12)$
		629		$O_2 wA(65), O_2 wB(19)$
			629	$O_2 wA(91)$
		629		$O_2 wB(38), O_2 wA(26)$
	615sh*		629	$O_2 wB(48), C_1 O obB(13), N_3 H obB(7)$
	611 M	614	613	$C_2O \text{ obB}(44), C_2N \text{ tB}(20)$
606MW	607 M *	609	608	$C_1O \text{ obB}(27), C_1O \text{ ibB}(19), C_1^{\alpha} \text{ sB}(11)$
		606	607	$C_2O obA(49), N_3 H obB(8), N_3 H obA(6)$ [1.7]
587MW	586S	600	605	$C_2N tB(54), N_3H obB(40) [0.6]$
598MW		597		$C_2O obA(21), C_1O obA(19), C_1O ibA(14), C_2N tB(13), N_3H obB(8)$
583MW			586	$C_2O = obA(21), C_1O = obA(20), C_1O = ibA(14), C_2N$
				$tB(12), N_3H obB(7)$
557W	544MS	572	573	$O_2 rA(26), C_2^{\alpha} CN dA(19)$
524W	533MS	571	572	$O_2 rB(24), C_2^{\alpha}CN dB(20)$
499sh	509W	501	501	$C_1N tA(78), N_2D obA(43)$
481M		455		$C_1^{\alpha} CN dA(18), O_2 rA(17)$
	$475S^{*}$		455	$O_2 rB(27), C_1^{\alpha}CN dB(24)$
474M		454		$O_2 rB(19), C_1^{\alpha}CN dB(17)$
0	472S*		453	C_1^{α} CN dA(25), O_2 rA(24)
374MW		414	413	
321 M		323	323	C_2^{α} CN dB(19),NC ₁ ^{α} tB(12),C ₁ ^{α} CN dB(10), O ₂ rB(19)
302VW		317	318	$C_2^{\alpha} CN dA(21), O_2 rA(12), C_1^{\alpha} CN dA(11), NC_1^{\alpha} tA(10)$

TABLE 4	(continued)
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	Calculated		Potential energy distribution ^b
	g	u	
	297	297	$N_{3}H obB(21), C_{3}^{\alpha}C tB(18), N_{2}D obB(12)$
ſ	291	290	$N_2D obA(16), NC_1^{\alpha}C dA(15), C_3^{\alpha}C tA(11), NC_1^{\alpha} tA(10), N_3H obA(10)$
l	285	284	$NC_1^{\alpha} tB(32), N_3H obB(8), N_2D obB(6)$
	273		$C_3^{\alpha}C$ tA(18),N $C_1^{\alpha}C$ dA(12),N ₃ H obA(8),N ₂ D obA(5)
~		268	C_2O ibB(14),CNC ₃ ^{α} dB(12)
	265	000	$NC_1^{\alpha}C dB(16)$
ĺ	261	263	$NC_{1}^{\alpha}C dB(15), N_{2}D obB(5) C_{2}O ibB(16), CNC_{3}^{\alpha} dB(15)$
ſ	257		CNC ^α ₃ dA(13),C ₂ O ibA(11),N ₃ H obA(7)
{		257	8 (),
l	253	254	NC_1^{α} tA(22), $NC_1^{\alpha}C$ dB(12), N_3H obA(6)
	217	216	$CNC_3^{\alpha} dB(11), N_2D obB(5)$
	209	213	$CNC_2^{\alpha} dA(10), N_2D obB(5)$
	182	183	$N_2D obB(17), CNC_2^{\alpha} dB(10), NC_1^{\alpha} tB(10)$
	181		$N_2D \text{ obA}(18)$
		172	$H \cdot O s7(14), NC_1^{\alpha}C dB(11), H \cdot O s11(10)$
			$H \cdot O s7(20), NC_{2}^{\alpha}C dB(13), NC_{1}^{\alpha}C dB(11)$
	150	147	$NC_{2}^{\alpha}C dA(18), H \cdot \cdot O s6(17), H \cdot \cdot O s5(15), NC_{3}^{\alpha}C dA(12)$ $NC_{2}^{\alpha}C dA(17), NC_{3}^{\alpha}C dA(16), H \cdot \cdot O s6(13)$
			$NC_{3}^{\alpha}C dA(14), NC_{3}^{\alpha}C dB(13)$
٢	132	100	$H \cdot O s11(31), NC_3^{\alpha} C dB(11)$
			$H \cdot O s10(24)$
Į	104	131	$H \cdot O s10(16), H \cdot O s5(15)$
	121		$H \cdot O s11(12), H \cdot O s10(10)$
l		118	$C_3^{\alpha}C tB(24), N_3H obB(10), N_2D obB(5)$
	.	112	$H \cdot 0 s11(27), H \cdot 0 s5(15)$
	111	101	$C_{\alpha}^{\alpha}C tB(22), H \cdot O s5(13), N_{3}H obB(8)$
	00	101	$H \cdot \cdot O s1(15), H \cdot \cdot O s6(11), N_2 D obA(5)$ $H \cdot \cdot O s6(21), NC_3^{\alpha}C dA(11), H \cdot \cdot O s11(11)$
٢			$H \cdot O st (21), NC_3 C uA (11), H \cdot O st (11)$ $H \cdot O st (29), NC_3 tA (10), N_3 H obA (5)$
{			$H \cdot O s11(29), NC_3 tA(10), N_3 H O bA(5)$ $H \cdot O s11(11), NC_2^{\alpha} tA(10), C_3^{\alpha} C tA(10), N_2 D o bA(6)$
t	07	87	$H \cdot O s11(22), H \cdot O s10(18), C_3^{\alpha} C tA(10), N_3 H obA(6)$
			$N_3H \text{ obA}(16)$
			$H \cdot O s2(27)$
	75		$H \cdot O s3(17)$
		74	
	73		NC_{3}^{α} tB(22),H··O s2(10),N ₃ H obB(6)
	69		$H \cdot O s1(21), H \cdot O s2(18)$
	62		$NC_2^{\alpha} tB(10)$
		61	$C_1^{\alpha}C tB(25), H \cdot O s5(16), NC_2^{\alpha} tB(10)$
	{	$\begin{cases} g \\ 297 \\ 291 \\ 285 \\ 273 \\ 265 \\ 261 \\ 261 \\ 257 \\ 253 \\ 217 \\ 253 \\ 217 \\ 209 \\ 182 \\ 181 \\ 163 \\ 150 \\ 132 \\ 181 \\ 163 \\ 150 \\ 132 \\ 121 \\ 111 \\ 98 \\ 89 \\ 87 \\ 75 \\ 73 \\ 69 \\ \end{cases}$	

TABLE 4	(continued))
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Observed ^a			Calculated		Potential energy distribution ^b	
Raman	IR		g	u		
		1	55		$C_1^{\alpha}C tB(28)$	
53VW		- {		52	$H \cdot \cdot O s4(10)$	
	1	52		NC_{2}^{α} tB(12),N ₂ D obB(8)		
50VVW			51		$CO \cdot H b5(17), H \cdot O s10(16), NC_3^{\alpha} tA(10)$	
				49		
				43	\dot{CO} ··H b5(10)	
			43		$NH \cdot O b3(19), H \cdot O s3(16), N_2 D obB(7)$	
		ſ	40		$NH \cdot O b3(9)$	
37Wsh		{		37	H··O s10(16),H··O s5(13),H··O s11(10)	
			36		$CO \cdot H b4(15), NC_3^{\alpha} tB(12), CO \cdot H b1(10)$	
				34	$H \cdot O s4(10), N_2 D obB(10)$	
			32		$C_2^{\alpha}C tA(14), N_3H obA(5)$	
				30	$H \cdot O s7(16), H \cdot O s8(12), C_2^{\alpha}C tA(11)$	
			30		$H \cdot O s8(11), H \cdot O s10(11), C_1^{\alpha}C tA(10)$	
			25		$NC_2^{\alpha}C dB(8), N_2D obB(8)$	
				23	$C_2^{\alpha}C tB(13), NH \cdots O t4(12)$	
				23	$N_2D obB(11), C_2^{\alpha}C tA(10), NC_2^{\alpha} tB(10)$	
			21		$NH \cdot O b2(16), CO \cdot H b2(13), N_2 D obA(6)$	
			17		$CO \cdot H t_3(10), N_2D obB(10)$	
			15		$C_{2}^{\alpha}C tB(19), NH \cdot Ob9(10), N_{3}H obB(7)$	
				12	$C_1^{\alpha}C tA(10), N_2D obB(8)$	
				9	CO ··H b5(15), $\operatorname{NC}_{2}^{\alpha}$ tA(11), CO ··H b1(10)	
			7		$CO \cdot H b7(14), CO \cdot H b8(14), NH \cdot O t1(10),$	
					H··O s4(13),CO··H b6(11),NH··O b1(10)	

^aBands marked with an asterisk are evident at low temperature.^bs, stretch; as, antisymmetric stretch; ss, symmetric stretch; b, bend; ib, in-plane bend; ob, out-of-plane bend; d, deformation; w, wag; tw, twist; r, rock; t,torsion. See Fig. 4 for designation of atoms, molecules and bonds. $(D_3 = ND_3^+, O_2 = CO_2^-, C_xH_2 = C_x^{\alpha}H_2.)$ Contributions > 10% are shown except for NH modes for which contributions > 5% are shown. Numbers in brackets are calculated IR intensities. For differences in PEDs between g and u species of <4%, average is given.

The assignments of CH_2 s modes are reasonable, although we must leave open the possibility of some uncertainties because of Fermi resonances occurring as well in this region [24]. Nevertheless, the frequencies of the different CH_2 groups seem to segregate themselves and be reasonably well identified (our assignments for C_1H_2 follow those in diglycine [25], where bands are observed at 2960 and 2874 cm⁻¹, and similarly for C_3H_2 [25], where bands are observed at 3014 and 2926 cm⁻¹).

The amide I modes are quite well reproduced by the DDC calculation, in both frequencies and relative IR intensities, particularly when we consider that the unperturbed frequencies are predicted at about 1674, 1673, 1672, and 1662 cm^{-1} for both the A and B molecules (we do not have an explanation for the IR doublet at 1685, 1680 cm⁻¹). The changes on deuteration are also reasonably well explained. The $N_1D_3^+N_2HN_3D$ structure gives similar frequencies, so the amide I region does not provide a basis for distinguishing between the two kinds of deuterated molecules.

The NH₃⁺ antisymmetric bend (ab) modes at 1630 and 1623 cm⁻¹ are not well defined in the spectrum (in contrast to the case of Val-Gly-Gly [2], where they are observed at ~1610 cm⁻¹, MS, in the IR). Nevertheless, they are absent in the spectra of the deuterated Gly₃, and the appearance of the 1175 cm⁻¹ ND₃⁺ symmetric bend (sb) mode (in a clear region of the Gly₃ spectrum) again shows that this group was deuterated. The presence of weak bands near 1607R and ~1588R, IR cm⁻¹ assignable to CO₂⁻ antisymmetric stretch (as) makes the assignment of the very strong band at 1602 cm⁻¹ in deuterated Gly₃ to this mode seem strange, but a similar result was found in Val-Gly-Gly [2]: a very weak band at 1580 cm⁻¹ (seen only at low temperature) was replaced on deuteration by a medium intensity band at 1589 cm⁻¹.

As can be seen from Table 3 there are no "pure" amide II modes, but NH inplane bend (ib) is mixed with NH_3^+ sb. The unperturbed modes are calculated in the range 1547–1530 cm⁻¹, but DDC spreads these over the range 1574– 1526 cm⁻¹. The frequency agreement with observed bands is quite good, and the strong IR bands at 1553 and 1538 cm⁻¹ are well predicted by the intensity calculations (if not in the observed intensity ratio). The frequencies in the deuterated molecule are reasonably well predicted, although the relative intensities are not. This is probably a result of not having accurate enough eigenvectors at this, relatively unrefined, stage of the force field. In this case, the $N_1D_3^+N_2HN_3D$ structure predicts a different pattern of amide II modes: 1562(g), 1551(g), 1546(u), and 1536(u) cm⁻¹; the observed pattern is in better agreement with the $N_1D_3^+N_2DN_3H$ structure.

In the region of ~1470–1330 cm⁻¹, we find that there is significant mixing of CO_2^- symmetric stretch (ss) and CH_2 wag (w) with CH_2 b, so that it is difficult to speak of relatively pure modes. The calculations give a reasonable explanation of the observed bands of Gly_3 . They also indicate that many of the modes change character on deuteration, which can account for the observed frequency as well as intensity changes. In particular, except for the observed bands at 1361 and 1416 cm⁻¹, the six frequency downshifts, the one essentially unchanged frequency (1415 cm⁻¹) and the one frequency upshift (1349 cm⁻¹) predicted on deuteration are seen in the behavior of the observed bands.

In the ~1300-1220 cm⁻¹ region, we find CH₂ twist (tw) mixed differentially with NH ib: CH₂ tw dominates above 1260 cm⁻¹ while NH ib predominates below. As a result, deuteration has a non-trivial effect above 1260 cm⁻¹ (cf. the significant changes in calculated modes at 1284, 1276 and 1261 cm⁻¹, and the associated changes in observed frequencies and intensities) in addition to the changes seen below 1260 cm⁻¹ associated with N₂H to N₂D conversion. In the latter case it is important to note that, while the N₂H ib component of the 1244 cm⁻¹ Raman band probably contributes to its significant intensity in Gly₃, this band does not disappear on deuteration since the CH₂ twist contribution to the original mode is expected to persist (and be enhanced) at about the same frequency in the deuterated molecule. In the N₁D₃⁺ N₂HN₃D structure the predominant N₂H ib modes are predicted at 1243 and 1234 cm⁻¹, which are in better agreement with the observed bands than that given by the N₁D₃⁺ N₂DN₃H structure.

The NH_3^+ rock (r) modes are predicted in the 1210–1150 cm⁻¹ region, and seem to be well assigned to observed bands. As expected, these disappear on deuteration, but are replaced in this region by ND_3^+ ab and sb modes. Thus, the apparent shift of the 1153 cm⁻¹ Raman band to 1148 cm⁻¹ in the deuterated molecule is in fact a replacement of an NH_3^+ r mode by an ND_3^+ sb mode.

The NC^{α} s modes are expected to contribute in the 1100 to ~1000 cm⁻¹ region, and the match between observed and calculated frequencies is quite good. The strong Raman band observed at 1000 cm⁻¹ is predicted to shift up by 17 cm⁻¹ on deuteration, probably as a result of the admixture of ND_3^+ r, and such a shift is indeed observed. Other NC^{α} s modes are predicted to mix with ND_3^+ r to shift down, to 1002 and 989 cm⁻¹, and a very strong band at 991 cm^{-1} in the Raman and a new band at 985 cm^{-1} in the IR are assignable to these modes. It might seem that from its position, the medium intensity Raman band at 992 cm⁻¹ should be assigned to a skeletal rather than to a C_2H_2 r mode. However, we are inclined to accept the present assignment by analogy with the situation in Val-Gly-Gly [2], where C_2H_2 r modes are also predicted at 994 and near 965 $\rm cm^{-1}$, namely 972 $\rm cm^{-1}$, although the strong Raman band is observed near the lower frequency, namely at 965 cm^{-1} . For the $N_1D_2^+N_2HN_3D$ structure, the agreement in this frequency region is generally poorer, with particularly bad agreement for N₃D modes, calculated at 1018 and 1017 cm^{-1} , compared to 1030 and 1024 cm⁻¹ in the present case.

The region down to ~720 cm⁻¹ contains CH₂r modes, in some cases combined with NH₃⁺ r, and CO₂⁻ b modes. The small observed downward shifts of the latter on deuteration are well predicted. So is the upward shift of the 909 cm⁻¹ Raman band to 915 cm⁻¹, with the appearance of a new strong 918 cm⁻¹ IR band, probably mainly as a result of the replacement of NH₃⁺ r by ND₃⁺ r. New bands at 900 and 879 cm⁻¹ in the Raman are well assigned to N₂D ib, and the four new bands in the ~850-790 cm⁻¹ region correspond reasonably to expected ND₃⁺ r modes.

The amide V mode is composed mainly of CN torsion (t) and NH out-ofplane bend (ob), and its frequency is particularly sensitive to the strength of the hydrogen bond [1]. In Gly₃NH ob is associated with bands calculated at 720, 690, 680, 643, 609, and 563 cm⁻¹, and assignable bands of appropriate IR intensity are observed at 718, 706, 695, 648, 607, and 555 cm⁻¹, respectively. The frequency and intensity agreement, while not good for some bands, is acceptable at this stage in view of the lack of refinement of f(NH ob) and f(NH ob, CN t). Upon deuteration, most of the observed bands disappear or shift,

and the new frequencies are reasonably well predicted by the calculation. A comparison with calculated values for $N_1D_3^+N_2HN_3D$ also favors the $N_1D_3^+ N_2DN_3H$ structure. The 720 cm⁻¹ mode is predicted to decrease to 711 cm^{-1} ; in fact, it is observed to increase from 718 to 725 cm^{-1} and to intensify (although more than computed). However, for $N_1D_3^+ N_2HN_3D$ no band is predicted in this region. The N₂H obA modes observed at 706 and 695 cm^{-1} disappear, as expected, on deuteration, with N_2D obA being predicted at 501 and a new band observed at 509 cm $^{-1}$; for the alternate deuteration possibility N₂H obA is predicted to contribute to strong bands at 687 and 673 cm^{-1} , where no IR bands are observed. The N_3H obB mode calculated at 609 cm⁻¹, with a suitably strong band being observed at 607 cm^{-1} , is predicted to split into two modes at 607 and 605 $\rm cm^{-1}$; two bands are assignable to these new modes, at 607 and 586 cm^{-1} , although their relative intensity is reversed. For $N_1D_3^+ N_2HN_3D$, a small contribution of N_3D obB is predicted at 610 cm⁻¹ (the main contribution being CO ob), with the next lower ob mode being $N_{2}H$ obB at 555 cm⁻¹. Finally, the N₂H obB mode calculated at 563 and observed at 555 cm^{-1} is predicted to shift down to 414 cm^{-1} , to which the 374 cm^{-1} Raman band may be assignable. For $N_1D_3^+N_2HN_3D$, N_3D obA is predicted at 520 cm⁻¹, with the only other such mode over 300 cm^{-1} being N₃D obB at 441 cm⁻¹.

Several conclusions emerge from these results. First, an NH group still remains on deuteration: there can be no other explanation for the strong 725 cm⁻¹ band. Second, although this part of the force field needs further refinement, the spectral data strongly favor $N_1D_3^+ N_2DN_3H$ over $N_1D_3^+ N_2HN_3D$ for this species; this is in agreement with deductions from the NH s region. Third, a major puzzle remains: the CO_2^- modes calculated at 581 and 580 cm⁻¹, and satisfactorily assigned to bands at ~580 and 573 cm⁻¹, respectively, are predicted to shift down to 573 and 572 cm⁻¹ on deuteration; the bands appear to shift by much more, to 544 and 533 cm⁻¹. If this assignment is correct, it may indicate that some force constants associated with the CO_2^- group need further refinement, or that the structure changes slightly on deuteration (which might also explain some of the large discrepancies in NH ob modes).

For bands below 400 cm⁻¹, reasonable assignments can be made for both the protonated and deuterated molecules, though these will clearly need additional confirmation. As might be expected, in this region there are no significant differences predicted between the $N_1D_3^+N_2DN_3H$ and $N_1D_3^+N_2HN_3D$ structures. It is noteworthy, however, that frequency shifts in this region are also consistent with the existence of a partially deuterated molecule.

CONCLUSIONS

We have done normal coordinate analyses of the unit cell structures of crystalline Gly_3 [4], containing an asymmetric unit of two molecules, and of a

partially deuterated derivative corresponding to (as indicated by a comparison of analyses of the different possible structures) $N_1D_3^+N_2DN_3H$. We used our polyglycine I force field [13] for these calculations.

For the protonated molecule, the agreement between observed and calculated frequencies, as well as IR intensities for some of the amide modes, is quite good: the average discrepancy for 80 convincingly assignable observed frequencies between 1800 and 200 cm⁻¹ is 6.3 cm^{-1} , with there being two above 20 cm^{-1} , five above 15 cm^{-1} , and seventeen above 10 cm^{-1} . For the deuterated molecule, as expected, the average discrepancy in this range is larger, being 8.7 cm⁻¹. Since the force field was transferred without complete refinement, we believe that these results are quite satisfactory.

When we consider the above results in the context of the complexity of the structure of Gly_3 , it is evident that the present force fields [1] are substantively capable of reproducing in significant detail the normal modes of peptide molecules. This shows that such analyses can provide a rigorous base for the IR and Raman study of the conformations of peptides and proteins.

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- 142
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