RESONANT-TUNNELING DEVICES FOR MILLIMETER-WAVE GENERATION

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Abstract

Oscillations from resonant-tunneling diodes have been observed up to 200 GHz, and theoretical estimates predict that device performance should extend into the THz range. This paper addresses the issue of the ultimate frequency response and power generation capability of these devices. Techniques recently developed to solve the time-dependent Schrödinger equation are used to predict the rf power vs. frequency obtainable from resonant-tunneling diode oscillators, based on the calculated small-signal response. Factors limiting the rf power generation are considered, and methods for optimizing rf power output from these devices are presented. Also, recently obtained dc experimental results for the In_{0.53}Ga_{0.47}As - In_{x}Al_{1-x}As heterostructure material system grown on InP are presented. Using a quasi-static approximation, the rf power available from these devices under large-signal conditions is estimated.
1 Introduction

Several estimates of the upper frequency limit of resonant-tunneling diode oscillators have been published [1]-[4], based upon estimates of the tunneling time combined with equivalent circuit models to include capacitive charging effects. Some estimates indicate that the intrinsic cutoff frequency extends into the THz range, however displacement current and circuit impedance limitations may reduce the maximum oscillation frequency to several hundred GHz. Quantum transport calculations based on the Wigner function [5]-[8] and solution of the Schrödinger equation [9] have also demonstrated that resonant-tunneling devices are intrinsically capable of oscillating above 1 THz. Experimentally, oscillations up to 200 GHz have been observed [10]-[11] although at disappointing power levels, with only a fraction of a microwatt obtained at 200 GHz. Also, experimental detection of the current response at 2.5 THz for a GaAs-GaAlAs diode indicates that the device is still behaving quasi-statically at that frequency [12].

Since development of resonant-tunneling diodes is still an active field of research, it is desirable to theoretically predict the ultimate power generating capabilities of these devices and to identify the device parameters important in optimizing performance. In this paper, two approaches are taken to estimate power generation. The results of Section 2 are based on small-signal solution of the Schrödinger equation. In Section 3, large-signal analyses are carried out based on the assumption that the device quasi-statically follows the I-V curve. Also, a comparison between rf power estimates based on theoretical and experimental I-V curves for a particular structure is presented.
2 Power Estimates and Device Optimization based on Small-Signal Calculations

Techniques have been developed to obtain the small-signal response of resonant-tunneling diodes from solution of the time-dependent Schrödinger equation [9]. By this method the small-signal complex admittance of the device as a function of frequency is calculated. By assuming that at each frequency the device admittance remains constant over a finite range of rf voltage, estimates of rf power generation vs. frequency are obtained. The advantage of this method is that non-stationary behavior is taken into account, i.e. it is not necessary to assume that the device quasi-statically follows the dc I-V curve. However, this method has so far only been implemented for the case without inelastic scattering, and self-consistency has not yet been included. Therefore the device equivalent circuit must be augmented by an estimated device capacitance to account for charging currents.

All the calculations performed in this paper were at room temperature. Figure 1a shows the dc I-V curve calculated for a device consisting of two 28Å, 25 eV Al$_{0.3}$Ga$_{0.7}$As barriers surrounding a 44.9Å GaAs well, with n$^+$ GaAs contact regions doped at 10$^{18}$cm$^{-3}$; Fig. 1b shows the dc solution for this device at $V_{dc} = .125$ V, corresponding to the peak current point in 1a. This device was biased at $V_{dc} = .1615$ V, in the center of the negative differential conductance region, and the small-signal admittance about this dc point was calculated and is shown in Fig. 2a.

In Fig. 2a, the curves labeled Re{Y} and Im{Y} were calculated from the small-signal Schrödinger equation using the methods of Ref. [9]. Note that below approximately 200 GHz, the device negative conductance is nearly constant and is given by the negative slope of the dc I-V curve. Even at 1 THz, the negative conductance is over half its low-frequency value. This observation provides justification for the method wherein it is assumed that the device quasi-statically follows the dc I-V curve. However, it should be kept in mind that for structures with larger barriers, the small-signal neg-
ATIVE CONDUCTANCE ROLLS OFF AT LOWER FREQUENCIES. THE IM{Y} CURVE
IS A NEGATIVE OR INDUCTIVE SUSCEPTANCE COMPONENT. THIS IS EXPECTED
SINCE THE ELECTRON MOTION RESPONDS INDUCTIVELY TO APPLIED FIELDS [6,9].

THE \( \omega C \) COMPONENT IN FIG. 2B WAS NOT OBTAINED FROM THE SMALL-
SIGNAL ANALYSIS BUT WAS ADDED TO ACCOUNT FOR DISPLACEMENT CURRENTS.

THE PER-UNIT AREA CAPACITANCE IS GIVEN BY:

\[ C = \frac{\epsilon}{D}. \]  

THE DEPLETION WIDTH \( D \) USED TO CALCULATE \( C \) WAS \( 101\text{Å} \), JUST THE DIS-
TANCE BETWEEN THE OUTER EDGE OF THE BARRIERS. IF SELF-CONSISTENCY IS
INCLUDED THE DEPLETION LAYER IS WIDER THAN THIS VALUE, AND THE POWER
ESTIMATES BECOME HIGHER.

SINCE THE DATA OF FIG. 2A IS PER-UNIT AREA, THE DEVICE AREA MUST BE
SELECTED TO CALCULATE RF POWER. ALSO, THE MAGNITUDE OF THE RF VOLTAGE
ACROSS THE DEVICE MUST BE DETERMINED. TO FIND THE AREA, WE ASSUME
THAT THE DEVICE IS MATCHED TO A CIRCUIT WITH RESISTANCE \( R_L \Omega \). IN THAT
CASE, THE DEVICE AREA MUST BE:

\[ A = \frac{-G}{R_L G^2 + (B + \omega C)^2}, \]  

WHERE THE SUSCEPTANCE IN EQ. 2 HAS BEEN DIVIDED INTO THE (INDUCTIVE)
 SUSCEPTANCE \( B \) CALCULATED FROM THE SMALL-SIGNAL ANALYSIS IN FIG. 2A
AND THE CAPACITIVE COMPONENT \( \omega C \) ADDED TO ACCOUNT FOR DISPLACEMENT
CURRENTS. FROM EQ. 2, IT IS SEEN THAT THE DEVICE AREA BECOMES LARGER
AS \( R_L \) IS REDUCED, AND SINCE THE POWER SCALES WITH DEVICE AREA IT IS DE-
SIRABLE TO REDUCE THE CIRCUIT RESISTANCE AS MUCH AS POSSIBLE. HOWEVER
THERE IS A LOWER LIMIT SINCE EVENTUALLY PARASITIC RESISTANCES BECOME
COMPARABLE TO THE DESIRED CIRCUIT RESISTANCE AND NOT ALL THE RF POWER
REACHES THE LOAD RESISTANCE. IN THE CALCULATIONS PRESENTED HERE, IT IS
ASSUMED THAT THE MINIMUM ACHIEVABLE CIRCUIT RESISTANCE IS \( 1 \Omega \), SO
THAT THE DEVICE AREA WILL BE GIVEN BY EQ. 2 WITH \( R_L = 1 \). NOTE ALSO
FROM EQ. 2 THAT IT IS DESIRABLE TO MINIMIZE THE DEVICE PER-UNIT AREA
CAPACITANCE.

HAVING DETERMINED THE DEVICE AREA, THE RF POWER IS GIVEN BY:

\[ P_{rf} = \frac{V_{rf}^2}{2} \frac{1}{1 + \left(\frac{B + \omega C}{G}\right)^2}, \]  

WHERE THE SUSCEPTANCE IN EQ. 2 HAS BEEN DIVIDED INTO THE (INDUCTIVE)
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CAPACITANCE.
where $R_L$ is assumed to be 1 Ω and $V_{rf}$ is the peak rf voltage. The device efficiency is given by:

$$\eta = \frac{P_{rf}}{P_{dc}} = -\frac{V_{rf}^2 G}{2V_{dc} J_{dc}}.$$  \hfill (4)

The rf voltage appearing in Eqns. 3 and 4 is obtained as follows. A tangent line is drawn along the dc I-V curve at the dc operating point. The locations are found where this tangent line reaches the maximum and minimum current values on the I-V curve. One half the voltage separation between these two points is taken to be $V_{rf}$. For this case, $V_{rf} = 14.0$ mV was used.

Fig. 2b shows the results of the rf power calculations just described (solid curve), as well as the device area needed for 1 Ω circuit matching (dashed curve). It is seen that over $90 \mu W$ is expected from this device up to 400 GHz, rolling off to about $44 \mu W$ at 1 THz. The efficiency obtained for this case is 3.32 %.

In order to see how the power generation of the resonant-tunneling diode might be improved, it is instructive to re-cast Eq. 3 in a different form. If we assume that the negative differential conductance region is linear such that the current density at the peak current point, $V_p$, is given by $J_p$ and the valley current at $V_v$ is $J_v$, with linear variation between these points, then the conductance per unit area is given by:

$$G = \frac{J_v - J_p}{V_v - V_p},$$ \hfill (5)

and the rf voltage is given by:

$$V_{rf} = \frac{1}{2}(V_v - V_p).$$ \hfill (6)

Substituting these values into Eq. 3 and taking the high-frequency limit, the rf power becomes:

$$P_{rf} \approx \frac{J_p^2 \left( \frac{J_v}{J_p} - 1 \right)^2}{8\omega^2 C^2} \approx \frac{J_p^2}{8\omega^2 C^2},$$ \hfill (7)
where the final approximation is obtained by assuming a high peak-to-valley ratio. Therefore to optimize the power generation at high frequencies it is necessary to maximize the ratio of peak current to the device capacitance.

One way to increase the device current density is to re-design the structure so that the peak tunneling current is obtained through the second resonant state in the well, rather than the first. The second resonant state tends to be at a higher current density and to have a lower peak-to-valley ratio than the first state. This may be accomplished by constructing the well from lower band-gap material than the emitter [13]. The structure of Fig. 3a differs from that of Fig. 1b only in the well region, which is now 67.4Å wide and composed of In_{25}Ga_{75}As, so that the bottom of the quantum well at zero bias is 0.11 eV below the GaAs contact conduction band edge. An additional advantage of the wider well is that the device capacitance is decreased.

The solution of Fig. 3a is at the peak current point of the I-V curve shown in 3b. Note that the peak current density has increased from $1.81 \times 10^5$ A/cm$^2$ for the previous case in Fig. 1a to $2.92 \times 10^5$ A/cm$^2$ for this structure. Since the ground state energy for the well is approximately 70 meV from the bottom, this state is "hidden" and the first calculated peak in the I-V curve of Fig. 3b is due to resonant tunneling through the first excited state. (The double-peaked density in the well characteristic of resonance through the first excited state is not clearly visible in this figure because waves incident from the right populate the ground state to a higher concentration than the first excited state. However, these waves are not transmitted to the left-hand side of the device and do not contribute to current flow). Small-signal data obtained for this device is shown in Fig. 4a. It is seen that the high-frequency, small-signal response of this device is better than the results for the diode of Fig. 1; the maximum rf power in Fig. 4b is 257 μW, over twice the previous result. The difference at lower frequencies is primarily due to the increase in the peak $V_{rf}$, which is 22.73 mV for this case. Note that the rf power obtainable at 1 THz is substantially improved also for this structure. The efficiency obtained for this device is 2.96 %.

To further improve this device, it is necessary to reduce the device
capacitance, or to increase the depletion width. Simply widening the AlGaAs barriers to accomplish this would also reduce the tunneling current density. However, by using a stepped-barrier structure [14] or an i-layer [15] on the collector side of the device, the depletion width may be increased without significantly degrading the tunneling current. Fig. 5a shows the dc solution at the peak current point for a structure obtained from that of Fig. 3 by extending the barrier on the collector side by 300Å at an energy below that of the second resonant state. Note from the density profile in the well that conduction is via the second state. Comparison of the I-V curve in Fig. 5b with that of Fig. 3b shows that the tunneling current is not affected by the extended barrier. However, the depletion region has been increased to 423Å. The rf voltage range in the negative conductance region has also been expanded, due to the additional voltage drop across the extended barrier.

Fig. 6a presents the small-signal response calculated for this device about the bias point \( V_{dc} = .99 \) V. The maximum negative conductance is lower than for the previous cases, due to the expanded voltage range. However, the power calculation of Fig. 6b shows that 4.11 mW maximum power is predicted for this device and 2.11 mW is still obtainable at 1 THz. The increased power at high frequencies is due to the reduced capacitance of the device and at lower frequencies to the larger \( V_{rf} \) swing, 90.7 mV for this case. The efficiency obtained is 3.24 %.

Table 1 summarizes the rf power results obtained at 10 GHz and 1 THz using the small-signal equivalent circuit. Also shown is the \( J_p/C \) ratio for each device; from Eq. 7 the square of this quantity is directly related to the expected power at high frequencies, which is confirmed by the data in Table 1.

3 Large-Signal, Quasi-Static Calculations

In Sec. 2, the rf voltage range was limited so that the device was always operating within the negative differential conductance region.
of the dc I-V curve. Since the I-V curves often fall sharply in this region, this is a severe limitation. It is expected that if this restriction is relaxed, the devices will be capable of generating more power. However, it is also expected that the small-signal equivalent circuit will no longer be applicable. A large-signal, quantum mechanical calculation could in principle be performed, although it would be time consuming and difficult to implement. In this paper, it is simply assumed that under large-signal conditions the device quasi-statically follows the dc I-V curve. A sinusoidal rf voltage is assumed across the device, and the resulting current waveforms are Fourier-analyzed to obtain rf power at the fundamental frequency. In addition, a capacitance is added as before to account for displacement current.

Each of the devices analyzed in Sec. 2 was biased near the center of the negative conductance region, and $V_{rf}$ was increased until the maximum power density point was obtained. The area was again obtained by assuming 1 $\Omega$ circuit matching. Fig. 7 shows the resulting rf power and device area curves as functions of frequency, at the $V_{rf}$ corresponding to maximum power density. In Fig. 7a, the original device without a deep well or extended barrier generated 4.96 mW maximum power with 26.2% efficiency at 10 GHz and $V_{rf} = .10$ V, compared to 97.9 $\mu$W and 3.32% efficiency with $V_{rf} = 14.0$ mV using the small-signal equivalent circuit. Note however that the power falls off faster with frequency than is the case for the small-signal result of Fig. 2b. This is because the device negative conductance is smaller in magnitude for the larger $V_{rf}$, so that from Eq. 3 the capacitive term becomes dominant at a lower frequency. Comparing the rf power curves at 1 THz, it is seen that the power levels for the two cases become comparable. This behavior may also be predicted from Eq. 7, where it is shown that the magnitude of $V_{rf}$ becomes less important at very high frequencies.

Fig. 7b shows the quasi-static calculation for the deep-well structure of Fig. 3 where resonance is via the first excited state in the well. For this case 9.76 mW maximum power and 20.2% efficiency were obtained at 10 GHz with $V_{rf} = .14$ V, compared to 257 $\mu$W at 2.96% efficiency with $V_{rf} = 22.7$ mV for the small-signal calculation. Again, the large-signal power results fall off faster with
frequency than the curve of Fig. 4b due to the reduced negative conductance. At 1 THz, the large-signal power is less than twice the power obtainable using the small-signal analysis.

Fig. 7c shows the large-signal results for the structure of Fig. 5, with the 300Å extended barrier. In this case 129 mW maximum power at 19.1% efficiency was obtained at 10 GHz with $V_{rf} = .51$ V, compared to 4.11 mW at 3.24% efficiency with $V_{rf} = 90.7$ mV for the small-signal calculation. At 1 THz, the power obtained from the quasi-static calculation is again comparable to the small-signal result.

4 Calculations from Experimental Results and the Thomas-Fermi Model

Experimental dc I-V curves obtained for devices with a 44Å In$_{53}$Ga$_{47}$As well surrounded by 23.7Å AlAs barriers are presented in Fig. 8. These devices were grown on n$^+$ InP substrates, with In$_{53}$Ga$_{47}$As contact layers Si-doped to $2 \times 10^{18}$cm$^{-3}$ and with 50Å undoped In$_{53}$Ga$_{47}$As spacer layers adjacent to the barriers. The peak-to-valley ratios obtained for these devices were 23.9 at room temperature in Fig. 8a and 51.3 at 77 K in 8b, believed to be the highest ever reported for this material system. Shown in Fig. 8c is a theoretical I-V curve calculated using a Thomas-Fermi self-consistent method in conjunction with a quantum mechanical eigenstate analysis. In the Thomas-Fermi method, it is assumed that the regions to the left and right of the double-barrier structure are in local equilibrium (constant Fermi level) and electron concentrations are calculated using Fermi-Dirac statistics. Poisson’s equation is solved using these concentrations to obtain the conduction band profile. For the calculations presented here, charge in the well was ignored so that constant electric field in this region was assumed. The height of the AlAs barriers was assumed to be 1.2 eV. Fig. 8d shows a dc solution at the peak current point of 8c using this method. In this figure the electron concentration calculated from the Thomas-Fermi method outside the double-barrier structure is shown as a
solid curve, while the electron concentration in the structure calculated from the quantum mechanical eigenstate analysis is shown as a dashed curve. It is seen that this method results in a discontinuity in concentration profiles at the boundaries.

From Fig. 8c, it is seen that the theoretical peak current density is $0.928 \times 10^4 \text{A/cm}^2$, whereas the experimental peak current density from Fig. 8a is $1.5 \times 10^4 \text{A/cm}^2$. The theoretical peak current density is lower due to the assumption in the program that the effective mass assumes a higher value of $0.15 m_0$ within the entire $23.7\AA$ AlAs barrier region, compared to $0.042 m_0$ in the contacts and well. In fact, electrons entering the barrier regions require a finite distance before this effective mass value can be exhibited. Reducing the effective mass discontinuity results in a higher calculated peak current density. However, in practice it is difficult to determine an appropriate effective mass vs. distance profile to use.

Fig. 9a shows the large-signal rf power predicted based on the theoretical I-V curve of Fig. 8c, and 9b shows the large-signal calculation using the experimental I-V curve of Fig. 8a. In these calculations, the depletion width was estimated based on a calculation of the incremental device capacitance using the Thomas-Fermi method. For this case, $D = 267.2\AA$ was used. As expected, the high-frequency performance of this device is severely degraded due to the low value of peak current density. Therefore an important issue for these devices is to find methods of improving the current density without significantly compromising the peak-to-valley ratio.

In order to increase the current density for this device while maintaining a reasonable peak-to-valley ratio, the barrier heights may be lowered. A series of I-V curve calculations was carried out with the barrier heights as parameters. It was found that an optimum configuration (using the $J_p/C$ criterion) was a slightly asymmetric structure with one barrier height equal to $0.53 \text{eV}$ and the other $0.6 \text{eV}$. These barrier heights may be realized by forming the barriers from In$_x$Al$_{1-x}$As and adjusting the In concentration. Fig. 10a shows a Thomas-Fermi self-consistent solution at the peak current point for the improved structure. The theoretical I-V curve in 10b shows that peak current densities of $8.6 \times 10^5 \text{A/cm}^2$ are predicted, with a peak-to-valley ratio of 18.2. The peak current is high since the barriers
for this structure are very thin. The quasi-static power calculation for this device is shown in Fig. 10c. The performance is significantly improved due to the increased current density.

Table 2 summarizes the results obtained for rf power using the quasi-static analysis. The highest power at high frequencies is obtained for the asymmetric-barrier structure with 50Å spacer layers of Fig. 10, for which the peak current density is also the highest. The second highest power is obtained for the stepped-barrier structure of Fig. 5. Note in all cases that the $J_p/C$ ratio is a good indication of relative power output at high frequencies.

5 Conclusions

It has been shown that an important figure of merit for high-frequency power generation by resonant-tunneling diodes is the ratio of peak current density to device capacitance. Methods for increasing peak current and reducing capacitance have been proposed, including second-level resonance, barrier height optimization and incorporation of an extended barrier or i-layer. Several milliwatts of power are predicted theoretically for optimized devices up to 1 THz.

6 Acknowledgments

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Table 1: Summary of rf power obtained at 10 GHz and 1 THz from the small-signal analysis method, together with \( J_p/C \) ratio.

<table>
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<th>Structure(Fig.No.)</th>
<th>( P(10\text{GHz})(\text{mW}) )</th>
<th>( P(1\text{THz})(\text{mW}) )</th>
<th>( J_p/C (10^{11} \text{ V/sec}) )</th>
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<td>4.11</td>
<td>2.11</td>
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Table 2: Summary of rf power obtained at 10 GHz and 1 THz from the quasi-static analysis, together with \( J_p/C \) ratio. Results from experimental curve labeled E.

<table>
<thead>
<tr>
<th>Structure(Fig.No.)</th>
<th>( P(10\text{GHz})(\text{mW}) )</th>
<th>( P(1\text{THz})(\text{mW}) )</th>
<th>( J_p/C (10^{11} \text{ V/sec}) )</th>
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Figure 1: (a) DC I-V curve calculated for GaAs - Al$_{1.3}$Ga$_{0.7}$As - GaAs device with 28Å barriers and 44.9Å well and (b) solution for $V_{dc} = .125$ V, at the peak current point.
Figure 2: (a) Small-signal admittance for the device of Fig. 1 with $V_{dc} = .1615$ V, and (b) estimated rf power (solid curve) for the case of 1 Ω matching ($V_{rf} = 14.0$ mV ).
Figure 3: (a) DC solution at $V_{dc} = .24$ V (peak current point) for a GaAs-Al$_{0.3}$Ga$_{0.7}$As - In$_{0.25}$Ga$_{0.75}$As device with 28Å barriers and 67.4Å well and (b) dc I-V curve calculated for this structure.
Figure 4: (a) Small-signal admittance for the device of Fig. 3 with $V_{dc} = .2877$ V, and (b) estimated rf power (solid curve) for the case of 1 $\Omega$ matching ($V_{rf} = 22.73$ mV ).
Figure 5: (a) DC solution at $V_{dc} = .82$ V (peak current point) for a GaAs-Al$_3$Ga$_{7}$As - In$_{0.25}$Ga$_{0.75}$As device with 67.4Å well, 28Å barrier on emitter side and stepped barrier on collector side and (b) dc I-V curve calculated for this structure.
Figure 6: (a) Small-signal admittance for the device of Fig. 5 with $V_{dc} = .99$ V, and (b) estimated rf power (solid curve) for the case of 1Ω matching ($V_{rf} = 90.7$ mV).
Fig. 7a

Fig. 7b
Figure 7: Quasi-static calculation of power (solid) and device area (dashed) for (a) the structure of Fig. 1 with $V_{dc} = .177$ V, $V_{rf} = .10$ V, (b) structure of Fig 3 with $V_{dc} = .3215$ V, $V_{rf} = .14$ V, and (c) structure of Fig. 5 with $V_{dc} = 1.092$ V, $V_{rf} = .51$ V.

Figure 8a
Fig. 8b

Fig. 8c
Figure 8: Experimental dc I-V curves for 44Å In$_{53}$Ga$_{47}$As well - 23.7Å AlAs barrier structure (a) at room temperature with peak-to-valley ratio of 23.9, device diameter = 16 µm, (b) at 77K with peak-to-valley ratio of 51.3, device diameter = 28 µm, (c) theoretical I-V curve for this structure using Thomas-Fermi method with peak-to-valley ratio of 3119., and (d) dc solution at $V_{dc}$ = .54 V, the peak-current point.

Fig. 8d

Fig. 9a
Figure 9: Quasi-static calculation of power (solid) and device area (dashed) for the device of Fig. 8 using (a) theoretical I-V curve of 8c with $V_{dc} = .56$ V, $V_{rf} = .24$ V and (b) experimental I-V curve of 8a with $V_{dc} = 1.17$ V, $V_{rf} = .44$ V.
Figure 10: (a) Thomas-Fermi solution at peak current for 44Å In$_{53}$Ga$_{47}$As well - 23.7Å barrier structure with $V_{B1} = .53$ eV, $V_{B2} = .6$ eV. (b) calculated I-V curve for this structure. and (c) quasi-static calculation of rf power (solid) and device area (dashed) for $V_{dc} = .5633$ V, $V_{rf} = .26$ V.
References


