Mechanisms of baryon loss for dark satellites in cosmological smoothed particle hydrodynamics simulations

S. Nickerson,1,2* G. Stinson,1,3 H. M. P. Couchman,1 J. Bailin1,4 and J. Wadsley1

1Department of Physics and Astronomy, McMaster University, Hamilton, Ontario L8S 4M1, Canada
2Institute for Theoretical Physics, University of Zürich, Winterthurerstrasse 190, CH-8057 Zürich, Switzerland
3Jeremiah Horrocks Institute, University of Central Lancashire, Preston PR1 2HE
4Astronomy Department, University of Michigan, 830 Dennison Building, 500 Church Street, Ann Arbor, MI 48109-1042, USA

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ABSTRACT
We present a study of satellites in orbit around a high-resolution, smoothed particle hydrodynamics (SPH) galaxy simulated in a cosmological context. The simulated galaxy is approximately of the same mass as the Milky Way. The cumulative number of luminous satellites at $z=0$ is similar to the observed system of satellites orbiting the Milky Way although an analysis of the satellite mass function reveals an order of magnitude more dark satellites than luminous satellites. Some of the dark subhaloes are more massive than some of the luminous subhaloes at $z=0$. What separates luminous and dark subhaloes is not their mass at $z=0$, but the maximum mass the subhaloes ever achieve. We study the effect of four mass-loss mechanisms on the subhaloes: ultraviolet (UV) ionizing radiation, ram-pressure stripping, tidal stripping and stellar feedback, and compare the impact of each of these four mechanisms on the satellites. In the lowest mass subhaloes, UV is responsible for the majority of the baryonic mass-loss. Ram-pressure stripping removes whatever mass remains from the low-mass satellites. More massive subhaloes have deeper potential wells and retain more mass during reionization. However, as satellites pass near the centre of the main halo, tidal forces cause significant mass-loss from satellites of all masses. Satellites that are tidally stripped from the outside can account for the luminous satellites that are of lower mass than some of the dark subhaloes. Stellar feedback has the greatest impact on medium-mass satellites that had formed stars, but lost all their gas by $z=0$. Our results demonstrate that the missing-satellite problem is not an intractable issue with the cold dark matter cosmology, but is rather a manifestation of baryonic processes.

Key words: methods: numerical – galaxies: dwarf – galaxies: evolution – cosmology: theory.

1 INTRODUCTION

The $\Lambda$ cold dark matter ($\Lambda$CDM) cosmology is currently the most widely accepted and successful paradigm for describing the Universe (Blumenthal et al. 1984; Davis et al. 1985; Gramann 1988; Peebles & Ratra 2003). Consequently, structure in the Universe forms hierarchically, as shown analytically and in simulations (e.g. Press & Schechter 1974; White & Rees 1978; Davis et al. 1985). First, dark matter collapses into small haloes, and later these collect as subhaloes into galaxies, where gas cools into a disc to form stars. In especially dense regions of the Universe, galaxies bind together gravitationally into galaxy clusters.

In a hierarchical Universe, substructure is expected to be invariant at all scales of interest. In some of the earliest simulations that were able to resolve substructures, Moore et al. (1999) found that dark-matter-only simulations of galaxies and galaxy clusters had the same number of substructures relative to the total mass of the system. A comparison of the simulations to observations showed that the simulated galaxy cluster matched the quantity of substructure in the nearby Virgo cluster, but that the simulated galaxy had significantly more substructures than the Local Group. Using constrained simulations of a system similar to the Local Group, Klypin et al. (1999) found far more substructures than what has been observed. This discrepancy between $\Lambda$CDM and observations is known as the ‘missing-satellite problem’. Kravtsov (2010) provides a recent review of the progress made towards solving this problem.

Large observational surveys have also discovered a new class of ultrafaint galaxies (Willman et al. 2005; Belokurov et al. 2007; Koposov et al. 2008). The detection of such galaxies slightly lessens the number of satellites that are ‘missing’ from the Local Group. Early observations of their velocity dispersions (Simon & Geha
show that stars may form in haloes of lower mass than previously believed possible, although the typical star formation efficiency in these low-mass haloes must be extremely low given that the halo mass function rises steeply at these masses (Tollerud et al. 2009; Guo et al. 2010). Two key questions these observations raise are whether there is a minimum-mass halo in which stars can form and whether there is significant scatter in the star formation efficiency at a given halo mass. The low mean star formation efficiency at these masses might be driven by a halo-to-halo variation, or a steep, universal relation between star formation efficiency and halo mass. The ultrafaint satellites have been detected down to $M_V \approx -2$, which corresponds to $100 L_\odot$, below the resolution of the simulations studied here. It is impossible to give a full census of such objects from the simulations. However, we show that some small objects do form in the simulations. Generally, there are two paths pursued to solve the missing-satellite problem. One is to alter the cosmological paradigm. Examples of this include self-interacting dark matter in which subhaloes are destroyed through self-annihilation (Spergel & Steinhardt 2000), initially warm dark matter out of which small structures do not form (Dalcanton & Hogan 2001), or removing small-scale perturbations from the primordial power spectrum (Zentner & Bullock 2003). Recent gravitational lensing studies have discovered dark substructures (Dalal & Kochanek 2002; Mao et al. 2004), so it appears that $\Lambda$CDM is consistent with observations, and we must find what physical mechanisms play the largest role in darkening small galactic haloes. This leads to the other path, which is to consider the effects of baryonic physics, such as stellar feedback (Dekel & Silk 1986; Mac Low & Ferrara 1999) and ultraviolet (UV) ionization (Efstathiou 1992; Quinn, Katz & Efstathiou 1996; Bullock, Kravtsov & Weinberg 2000), which might render many satellites dark.

The four primary mechanisms that can remove mass from haloes are the following:

(i) UV ionization: luminous objects emit UV radiation that ionizes hydrogen and sets a background temperature above the virial temperature of the subhalo.

(ii) Ram-pressure stripping: as a satellite passes through the hot halo gas, the incident gas pressure becomes stronger than the gravitational force of the satellite, and gas is thus removed.

(iii) Stellar feedback: stellar winds and supernovae inject sufficient energy into the interstellar medium (ISM) of the small galaxy so that some or all of the ISM is ejected.

(iv) Tidal stripping: as a satellite orbits close to a larger host galaxy, the tidal forces become sufficient to remove material. Unlike the other three mechanisms mentioned above, this is the only one that can remove collisionless matter, namely dark matter and stars, as well as gas from a subhalo.

Previous efforts have been made at examining these mechanisms in detail. Early efforts were analytical due to the large dynamic range necessary to properly simulate substructures, but recent simulations have allowed a closer look at satellites. Dekel & Woo (2003) compared careful observations of many dwarfs with an analytical model based on the effect of supernova feedback and found that supernova feedback defines the line between low- and high-luminosity dwarf galaxies. Kravtsov, Gnedin & Klypin (2004) used high-resolution, cosmological simulations to study the role of tidal stripping in the mass evolution of satellites. They concluded that the combined effect of tides and ionization could produce a Milky Way like satellite luminosity function. Read, Pontzen & Viel (2006) considered both supernova-driven winds and ionization in cosmological simulations and found that ionization was critical to make their simulations agree with observed luminosity functions. Governato et al. (2007) found in another series of cosmological simulations that UV background dramatically reduced the number of luminous subhaloes, but that stellar feedback was required to make the simulated luminosity functions the same as those observed. More recent cosmological simulations by Okamoto et al. (2010) have varied the strength of a kinetic supernova wind feedback to determine exactly how much energy is required to produce the observed luminosity function. Klimentowski et al. (2010) saw how tidal stripping determines a subhalo’s baryon content and final morphology. Wade­p­uhl & Springel (2011) introduced black holes into their simulations and found that the black holes are not massive enough in subhaloes to have an effect on their luminosities. They did, however, find that wind-driven galactic outflows can reduce the number of high-mass satellites, and cosmic rays can suppress the luminosity of low-mass subhaloes. Each of these models successfully fits the data by studying in detail one or two mechanisms; however, we will consider all four within smoothed particle hydrodynamics (SPH) simulations.

Recent semi-analytic models also show some success at reproducing the observed satellite luminosity function. In these models, only the more massive subhaloes (Maccio, Kang & Moore 2009; Okamoto & Frenk 2009; Guo et al. 2011) retain stars. One semi-analytic model of an $N$-body simulation of a Milky Way like halo (Li et al. 2009) reveals luminous subhaloes whose mass in dark matter spanned one order of magnitude, whereas the luminosity ranged over five orders of magnitude, matching observations. There were also many more dark-matter-only subhaloes present, whose mass spanned three orders of magnitude.

Mayer et al. (2006) pointed out the importance of the combined effects of each mechanism. They simulated individual satellites falling into a static gravitational potential filled with hot, dense gas. In these simulations, tidal forces excite star formation and thus stellar feedback, as well as reshaping the gas distribution so that it can be more easily stripped due to ram pressure. Mayer et al. (2006) called this combination of processes ‘tidal stirring’ and found that it can remove enough gas from dwarf irregulars (dIrrs) to turn them into gas-free dwarf spheroidals (dSphs).

The purpose here is to discover which mechanisms tear the baryons off the subhaloes, focusing on UV background, tidal stripping, ram-pressure stripping and stellar feedback. For the first time, we will explicitly track the causes behind the departure of individual gas particles from their subhalo in order to construct a comprehensive picture showing the relative strength of each gas-loss mechanism. We only analyse the satellites inside the virial radius, so we expect the satellites we are analysing to be similar to dSph galaxies, a population that dominates the satellite population of the Milky Way within $r_{200}$. dSphs are gas poor (e.g. fig. 3 in Grebel, Gallagher & Harbeck 2003) containing as little as $10^6 M_\odot$ to undetectable amounts, but generally they continued forming stars until recently (Skillman 2007).

Section 2 establishes the background behind the tools we used in this work. Section 3 introduces the subhalo population of our host galaxy g15784 at $z = 0$, whereas Section 4 details the history of these subhaloes and how we determine the causes of baryon loss. Section 5 discusses the implications of our findings and areas for future work.

2 METHOD

We analyse the evolution of the subhaloes of two galaxies (g15784 and g5664) from the McMaster Unbiased Galaxy Simulations.
(MUGS). The purpose of MUGS is to provide a sample of M* galaxies simulated using SPH at high resolution. A full description of MUGS can be found in Stinson et al. (2010), but we briefly summarize it here. The MUGS sample is chosen from a 50 h\(^{-1}\) Mpc volume of a 3-yr Wilkinson Microwave Anisotropy Probe (WMAP3) ΛCDM universe (H\(_0\) = 73 km s\(^{-1}\) Mpc\(^{-1}\), Ω\(_m\) = 0.24, Ω\(_\Lambda\) = 0.76, Ω\(_b\) = 0.04 and σ\(_8\) = 0.79) (Spergel et al. 2007). It consists of a random selection from the galaxies with halo masses between \(\approx 5 \times 10^{11}\) and \(\approx 2 \times 10^{12}\) M\(_\odot\) that did not evolve near to structures more massive than \(5 \times 10^{11}\) M\(_\odot\) within 2.7 Mpc. While this would have eliminated the Milky Way from our sample, there is no evidence for a past interaction between the Milky Way and M31, and so the Milky Way’s satellite population should be unaffected by its near neighbour. The sample is unbiased with regards to angular momentum, merger history and less massive neighbours, and it is hoped that the sample will reproduce the observed spread in galaxy properties.

The only bias is random. The selected galaxies are simulated with the commonly used zoom technique that focuses resolution on individual galaxies while maintaining the large-scale torques necessary to give galaxies their angular momentum. The initial dark matter, gas and star particle masses are \(1.1 \times 10^6\), \(2.2 \times 10^7\) and \(6.3 \times 10^7\) M\(_\odot\), respectively. Each type of particle uses a constant gravitational softening length of 310 pc. Most of this paper will be dedicated to the subhaloes of one of these galaxies, g15784, which has a mass of \(1.43 \times 10^{12}\) M\(_\odot\). Its disc has a mass of \(3.27 \times 10^{10}\) M\(_\odot\) and the bulge a mass of \(5.49 \times 10^{10}\) M\(_\odot\), based on kinematic decomposition (Stinson et al. 2010). We also utilize the \(5.2 \times 10^{11}\) M\(_\odot\) galaxy g5664 to see how the luminosity function changes depending on the presence of stellar feedback and UV background.

Outputs were at most 214 Myr apart, especially at lower redshift, with irregular outputs at key times. Outputs were much closer together at high redshifts, typically 107 Myr apart.

MUGS was run using the SPH code GASOLINE (Wadsley, Stadel & Quinn 2004). GASOLINE includes low-temperature metal cooling (described in Shen, Wadsley & Stinson 2010 and briefly here), UV background radiation, star formation and physically motivated stellar feedback. The metal-cooling grid is constructed using CLOUDY (version 07.02, last described by Ferland et al. 1998), assuming ionization equilibrium. A uniform UV ionizing background, adopted from Haardt & Madau (1996), is used in order to calculate the metal-cooling rates self-consistently. It starts to have an effect at \(z = 9.9\).

2.1 Star formation and feedback

The star formation and feedback recipes are the ‘blast wave model’ described in detail in Stinson et al. (2006). They are summarized as follows. Gas particles must be dense (\(n_{\text{gas}} = 1.0\) cm\(^{-3}\)) and cool (\(T_{\text{max}} = 15000\) K) to form stars. A subset of the particles that pass these criteria are randomly selected to form stars based on the commonly used star formation equation,

\[
\frac{dM}{dr} = c^* M_{\text{gas}} \frac{T_{\text{syn}}}{t_{\text{syn}}} \quad (1)
\]

where \(M_s\) is the mass of stars created, \(c^*\) is a constant star formation efficiency factor, \(M_{\text{gas}}\) is the mass of the gas particle spawning the star, \(dr\) is how often star formation is calculated (1 Myr in all of the simulations described in this paper) and \(t_{\text{syn}}\) is the gas dynamical time. The constant parameter, \(c^*\), is tuned to 0.05 so that the simulated isolated model Milky Way used in Stinson et al. (2006) matches the Kennicutt–Schmidt law (Kennicutt 1998), and then \(c^*\) is left fixed for all subsequent applications of the code.

At the resolution of these simulations, each star particle represents a large group of stars (\(6.32 \times 10^4\) M\(_\odot\)). Thus, each particle has its stars partitioned into mass bins based on the initial mass function presented in Kroupa, Tout & Gilmore (1993). These masses are correlated to stellar lifetimes as described in Raiteri, Villata & Navarro (1996). Stars larger than \(8\) M\(_\odot\) explode as supernovae during the time-step that overlaps their stellar lifetime after their birth time. The explosion of these stars is treated using the analytic model for blast waves presented in McKee & Ostriker (1977) as described in detail in Stinson et al. (2006). While the blast radius is calculated using the full energy output of the supernova, less than half of that energy is transferred to the surrounding ISM, \(E_{\text{SN}} = 4 \times 10^{50}\) erg. The rest of the supernova energy is assumed to be radiated away.

To capture the behaviour of clustered star formation, we stochastically determine when a star particle releases feedback energy,

\[
p = \frac{N_{\text{SN}} \mod N_{\text{SNQ}}}{N_{\text{SNQ}}},
\]

\[
N_{\text{ESN}} = \begin{cases} 0, & r \leq p, \\ \frac{N_{\text{SN}}}{N_{\text{SNQ}}}, & r > p, \end{cases}
\]

where \(N_{\text{SN}}\) is the number of supernovae calculated to explode during that star formation time-step, \(N_{\text{SNQ}}\) is the ‘supernova quantum’, i.e. the number of supernova required per explosion (fixed at 30, the number of supernovae expected from the star particles in our simulation) and \(N_{\text{ESN}}\) is the total number of supernova explosions that will have their energy distributed during the star formation time-step. If the probability, \(p\), is greater than a random number, \(r\), selected between 0 and 1, \(N_{\text{ESN}}\) supernova’s worth of energy is released. This causes SN energy to be released in quantized packets over the 35 Myr until the largest star remaining is \(< 8\) M\(_\odot\).

2.2 Group finding: Amiga Halo Finder

In order to identify the host galaxy and its subhaloes, we used the Amiga Halo Finder (AHF) (Knollmann & Knebe 2009). AHF is based on the spherical overdensity method for finding haloes. It is able to identify density peaks using an adaptive mesh algorithm. Once the density peaks are identified, AHF cuts out haloes (and subhaloes) using isodensity contours. Particles belonging to subhaloes are distinguished from those of the background halo using a simple unbinding procedure to determine whether the particles are gravitationally bound to the subhalo. We base our analysis on a minimum group size of 50 particles, which is \(2.2 \times 10^7\) M\(_\odot\) when the group contains only dark matter but could be less massive if it also contains gas and star particles. Our analysis is restricted to those satellites identified by AHF as lying inside the virial radius (\(r_{\text{vir}}\)) of the halo. For g15784, \(r_{\text{vir}} = 240\) kpc, whereas for g5664, \(r_{\text{vir}} = 152\) kpc.

2.3 Merger trees

We traced the histories of each subhalo in the galaxy. First, we identified groups at every output 100 Myr apart with AHF and then traced the particles present in the subhaloes at \(z = 0\) back through the simulation including any gas out of which stars formed. For the sake of clarity, let us call the subhalo of interest ‘Alpha’. At each output, we note every group that contains Alpha’s particles. The group that had the largest number of Alpha’s particles is set as Alpha’s progenitor at that output. In this way, we trace the properties of each subhalo through time, including mass, distance from the host galaxy and temperature.
3 SIMULATED LUMINOSITY FUNCTIONS

The first analysis we undertook was to compare the satellite luminosity function of g15784 to observations. We found that the cumulative number is similar to that of the Milky Way, though there was an excess of high-luminosity satellites, and so the shape of the cumulative functions did not match. We also resimulated a smaller galaxy, g5664, with and without the UV background and stellar feedback to compare the effects the presence of these two mechanisms has on the subhalo population as a whole.

3.1 The main halo: g15784

AHF found 107 satellites inside r_{200} of g15784. In order to determine the luminosity of each subhalo, we treated each star particle as its own stellar population, where MUGS allowed us to model a population of stars with a distribution of ages. We based the brightness of the stars on the luminosity grid provided by CMD 2.1 (Leitherer et al. 1999; Marigo et al. 2008). Using the grid, we performed a bilinear interpolation over the stellar ages and metallicities of each star particle and then summed the luminosities of all the star particles in each satellite to derive a stellar magnitude for the satellites. We neglect the effects of dust extinction since dwarf galaxies are of low metallicity and rarely appear dust obscured (Lisenfeld & Ferrara 1998; Mateo 1998). This MUGS galaxy has an effective resolution of 2048\(^3\), and we will also compare g15784 to a lower resolution run with an effective resolution of 1024\(^3\).

Fig. 1 shows the cumulative luminosity function of the host galaxy’s subhalo population in the V band at z = 0. The results show that down to M_V \approx -6, the dimmest subhalo in our simulation, the number of satellites is 23 compared with 20–21 for the Milky Way at a similar magnitude. Thus, when all the relevant baryonic processes are included the order-of-magnitude missing-satellite problem (Klypin et al. 1999; Moore et al. 1999) disappears as has been seen in other simulations of comparable resolution (Knebe et al. 2010; Okamoto et al. 2010; Wadepohl & Springel 2011).

For comparison to observations we include two lines for reference. This first is a recent compilation of the classical satellites and the new ultrafaint dwarf galaxies from Tollerud et al. (2008). The census of ultrafaint dwarfs is certainly incomplete, both due to the limited sky coverage of the Sloan Digital Sky Survey and the difficulty in detecting very faint galaxies. These galaxies extend to lower luminosities than our simulations can resolve, where our faintest satellite has one star particle. The resolution of our simulations is not sufficient to make robust predictions regarding the new classes of ultrafaint dwarfs.

The second is Koposov et al. (2008) who modelled these effects and derived a corrected luminosity function, dN/dM_V = 10 \times 10^{1.1(M_V+5)} for -18 \lesssim M_V \lesssim -2, that would represent a theoretically complete set of satellite galaxies; we have also plotted this function in Fig. 1. Our host galaxy g15784 has a mass close to that of the Milky Way; so it is reasonable that its cumulative number of luminous subhaloes is comparable to that of the Milky Way, as indeed it is. In other words, our simulated galaxy does not suffer from the missing-satellite problem. The major difference between the simulations and observations is an excess of brighter satellites in the simulations, and that our star formation recipe may form too many stars. This causes an extra ‘knee’ in the shape of our luminosity function.

The dot–dashed line in Fig. 1 shows the luminosity function of a lower resolution simulation exactly the same as g15784, but with half the spatial resolution and an initial gas particle mass of \approx 10^6 M_\odot. From this it is clear that decreasing the resolution decreases the number and luminosity of subhaloes. The lowest luminosity subhalo, at M_V \approx -8.2, contains a single star; in our higher resolution run this magnitude corresponds to 10 star particles. We discuss resolution effects in Section 3.3.

Fig. 2 shows the baryonic mass of each subhalo as a function of total mass at z = 0. The dashed line shows where subhaloes that obey the cosmic baryon fraction would lie. The subhaloes contain systematically fewer baryons below 5 \times 10^6 M_\odot. This fall-off is similar to the low-mass drop-off found by McGaugh & Wolf (2010) in the observed baryonic Tully–Fisher relationship. In these lower mass haloes, baryons are preferentially stripped. As we shall see, these haloes have also lost a significant amount of dark mass. However, almost all the lower mass haloes also have fewer than 10 baryons.

Additionally, below 2 \times 10^6 M_\odot there are many haloes that contain no baryon particles at all according to our simulation’s resolution and are thus dark. Of the 23 satellites that contain baryons, only 10 contain gas, with the maximum gas fraction being 4 per cent of the total mass. This fraction might seem low if compared to high
3.2 Effects of stellar feedback and ultraviolet background: g5664

One test to delve deeper into how the cumulative mass function compares with dark-matter-only simulations while the cumulative number of luminous satellites is consistent with observations is to resimulate a galaxy with and without the UV and stellar feedback. We resimulated a second, smaller host galaxy, g5664, with a mass of $5.2 \times 10^{11} M_\odot$, three times with different baryonic physics:

(a) with the standard MUGS simulation including UV and stellar feedback,
(b) with UV but no stellar feedback and
(c) with neither UV nor stellar feedback.

This galaxy contained half the number of gas and star particles as g15784 and thus was faster to run, which is why it was chosen for the parameter comparison. Since g15784 is more massive and has a larger $r_{vir}$, it will contain more and likely more massive satellites. Since the UV background and stellar feedback more strongly affect low-mass galaxies, g15784 will contain more luminous satellites. However, this should not affect the relative comparison of the different resimulations of g5664. The relationship between these mechanisms and the mass of the satellites will be explored in Section 4, in addition to how these mechanisms affect the satellites throughout their history.

Fig. 4 shows the cumulative luminosity function for the three simulations at $z = 0$. It confirms the reduction in the number of satellites. There are about one-fourth as many in g5664 as in g15784. Nearly every satellite in the simulation run without feedback and UV (c) contains stars. Conversely, many fewer satellites contain stars in the simulation that includes feedback (a). It is apparent that the UV ionization plays a large role in stopping stars from forming in many subhaloes. When stellar feedback is added, there is little effect on subhaloes brighter than $M_V \approx -15$, but fainter subhaloes are only populated with a few stars whose feedback was effective at eliminating star formation for the rest of the simulation. The $M_V \approx -15$ threshold is similar to the flattening seen in Fig. 1 for both the simulated g15784 and the observed Local Group mass function.

The UV-only simulation (b) contains several medium-luminosity subhaloes but none that is extremely faint, stopping at $M_V \approx -12$. It is curious then that simulation (a), with both feedback and UV,
lacks satellites within $-8 < M_V < -15$, but contains two very faint satellites at $M_V \approx -6$. The two luminosity functions diverge at $M_V \approx -15$, which corresponds to about $10^4$ star particles in all three runs of g5664. The origin of this situation is unclear from inspection of the luminosity functions alone. In Section 4, however, when we track the mechanisms of baryon loss through time an explanation for this phenomenon will arise showing that stellar feedback preferentially strips medium-mass satellites.

3.3 Resolution

Satellite galaxies are the most difficult objects to resolve in simulations, and so they show the strongest resolution effects. Fig. 1 begins to show how resolution can affect satellites. It is harder to detect low-mass satellites in lower resolution simulations, and effects such as tides and ram-pressure stripping are more accurately captured as resolution increases.

Other authors have discussed the resolution effects on their satellite luminosity functions in simulations similar to ours. Libeskind et al. (2007) ran simulations at a lower resolution than ours, studying the satellite systems of several ΛCDM galaxies with their gas resolved to $\approx 10^9 M_\odot$. They compared their luminosity functions to semi-analytic models of resolution over four different orders of magnitude and found a convergence at $M_V \approx -12$. Okamoto et al. (2010) studied the effects of several feedback models on the satellite populations on host galaxies around the same mass as our g15784 and with similar gas particle masses. Matching the circular velocity of their satellites to a power law, they concluded that their satellites were well resolved down to satellites with at least 10 star particles.

In 2011 Christensen et al. (2010) ran simulations of a lower resolution than ours, studying the satellite systems of several ΛCDM galaxies with their gas resolved to $\approx 10^9 M_\odot$. They compared their luminosity functions to semi-analytic models of resolution over four different orders of magnitude and found a convergence at $M_V \approx -12$. Okamoto et al. (2010) studied the effects of several feedback models on the satellite populations on host galaxies around the same mass as our g15784 and with similar gas particle masses. Matching the circular velocity of their satellites to a power law, they concluded that their satellites were well resolved down to satellites with at least 10 star particles.

We traced the evolution of 85 of the 107 subhaloes identified by AHF in g15784. We were unable to perform a detailed trace of every subhalo for two reasons.

1. 17 low-mass subhaloes did not maintain 50 member particles throughout the simulation, which is $2.2 \times 10^6 M_\odot$ when the group contains only dark matter but could be less massive if it also contains gas and star particles.

2. Five haloes were spatially coincident with another subhalo during one output, and thus appeared to gain a large amount of mass. Since our analysis focused on cumulative baryon loss and the subhaloes’ maximum mass, these sudden spikes in mass would invalidate any results including those haloes.

10 of the 85 subhaloes we analysed contained both gas and stars at $z = 0$, with total masses ranging from $5.6 \times 10^6$ to $3.3 \times 10^7 M_\odot$. Of the subhaloes that did not have gas at $z = 0$, 17 formed stars at some point, but only 13 of these retained them until $z = 0$. This leaves a total of 23 luminous subhaloes at $z = 0$, of which 13 have more than 50 baryon particles.

Fig. 5 shows examples of the time evolution of these subhaloes’ mass and distance to the host at each output, representing an upper limit on the subhaloes’ closest distance to the host. The top panel shows subhalo (a) that retains gas and stars at $z = 0$, the middle panel shows subhalo (b) that retains stars but not gas at $z = 0$ and the bottom panel (c) shows a dark satellite that has no baryon particles at $z = 0$. Close passages to the centre of the main halo most strongly remove gas and to a lesser extent, dark matter and stars through tidal stripping. Stars tend to sit at the centre of the subhalo and are less vulnerable to stripping than the dark matter around the subhalo’s exterior. That is, subhaloes that form stars before they lose their gas retain those stars until $z = 0$. If stars are not formed before their first close passage, then the subhalo will never form stars and becomes a dark satellite. The quantity of gas lost is also determined by the subhalo’s proximity to the host. For example, the luminous first and second subhaloes (a) and (b) start out with similar mass, but the latter has a pericentre that is more than twice as close to the host and as a result, it loses all its gas by $z = 0$. Central location is not the full story. The dark satellite (c) is farther from the host galaxy than either of the luminous ones and has a higher mass at $z = 0$ than the subhalo (b), but it never forms stars and its mass in gas is much lower before being lost early in the simulation. There are more factors than a subhalo’s mass at $z = 0$ and its proximity to the host galaxy that decide if it is luminous at $z = 0$, which we will explore in this section.
Most of the subhaloes cannot be identified until a few outputs after \( z = 9.9 \). To enable the analysis of the effects of UV radiation, every dark matter particle within \( r_{\text{vir}} \) is matched with a ‘twin’ gas particle at the initial conditions. In our halo-by-halo analysis, dark matter twin particles are defined as subhalo members at the time their subhalo reaches its maximum mass. The evolution of the gas twins of these member particles is then traced from the earliest output onwards. The ensemble of the twin gas particles are referred to as the ‘background gas’ later in this section.

The mass lost due to reionization is defined as the gas that had a dark matter twin in a given subhalo, but itself was never contained in that subhalo. The reason that this gas was not in the subhalo is that subhaloes are unable to contain gas with a temperature higher than the subhalo virial temperature \( (T_{\text{vir}}) \). Low-mass subhaloes will thus contain dark matter without its gas twin. Note that the twins are calculated from dark matter in the subhalo at the time of the subhalo’s maximum mass and not reionization. This is important because the way subhalo tracing works, only one subhalo is labelled as ‘the’ subhalo at any given time-step. However, the larger subhaloes reach their maximum mass as a result of the merger of several smaller subhaloes. Determining the UV loss at a subhalo’s maximum mass accounts for loss in each of the individual subhaloes. Fig. 6 shows that satellites reach their maximum mass prior to being captured by the main halo, typically immediately before being captured.

Subhaloes that did not virialize before reionization generally do not contain gas. The subhaloes that virialize after reionization, but contain gas that goes on to form stars, do typically have gas without a dark matter twin in the subhalo. In the face of such a mismatch between gas and dark matter particle members, we developed the following analysis to justify why the amount of background gas that ends up in the subhalo correlates to UV loss.

In order for a gas particle to have enough energy to overcome the potential of the subhalo and escape, its temperature must be greater than \( T_{\text{vir}} \), where

\[
T_{\text{vir}} = \frac{2G\mu m_p M_{\text{subhalo}}}{3k R_{\text{subhalo}}},
\]

where \( G \) is the gravitational constant, \( \mu \) is the mean molecular weight (where the typical value is 0.6 for ionized gas), \( m_p \) is the proton mass, \( k \) is the Boltzmann’s constant and \( M_{\text{subhalo}} \) is the...
The baryon fraction versus the maximum ratio between the virial gas temperature and background gas temperature that a subhalo ever obtains over its lifetime. The horizontal dashed black line represents the cosmic mean, 0.17, whereas the vertical dashed black line separates the subhaloes that achieved a $T_{\text{vir}}/T_{\text{bg}}$ higher than the background gas temperature on the right from those that did not on the left. The asterisks represent subhaloes that have 10 or more baryon particles at $z = 0$, whereas $\times$s represent subhaloes that have fewer than 10 baryon particles at $z = 0$, corresponding to the resolution limit found in Fig. 1. Red shows the subhaloes’ baryon fraction at the time of their maximum ratio of $T_{\text{vir}}/T_{\text{bg}}$, whereas blue shows the subhaloes’ baryon fraction at $z = 0$. With one exception, every subhalo that is luminous at $z = 0$ is to the right of the vertical line.

4.2 Ram-pressure stripping

One of the difficult aspects of this study is that the mass-loss mechanisms involve the interaction between two gas phases with significantly different properties. This circumstance is one where SPH struggles. Agertz et al. (2007) showed that SPH has trouble modelling ram-pressure stripping, particularly when the Kelvin–Helmholtz time is important. However, Mayer et al. (2006) showed that SPH can model stripping when $t_{\text{dyn}} < t_{\text{KH}}$, and our g15784 satellites typically fall into this regime (Mayer et al. 2006 show that $t_{\text{KH}} \gtrsim 4$ Gyr when they reach their minimum at the pericentre, compared to satellite dynamical times of $t_{\text{dyn}} \approx 0.2–6$ Gyr).

With these caveats in mind, we do a classical ram-pressure analysis (Gunn & Gott 1972) to see how close these simulations come to reality. In order to quantitatively measure the effect ram-pressure stripping has on our subhaloes, we use the criterion from Grebel et al. (2003):

$$P_{\text{ram}} \approx \rho_{\text{bg}} v_{\text{subhalo}}^2 > \frac{\sigma_{\text{subhalo}}^2 \rho_{\text{gas}}}{3},$$

where $P_{\text{ram}}$ is the ram pressure, $\rho_{\text{bg}}$ is the gas density in the hot halo gas around the subhalo, $v_{\text{subhalo}}$ is the subhalo’s velocity relative to the host galaxy, $\sigma_{\text{subhalo}}$ is the velocity dispersion of the gas in the subhalo and $\rho_{\text{gas}}$ is the average density of the gas in the subhalo. Here the subhalo’s velocity dispersion is defined as

$$\sigma_{\text{subhalo}}^2 = \frac{3}{5} \frac{GM_{\text{subhalo}}}{R_{\text{subhalo}}},$$

where $M_{\text{subhalo}}$ is the subhalo’s mass and $R_{\text{subhalo}}$ is the subhalo’s radius.

The gas density of the hot halo gas around each halo is defined as the average density of the $n$ nearest gas particles, where $n$ is twice the number of particles in the subhalo to a maximum of 4000. The density and temperature structure of the gaseous halo of g15784, through which the subhaloes pass, is shown in Fig. 9 with substructure removed.
is the distance between the subhalo and the host and $r_{\text{tidal}} = M_{\text{host}}^{\frac{1}{3}}$, the tidal radius of the host is the place at which its self-gravity is less than the tidal force of the host galaxy (e.g. Hayashi et al. 2003). Due to Newton’s theorem, assuming spherical symmetry, one need only consider the mass interior to a given particle. The gravitational force on the particle from inside the particle’s orbit is

$$F_{\text{subhalo}} = \frac{GM_{\text{subhalo}}m_{\text{particle}}}{r^2},$$

(7)

where $r$ is the distance from the particle to the centre of its subhalo, $m_{\text{particle}}$ is the mass of the particle and $M_{\text{subhalo}}(r)$ is the subhalo’s mass interior to $r$. The tidal force that the particle feels from the host, if the host galaxy is approximated by a point mass and assuming all its mass is contained inside the satellite, is the differential pull between the particle’s position in the satellite and the satellite’s centre:

$$\delta F_{\text{tidal}} = -\frac{2GM_{\text{host}}m_{\text{particle}}r}{R_{\text{host}}^2},$$

(8)

where $R_{\text{host}}$ is the distance between the subhalo and the host and $M_{\text{host}}$ is the mass of the host. Therefore, the condition for when the particle feels a greater tidal force than gravitational from its own subhalo is given by

$$\frac{M_{\text{subhalo}}(r)}{r^3} < \frac{2M_{\text{host}}}{R_{\text{host}}^3}.$$

(9)

A particle that passes this test qualifies for tidal stripping. We emphasize that this is a spherical approximation, given that the subhaloes occasionally have their shape distorted, though the distortion is usually symmetrical. We did try varying the strength of the tidal force, as we had done for ram-pressure stripping, but found that it did not change results much and so this method has some degree of robustness.

Figure 9. The gas temperature (red) and density (blue) profiles of g15784 at $z = 0$ for the outer disc at $r \geq 30$ kpc. Power laws fitted to $\rho \propto r^{-1.7}$ (dashed purple) and $T \propto r^{-0.73}$ (dashed orange) are shown for reference.

Figure 10. How ram-pressure stripping removes gas from a $1.7 \times 10^9 M_\odot$ subhalo between $z = 0.26$ (left-hand panel) and $z = 0.16$ (right-hand panel). The dark matter (dark green), gas (light green) and stars (turquoise, none present here) are marked at the time of maximum mass, whereas the bottom layer (brown, covered the other layers) is the subhalo at the present output. Ram-pressure stripping has affected this subhalo, removing all of the gas it possessed at the time of maximum mass, but without strengthening the ram-pressure stripping diagnosis by a factor of 10 the individual gas particles would not be marked as ram-pressure stripped. The background colours denote the temperature of the surrounding gas, ranging from dark blue (colder, $10^4 K$) through to white (hotter, $10^9 K$).

Every gas particle that leaves during the time-steps when the ram pressure exceeds the internal pressure of the halo is classified as leaving due to ram-pressure stripping except for those particles that qualified for stellar feedback (Section 4.4).

However, we also generated movies of 12 low-mass subhaloes and visually inspected them to see if ram pressure or tides removed their gas. Fig. 10 gives an example of a subhalo that loses its gas due to ram pressure. As a subhalo approaches the host galaxy, it enters the hot halo gas. In low enough mass subhaloes, its gas gets left behind, cleanly separating from its dark matter. Fig. 10 shows that the gas maintains the shape of the subhalo for several tens of Myr. This contrasts with the signature of tidal stripping where tidal forces elongate the matter ahead and behind the satellite’s orbit. Typically, ram-pressure stripping occurs farther out from the host than tidal stripping.

Our definition for ram pressure underestimated the effect that is visible in the simulations. This seems to be a numerical effect and requires a multiplication of the calculated ram pressure by a factor of 10. The factor of 10 may compensate for the use of the mean satellite gas pressure instead of the pressure in the outer

Figure 11. Pressure versus time for subhaloes (b) and (c) from Fig. 5. Internal pressure is given by the solid red line, ram pressure from the hot halo gas is the blue dashed line and ram pressure strengthened by a factor of 10 is the green dashed line. Visual inspection of the subhaloes revealed that the one in the left-hand panel was affected both by ram-pressure stripping and later tidal stripping, whereas the subhalo on the right-hand panel was affected predominantly by ram-pressure stripping.

regions where particles are getting removed. Fig. 11 shows how the subhalo’s gas pressure and ram pressure evolves in two subhaloes. The factor of 10 increases the ram pressure so that it is comparable with the subhalo’s gas pressure. In the future, a comparison of higher resolution simulations, as well as grid codes, to ours would be useful to see whether they exhibit results closer to the analytic determination.

4.3 Tidal stripping

Next, we examine mass-loss due to tidal forces using a simple spherical approximation for the host halo and the satellite. For each subhalo, the tidal force particles feel from the host is compared with the force they feel from their internal gravity. The subhalo’s tidal radius is the place at which its self-gravity is less than the tidal force of the host galaxy (e.g. Hayashi et al. 2003). Due to Newton’s theorem, assuming spherical symmetry, one need only consider the mass interior to a given particle. The gravitational force on the particle from inside the particle’s orbit is

$$F_{\text{subhalo}} = \frac{GM_{\text{subhalo}}m_{\text{particle}}}{r^2},$$

(7)

where $r$ is the distance from the particle to the centre of its subhalo, $m_{\text{particle}}$ is the mass of the particle and $M_{\text{subhalo}}(r)$ is the subhalo’s mass interior to $r$. The tidal force that the particle feels from the host, if the host galaxy is approximated by a point mass and assuming all its mass is contained inside the satellite, is the differential pull between the particle’s position in the satellite and the satellite’s centre:

$$\delta F_{\text{tidal}} = -\frac{2GM_{\text{host}}m_{\text{particle}}r}{R_{\text{host}}^2},$$

(8)

where $R_{\text{host}}$ is the distance between the subhalo and the host and $M_{\text{host}}$ is the mass of the host. Therefore, the condition for when the particle feels a greater tidal force than gravitational from its own subhalo is given by

$$\frac{M_{\text{subhalo}}(r)}{r^3} < \frac{2M_{\text{host}}}{R_{\text{host}}^3}.$$

(9)

A particle that passes this test qualifies for tidal stripping. We emphasize that this is a spherical approximation, given that the subhaloes occasionally have their shape distorted, though the distortion is usually symmetrical. We did try varying the strength of the tidal force, as we had done for ram-pressure stripping, but found that it did not change results much and so this method has some degree of robustness.
subhaloes between $z = 1.0$ (left-hand panel) and $z = 0.8$ (right-hand panel). The dark matter (dark green), gas (light green) and stars (turquoise) are marked at the time of maximum mass, whereas the bottom layer (brown, covered the other layers) is the subhalo at the present output. Note how the tidal stripping has already begun at $z = 1.0$, and by $z = 0.8$ the tidal tail is prominent. The dark matter has been compressed while the stars sit more safely in the subhalo’s centre. The background colours are gas temperature as in Fig. 10.

Fig. 12 shows an example of a subhalo being tidally stripped of its gas. The tidal force pulls material out in leading and trailing arms. Tidal stripping preferentially strips material on the subhalo’s exterior.

Regarding the possibility of tidal stirring, Fig. 5 shows that there was not significant star formation following close passages of satellites. During these close passages, dark matter is often stripped and a large fraction of gas is stripped. It is possible that these simulations are of too low a resolution to model tidal stirring as was seen in Mayer et al. (2006).

### 4.4 Stellar feedback

Often, much credit for the removal of baryons is given to stellar feedback (Dekel & Silk 1986; Mac Low & Ferrara 1999; Dekel & Woo 2003). Supernovae release large amounts of energy into the ISM, which can be sufficient to liberate gas from halo potential wells. Others have argued that the coupling between the stellar feedback and the ISM is insufficient to remove a significant amount of gas from subhaloes. Determining how much gas stellar feedback removed in the simulations proved to be a challenging task.

One signature of stellar feedback in these simulations is that a gas particle has its cooling turned off, which allows it to maintain its high temperature due to the stellar energy release. When it gains sufficient kinetic energy, it can escape the gravitational potential of the subhalo. We found this method of tracking stellar feedback to be very limiting, however. Outputs were limited to approximately one every 200 to 100 Myr. Cooling is typically shut off for 50 Myr, so between 1/2 and 3/4 of particles whose cooling was turned off would be missed by simply counting particles whose cooling was shut off during an output.

Another signature of stellar feedback is the release of metals into the surrounding ISM. In our simulations, a star particle releases about 300$ M_\odot$ of metals from Type II supernovae to the nearest 32 gas particles. The ejection is smoothed so that gas closer to the star receives more metals than particles further away. A typical gas particle will receive a few $ M_\odot$ in metals from a star particle. Gas can also receive metals from other gas particles through diffusion. These metal transfers are typically $< 1$ $ M_\odot$.

So, when gas had an increase in metals of $\geq 5$ $ M_\odot$, it is likely that it was in the neighbourhood of stellar feedback, and we classify it as having been lost from the halo due to stellar feedback.

This is a conservative estimate because there may also have been cases where gas directly heated by stellar feedback acquired sufficient pressure to push out different gas, a process called ‘mass-loading’. This is common in dwarf galaxies (Dalla Vecchia & Schaye 2008). Stellar feedback could have augmented another mechanism like ram-pressure stripping and got unlabelled as such.

### 4.5 A combination of mechanisms

Using all the techniques described above, we now present a summary of which processes dominated accretion and loss of gas.

One confounding effect happened when massive subhaloes pass through the pericentre of their orbit. Subhaloes temporarily accreted a small quantity of gas and quickly lost it, possibly a numerical effect. Because of this, we did not count mass-loss of particles that entered and left subhaloes after they reached their maximum mass.

Some particles left the subhalo more than once. In order to avoid double counting, only the last method by which a particle entered or left its subhalo was counted. We noted which gas particles were converted into stars, so that we could identify what portion of the gas mass decrement was due to star formation and what portion was due to gas leaving the subhalo. The loss of many particles could not be classified, so mass-loss is often classified as ‘other’, emphasizing the schematic nature of this method.

Figs 13–15 show the evolutionary history of the same subhaloes as shown in Fig. 5. These histories are coloured to indicate the amount of gas lost due to each of the mechanisms described above, as a fraction of each subhalo’s maximum mass. Most of the baryons for the most massive subhalo (a) turn into stars quickly, and, other than the initial UV ionization which prevents a significant amount of gas from being captured, any gas that is lost is usually due to tidal stripping or stellar feedback. After UV ionization the medium-mass subhalo (b) that retains its stars loses its gas largely due to stellar feedback with smaller contributions by tidal and ram-pressure stripping, though there is a large number of unclassified particles as well. The medium-mass subhalo (c) that ends up as a dark satellite lost almost all of its gas due to the UV ionization, with the small remainder being stripped by ram pressure.
Baryon loss for dark satellites

Figure 14. Mechanisms for baryon loss over time for the medium-mass subhalo (b) (maximum mass: \(4.2 \times 10^9 \, M_\odot\), final mass: \(2.0 \times 10^8 \, M_\odot\)) from Fig. 5. The colour scheme follows Fig. 13.

Figure 15. Mechanisms for baryon loss over time for the medium-mass subhalo (c) (maximum mass: \(1.4 \times 10^9 \, M_\odot\), final mass: \(7.2 \times 10^8 \, M_\odot\)) from Fig. 5. The colour scheme follows Fig. 13.

Fig. 16 combines all plots of type shown in Figs 13–15 for all subhaloes and shows as a fraction of each subhalo’s maximum mass the gas lost due to each mechanism at \(z = 0\). These mass-loss fractions are plotted as a function of maximum mass rather than final mass because the sequence of mechanisms appears more clearly (as shown in Fig. 2). Fig. 16 shows that the massive subhalo (a) in Fig. 13 is no aberration. It is common for the most massive subhaloes to efficiently form stars and for tidal stripping to play the most important role in their mass-loss. Medium-mass subhaloes tend to be more dominated by stellar feedback, since they are massive enough to form stars but light enough that they are more susceptible to losing their gas. Following Fig. 15, lower mass subhaloes lose significant mass due to UV reionization and then much of the remaining mass is stripped by ram pressure.

A dichotomy of evolutionary scenarios appears in Fig. 16. Haloes less massive than \(\approx 2.0 \times 10^9 \, M_\odot\) lose their gas due mostly to UV reionization. Higher mass haloes formed stars, lost mass to reionization and lost gas due to a variety of other mechanisms. This distinction disappears when the satellites are classified by their final mass as in Fig. 2 where the populations of baryonless and luminous subhaloes overlap in terms of total mass at \(z = 0\).

At \(z = 0\)

<table>
<thead>
<tr>
<th>No gas and never stars</th>
<th>No gas but have/had stars</th>
<th>Gas and stars</th>
</tr>
</thead>
<tbody>
<tr>
<td>Minimum mass ((M_\odot))</td>
<td>(1.10 \times 10^8)</td>
<td>(7.79 \times 10^8)</td>
</tr>
<tr>
<td>Maximum mass ((M_\odot))</td>
<td>(2.09 \times 10^9)</td>
<td>(4.50 \times 10^9)</td>
</tr>
<tr>
<td>UV (per cent)</td>
<td>15.73</td>
<td>11.19</td>
</tr>
<tr>
<td>Ram (per cent)</td>
<td>1.10</td>
<td>1.54</td>
</tr>
<tr>
<td>Tides (per cent)</td>
<td>0.12</td>
<td>1.87</td>
</tr>
<tr>
<td>Sfb (per cent)</td>
<td>0.01</td>
<td>2.08</td>
</tr>
</tbody>
</table>

Table 1 summarizes the results of Fig. 16 by dividing the subhaloes into three categories (ones with gas and stars at \(z = 0\), ones without gas at \(z = 0\) but had stars and ones that never formed stars and have no gas at \(z = 0\)). UV ionization is the most prominent for all subhaloes. For the most massive subhaloes tidal stripping followed while stellar feedback and ram-pressure stripping had little impact. For the subhaloes massive enough to form stars at some point but which did not retain gas at \(z = 0\), after UV ionization, stellar feedback was the most prominent mechanism while tidal and ram-pressure stripping were close in magnitude. Finally, UV ionization was the most important for the subhaloes that never formed stars, with some impact from ram-pressure stripping. Tidal stripping and stellar feedback were negligible. Note the caveat: since it is impossible in all cases to clearly distinguish the mechanism that leads to the loss of a gas particle, the boundaries between the mechanisms are not clearly defined and the percentages should.
therefore, be taken as indicative of the relative importance of the various gas-loss mechanisms.

For the lower mass subhaloes, the amount of mass lost adds up nearly to the cosmic baryon fraction ($\approx 0.17$), in part because our analysis relied on pairing dark and gas particles. However, not only do the higher mass subhaloes contain more baryons than the cosmic fraction, but they also contain more stars than the cosmic fraction. To understand how the higher mass subhaloes form so many stars, we investigated the origin of these stars. Fig. 17 shows the mass evolution of a $7.1 \times 10^9 \, M_\odot$ subhalo that ends up with more than the cosmic baryon fraction in stars. The mass evolution is divided into categories based on whether the particles were twins of the dark matter present at the maximum mass. While most of the stars formed from gas that was a twin of this dark matter, almost 10 per cent of the stars formed from gas that were twins of dark matter that were not members of this halo at its time of maximum mass, or any of the outputs immediately before and after the time of maximum mass.

Fig. 18 shows how this extra gas (marked as light green) comes from a much wider region than the dark matter (marked as brown). While such accretion could be a numerical artefact of overefficient gas cooling, it could also be a unique feature of satellites that orbit in high-density regions like a massive galaxy’s hot halo. The mechanism that appears in the simulations is that high-mass satellites quickly form stars out of gas that are twins of member dark matter particle. After they form stars and the stellar feedback cools down, there is less gas to provide pressure support to keep hot gas from the main halo out of the satellite. So this gas is accreted, cooled and finally forms stars.

5 CONCLUSIONS AND DISCUSSION

To gain insight into the missing-satellite problem, we compared the satellite luminosity functions of two simulated galaxies from the MUGS project (g5664 and g15784) with late-type galaxies.

The cumulative number of luminous satellites in g15784 was only slightly higher than that observed in the Milky Way, though there was an excess of high-luminosity satellites that created a ‘knee’ in the satellite luminosity function that is not observed. Other SPH simulations of similar or lower resolution to ours have found that the missing-satellite problem is no longer a matter of an order of magnitude difference between the Local Group and simulated subhalo populations. When we compared our luminosity function of g15784 to a simulation of the same galaxy at a lower gas resolution, both the luminosity functions were similar in their area of overlap down to $M_V \approx -8.2$, though the low-resolution run did suffer from having fewer gas particles than needed to properly resolve star formation and therefore it had fewer stars. A couple of our dwarfs had luminosities comparable to the recently discovered ultrafaint dwarfs, but at the resolution of these simulations, they had only one or two star particles, so it is impossible to draw any conclusions about the formation of fainter dwarf galaxies from these simulations.

The satellite mass function of g15784 revealed a large population of dark satellites. In our more massive galaxy g15784 ($1.4 \times 10^9 \, M_\odot$), the subhaloes constituted 6.0 per cent of the host galaxy’s mass, whereas g5664’s subhaloes were 4.4 per cent of the host galaxy’s mass. This fits within the range that Dalal & Kochanek (2002) found from probing substructure with gravitational lensing, between 0.6 and 7.0 per cent.

We used two methods to determine how the dark satellites lost their baryons and the effect of negative feedback on the luminous satellites.

One method was to simulate the less massive galaxy than the Milky Way, g5664, using several different physical treatments. The simplest one included no UV or stellar feedback. In the second, UV was added. These two simulations were compared with the standard MUGS simulation that included both UV and stellar feedback. The effect they had on the subhalo populations was significant. UV feedback alone stopped star formation in all the satellites with total masses less than $2 \times 10^9 \, M_\odot$. When stellar feedback was added, it reduced the luminosity of several additional subhaloes so that only a couple of star particles formed in those subhaloes before the feedback ejected all the remaining gas from the subhaloes and eliminated the possibility of future star formation. In more massive subhaloes, the stellar feedback had little impact on reducing the star formation efficiency. This unbalanced influence of the stellar feedback may have been due in part to the quantized feedback that was used in the MUGS simulations.

The second method was to analyse the individual evolution of satellites in a more massive halo. We made a comprehensive study

![Figure 17. Time evolution of a $7.1 \times 10^9 \, M_\odot$ mass subhalo’s matter, broken down into dark matter present (twin) and not present (not twin) at the time of maximum mass, gas twinned or not from the maximum-mass dark matter, and stars that did and did not come from twinned gas. The dashed vertical line is the time of maximum mass. Despite the difference in magnitudes between the twin and non-twin dark matter, the twin and non-twin gas particles are comparable, suggesting that the dark matter draws on gas outside its region of origin.](Image 307x612 to 420x725)

![Figure 18. Snapshots at $z = 6$ of a $7.1 \times 10^9 \, M_\odot$ mass subhalo (left-hand panel) and a $2.4 \times 10^9 \, M_\odot$ mass subhalo (right-hand panel). The subhaloes are in brown, whereas light green is the gas that will produce all the non-twin stars that will end up in the subhaloes. This gas will eventually converge into the subhaloes. The subhalo on the left will end up in a tight orbit around the host, and hence the several shells of gas that it will draw upon. The background colours are gas temperature as in Fig. 10.](Image 433x612 to 545x725)
of the mechanisms that remove matter from subhaloes by defining criteria for mass-loss due to the UV background, tidal stripping, ram-pressure stripping and stellar feedback. This analysis reiterated the strong impact ionization had on low-mass satellites. We used metals to track stellar feedback, and found that its impact was the largest on subhaloes of medium mass that had formed stars, with lesser impact on the highest mass subhaloes, and no impact on the lower mass subhaloes.

A strange phenomenon was apparent in the higher mass subhaloes. These subhaloes contained a higher fraction of their maximum mass in stars than the cosmic baryon fraction. Subsequent analysis showed that accretion of baryons was not confined to the same limited region from which dark matter was accreted, but from a larger region surrounding the subhalo and even from across the hot gaseous host halo as the subhalo moved through its orbit. While this may partially be another symptom of overcooling that has been long noted in simulations, it may also point to the enhanced baryonic accretion possible by subhaloes in high-density regions.

Stripping, either ram pressure or tidal, also plays a vital role in shaping the satellites that were analysed. Ram pressure removed whatever gas remained in small subhaloes that had most of their gas removed during dissociation. In some cases, more gas was stripped from subhaloes than would have been predicted based on a Gunn & Gott (1972) analysis. Tidal stripping removed most of the gas from the more massive satellites, making them comparable with Local Group dSphs rather than dIrrs. The stripping became apparent once the subhaloes crossed inside the virial radius.

Tidal stripping was important for the subhaloes that had the closest encounters with the main galaxy. In some cases, tidal stripping removed enough of the outer layers of dark matter that the total mass of the satellites dropped below the ionization mass limit of $2 \times 10^7 M_{\odot}$. Because tidal stripping reduces the total mass of subhaloes by different amounts, it is critical to organize the satellites by their maximum mass rather than their mass at $z = 0$ to see a continuous behaviour in the baryon fraction as a function of mass. Many authors have noted the similarity in mass inferred in Local Group dSphs (Bullock, Kravtsov & Weinberg 2000; Strigari et al. 2007; Peñarrubia, MacConnachie & Navarro 2008) by extrapolating satellite total masses using the Navarro–Frenk–White (NFW) density profiles. Our simulations point out that because of tidal stripping, these satellites may no longer contain that much mass. However, those extrapolated masses may be similar to the maximum mass of the satellite, and the constant lower mass limit suggests a mass-dependent gas-removal mechanism like ionization. What is not clear in the simulations is why the efficiency of star formation varies so much from dSph down to ultrafaint galaxies if they did form from subhaloes that were all of the same mass.

We should also extend this work to include all MUGS galaxies to determine if there are specific factors in the environment or history of individual galaxies that affect the satellite population, as well as compare the subhalo populations outside of the main haloes to the ones that end up within the virial radius of their main haloes.

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