Auxiliary Material for Paper 2012GL051466

Recent mass changes of glaciers in the Russian High Arctic

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The following sections provide additional details on the corrections and error analyses that were applied to the ICESat, GRACE and meteorological data sets. Two tables at the end show auxiliary mass budget estimates for individual glaciers and sub-regions (Table S1) and regional GRACE uncertainty components (Table S2).

ICESat corrections and error analysis

The ICESat GLAS determined surface elevations from ~70 m footprints spaced at ~170 m along each ground track [Zwally et al., 2002]. The tracks were repeated 2-3 times a year within a cross-track distance of a few hundred meters. The single-shot elevation accuracy has been demonstrated to be better than 0.05 m under optimal conditions [Fricker et al., 2005], but the performance degrades over sloping terrain [Brenner et al., 2007] and under conditions favourable to atmospheric forward scattering and detector saturation [Fricker et al., 2005]. A saturation range correction available in Release 531 was added to the elevations to account for the delay of the pulse center in saturated returns. We did not apply any parameter-based cloud filtering [e.g. Smith et al., 2009] because it also tends to remove usable data which are essential to achieve a sufficient spatial and temporal data distribution in the Arctic [Moholdt et al., 2010]. Instead, we removed potential outliers in the plane regression by running it iteratively until all elevation residuals were brought within a threshold of 5 m. Seasonal data filtering was also applied in the regression to ensure that the start and end season of each elevation change rate (dh/dt) were from the same time of year within ± 30 days [Moholdt et al., 2010]. Finally, we removed planes with insufficient data based on criteria of minimum 4 repeat-tracks or 10 data points, as well as a minimum data time span of 2 years. This resulted in an average time span of 4.8 years for the final dh/dt estimates.

From the remaining plane-filtered points, we estimated an elevation precision of 0.78 m over Russian Arctic glaciers based on the root-mean-square (RMS) error of 85 crossover points between ascending and descending tracks within individual observation campaigns (dt < 30 days). The elevation precision is best over Novaya Zemlya (0.50 m, 32 points) and worst over Franz Josef Land (0.97 m, 28 points), probably because of steeper surface slopes in the latter region (1.5° versus 3.3°). Similarly, we estimated a dh/dt precision of 0.26 m a⁻¹ from 143 crossover planes. This random error includes

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uncertainties associated with the determination of surface slopes as well as different temporal sampling of non-linear elevation changes. Additional variation in dh/dt is due to spatial gradients in surface mass balance, firn compaction and glacier dynamics. Parts of this variation is typically correlated with elevation (h), so by parameterizing dh/dt as a function of h, one can reduce the uncertainty in spatial extrapolation of dh/dt to determine volume change rates (dV/dt). Higher order polynomial fitting followed by hypsometric extrapolation is a robust way to do this $[K\ddot{a}\ddot{a}b, 2008; Nuth\ et\ al., 2010]$. Each region had an adequate sampling of dh/dt across the full elevation range, so the polynom order had very little influence on the end results $[Gardner\ et\ al.,\ 2011]$. We used third order polynomial fits $[Moholdt\ et\ al.,\ 2010]$, resulting in RMS errors in the range 0.5-0.6 m a⁻¹. This error reduces after spatial averaging over distances larger than the measurement correlation length. We analysed semivariograms of the difference between dh/dt and dh/dt(h) to estimate regional correlation lengths of 3.4-6.7 km. We then calculated standard errors (σ_{STDE}) of 0.02-0.03 m a⁻¹ for the area-averaged dh/dt in each region based on the RMS of the polynomial fits and an average correlation length of 5 km.

In addition to the random errors, we also need to account for potential systematic biases in the observation system and the spatiotemporal sampling. Elevation biases of up to ± 0.10 m have been detected for individual ICESat observations campaigns [Siegfried et al., 2011; Zwally et al., 2011], but uncertainty remains whether there is a significant temporal trend in the inter-campaign biases. Crustal uplift may also induce a bias in dh/dt estimates. The average uplift rates of the Barents Sea archipelagos are however smaller than 0.002 m a⁻¹ [Forman et al., 2004]. Given the small magnitudes and high uncertainty of these potential biases, we did not make any corrections to our dh/dt estimates, but instead added an error (σ_{BIAS}) of 0.02 m a⁻¹ to the area-averaged dh/dt for each region.

Errors in regional dV/dt estimates can also arise from uneven spatial and temporal sampling of dh/dt. We tested for random spatial biases by doing separate calculations for ascending and descending tracks, which are spatially independent from each other. Ascending and descending results were within 0.02 m a⁻¹ of the area-averaged dh/dt in each region, which indicate that the number of ICESat tracks is sufficient for spatial extrapolation and that our estimates of σ_{STDE} are realistic. Systematic spatial biases (σ_{SPAT}) can occur if certain parts of glaciers or regions are systematically under-sampled due to more cloud cover, steeper surface slopes or heavier crevassing. We investigated this issue by doing sub-regional dV/dt calculations (Table S1) and summing them together to get regional dV/dt estimates. Again, we found a correspondence to within 0.02 m a⁻¹ of our original dV/dt estimates. Note that many ICESat tracks have a complete coverage of dh/dt planes, which reduces the likelihood of spatial biases related to meteorology and topography.

Temporal biases in dh/dt occur when certain ICESat campaigns have more data than others due to variable cloud cover and campaign duration. The problem can be avoided by calculating campaign-wise or annual dV estimates and summing them up for the entire ICESat period [Gardner et al., 2011]. This is however done at the cost of spatial coverage, i.e. spatial biases in individual dV estimates may exceed biases in the overall dV/dt estimates. We consider the campaign-to-campaign data coverage in the Russian Arctic to be too sparse to follow such an approach and hence only use these data to illustrate temporal variations in area-averaged dh (Fig. 2). The average amount of ICESat points that are accepted following the plane regressions is 19,000 \pm 7000 for each

observation campaign, apart from the October 2009 campaign which has only 1200 points due to the failure of the last laser onboard ICESat. This campaign is therefore under-represented in the dh/dt estimates and not included in Fig. 2. Otherwise, there are no clear temporal patterns in the sampling except that winter campaigns generally have more data than other campaigns due to less cloud cover. To account for potential biases related to temporal irregularities, we added an error (σ_{TEMP}) of 0.02 m a⁻¹ to the area-averaged dh/dt in each region. This number is based on alternative dV/dt calculations for the Canadian Arctic using the above mentioned methods [*Gardner et al.*, 2011].

Errors in glacier areas used for extrapolation of dh/dt can also cause a bias in dV/dt. We expect this error (σ_{AREA}) to be well within $\pm 5\%$ since all glacier outlines were digitized from satellite imagery of the same decade as the ICESat measurements. An additional error is introduced when dV/dt is converted to dM/dt using an assumed density conversion factor of 0.9 Gt km⁻³. Unfortunately, there is no available data on firn pack changes in the Russian Arctic from the last decade. The meteorological anomalies for 2003-2009 indicate a slight increase in precipitation, but that is likely compensated by slightly higher summer temperatures. In order to account for this uncertainty, we take the regional volume-to-mass conversion error (σ_{DENS}) to be the greatest of $\pm 10\%$ of dV/dt or a constant of 0.5 Gt a⁻¹. This error is likely on the conservative side. A recent study of firn cores from the summit of the Penny Ice Cap on Baffin Island found that the average density of the upper 20 m of the cores changed by only 6% between 1995 and 2010 despite a firn warming of about 10 °C at 10 m depth [Zdanowicz et al., 2012]. Also, most of the volume loss in the Russian Arctic has occurred at low elevations in Novaya Zemlya where ice melting and glacier dynamics should be the dominating processes.

Finally, we converted all these errors into mass equivalent rates (Gt a⁻¹) and combined them as root sum of squares (RSS) to obtain regional mass budget errors:

$$\sigma_{MB} = \sqrt{\sigma_{STDE}^2 + \sigma_{BIAS}^2 + \sigma_{SPAT}^2 + \sigma_{TEMP}^2 + \sigma_{AREA}^2 + \sigma_{DENS}^2}$$

The total error for the Russian Arctic was calculated from the RSS of the regional σ_{MB} apart from σ_{BIAS} which we added cumulatively to account for its high spatial correlation.

Auxiliary mass budget estimates from ICESat

We also estimated mass budgets and errors for smaller sub-regions where the spatial distribution of ICESat tracks was sufficient. Table S1 summarizes the results for some of the major ice caps and icefields within the larger regions.

GRACE corrections and error analysis

The GRACE data (CSR RL04) were processed as by *Gardner et al.* [2011]: The missing degree-1 coefficients were included following *Swenson et al.* [2008], and the C20 coefficients were replaced by values derived from satellite laser ranging (R. J. Eanes, personal communication, 2008). Data noise was reduced by applying the post-processing method of *Wouters and Schrama* [2007] and a Gaussian smoother with a half-width radius of 250 km. The gravitational effect from Glacial Isostatic Adjustment (GIA) was

corrected using a modified version of the ICE-5G (VM2) ice loading history and Earth viscosity model [*Ivins and James*, 2005; *Peltier*, 2004; *Riva et al.*, 2010]. The applied GIA corrections for Franz Josef Land, Severnaya Zemlya and Novaya Zemlya were -1.45 Gt a⁻¹, -1.45 Gt a⁻¹ and -0.25 Gt a⁻¹, respectively.

To reduce leakage from non-glacial signals in adjacent areas, we subtracted water storage from the GLDAS-NOAH model [Rodell et al., 2004] in its 0.25 degree configuration, where the glaciated areas of the Russian Arctic were first masked out. Variations in ocean mass were already removed in the level-1 processing by the GRACE science team, using the Ocean Model for Circulation and Tides [Flechtner, 2007]. Leakage from remaining variability was suppressed by simultaneously fitting surface mass anomalies to the neighboring regions. The outlines of these basins on land were based on the major river-catchments in the Russian Arctic (such as Pechora, Ob, Yenisey and Lena), determined from the TRIP data set [Oki and Sud, 1998], and on bathymetry and the variance of the GRACE signal in the ocean. To investigate if regional mass change signals were properly separated, we calculated correlation coefficients between mass anomaly time series of glaciated and surrounding regions. A positive correlation is expected if the GRACE resolution is too low to isolate the glacier signal. If the iterative basin method does not correctly separate the signal, then compensation will take place between adjacent basins such that the correlation becomes negative. The obtained correlations were typically lower than ± 0.2 , which is within the range that we can expect from random chance and climatological covariability.

The uncertainty of the applied GRACE data product (CSR RL04) was estimated by comparing it with an independent GRACE solution (GFZ RL04). The GIA uncertainty was derived from a range of realistic viscosity profiles $(0.3 \times 10^{21} \text{ to } 1.0 \times 10^{21} \text{ Pa s}$ and $0.3 \times 10^{21} \text{ to } 1.0 \times 10^{22} \text{ Pa s}$ for the upper and lower mantle, respectively) and alternative loading histories from the models ICE-3G [*Tushingham and Peltier*, 1991] and ANU [*Lambeck et al.*, 2004]. We assessed the hydrology correction by replacing the GLDAS-NOAH model by the WGHM model [*Döll et al.*, 2003; 2011]. Simulations have shown that the iterative optimization method of *Wouters et al.* [2008] retrieves regional mass change rates within an 1σ error of 1-1.5 Gt a⁻¹ [*Gardner et al.*, 2011]. In addition, we accounted for the standard error of the linear fits to the monthly mass anomalies. All 5 error terms are provided for each region in Table S2. Regional mass budget errors were determined as the RSS of the individual errors. The smoothed mass budget curves in Fig. 3 were not used in any of the calculations, but would have given similar results if they had been used as the basis for the linear fits instead of the unsmoothed monthly values.

Meteorological error analysis

Errors in the climatic anomalies are difficult to assess. Climate conditions at meteorological stations might not be representative for entire glacier regions, and climate reanalysis data might contain significant biases. We have done a simple error analysis based on comparisons between different data sets. The errors of the glacier area-averaged precipitation anomalies (Table 1) were estimated directly from the standard deviation of the three applied precipitation products (Section 2.3). For the summer (JJA) temperature anomalies at meteorological stations, we compared them with "free-air" anomalies at the 700 mb geopotential height of two reanalysis data sets: the NCEP Climate Forecast

System Reanalysis [Saha et al., 2010] and the ERM-Interim reanalysis [Dee et al., 2011]. We used the 700 mb geopotential height instead of the 2 m height to limit the influence of sea surface temperatures in the glacier area-averaged anomalies. The resulting temperature anomalies and standard deviations for the reanalysis data in 2004-2009 are 0.13 ± 0.22 °C for Franz Josef Land, 0.17 ± 0.13 °C for Severnaya Zemlya, and 0.25 ± 0.16 °C for Novaya Zemlya. These values are within 0.25 °C of the station-derived anomalies. We expect the station measurements to be more reliable than the reanalysis products, so we used the RMS difference with respect to the reanalysis temperature anomalies to estimate the error of the station anomalies (Table 1).

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Tables

Table S1. Sub-regional mass budget estimates for 2004-2009 based on ICESat

| Glacier name (sub-region) | Region | Latitude (°N) | Longitude (°E) | Glacier area (km²) | Mass budget (kg m ⁻² a ⁻¹) |
|-------------------------------------|--------|---------------|----------------|--------------------|---|
| Vostok-3/4 Ice Cap | FJL | 81.65 | 63.09 | 260 | $\frac{(\text{kg iii} \ a)}{170 \pm 100}$ |
| Vostok-3/4 Ice Cap Vostok-2 Ice Cap | FJL | 81.35 | 58.93 | 130 | 50 ± 130 |
| Vostok-2 Ice Cap Vostok-1 Ice Cap | FJL | 81.00 | 60.88 | 390 | 50 ± 130 50 ± 120 |
| • | | | | | |
| Windy Ice Cap | FJL | 80.82 | 64.00 | 1,170 | 380 ± 70 |
| Moon Ice Cap | FJL | 80.60 | 46.34 | 620 | -70 ± 140 |
| Tyndall Ice Cap | FJL | 80.63 | 60.79 | 1,810 | -120 ± 80 |
| Prince George Land, icefield | FJL | 80.46 | 49.25 | 2,050 | -160 ± 70 |
| Moscow Ice Cap | FJL | 80.01 | 59.42 | 850 | -60 ± 90 |
| Ushakov Ice Cap | - | 80.82 | 79.47 | 320 | 100 ± 70 |
| Schmidt Ice Cap | SZ | 81.13 | 90.90 | 410 | 70 ± 70 |
| Academy of Sciences Ice Cap | SZ | 80.49 | 94.99 | 5,570 | -190 ± 70 |
| Rusanov Ice Cap | SZ | 79.97 | 97.10 | 1,010 | -30 ± 60 |
| Albanov Ice Cap | SZ | 79.88 | 95.35 | 350 | -20 ± 70 |
| Karpinsky Ice Cap | SZ | 79.59 | 98.58 | 2,340 | -120 ± 60 |
| Vavilov Ice Cap | SZ | 79.32 | 95.69 | 1,780 | 50 ± 60 |
| University Ice Cap | SZ | 79.04 | 98.93 | 1,690 | 70 ± 50 |
| Bolshevik Island, icefield | SZ | 78.69 | 102.88 | 2,140 | -10 ± 70 |
| Kropotkin Ice Cap | SZ | 78.40 | 101.44 | 260 | -280 ± 80 |
| Severny Isl. Ice Cap (Barents) | NZ | 75.86 | 61.83 | 10,010 | -410 ± 70 |
| Severny Isl. Ice Cap (Kara) | NZ | 75.61 | 62.08 | 9,480 | -220 ± 50 |
| NZ, other glaciers | NZ | - | - | 2,620 | -580 ± 140 |

Table S2. GRACE 1σ uncertainties (Gt a⁻¹) based on period Oct. 2003 – Oct. 2009

| | GRACE | GIA | Hydrology | Iterative | Linear | Total |
|------------------|----------|-------------------------|-------------------------|--------------|--------|-------|
| Glacier region | producta | correction ^b | correction ^c | optimization | fits | RSS |
| Franz Josef Land | 2.7 | 0.9 | 0.1 | 1.5 | 1.2 | 3.4 |
| Severnaya Zemlya | 1.2 | 0.9 | 1.2 | 1.5 | 1.2 | 3.0 |
| Novaya Zemlya | 1.7 | 1.4 | 1.2 | 1.5 | 1.4 | 3.0 |

^aDifference between GRACE solutions CSR RL04 and GZF RL04, ^bRMS between GIA estimates from different mantle viscosity profiles and loading models, ^cdifference between GLDAS-NOAH and WGHM hydrology models.